

QC X
AVRO
CF105
R-7-0510-7
ANALYZE



TECHNICAL REPORT



A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

ANALYZED

AIRCRAFT: C105

REPORT NO. 7/0510/7 Vol I

FILE NO

NO. OF SHEETS:

TITLE

Wing Analysis
Classification cancelled / Changed to UNCLASS
By authority of AVES
Date 30 Sept 56
Signature J. Bealy
Unit / Rank / Appointment AVES 12 FIGURE 6
6 MATRIX 204

~~CONFIDENTIAL~~

Sect 0	13+5
1	63
2	17
3	30
	32
5	122
6	3
7	54
12	FIGURE 6
6	MATRIX 204



PREPARED BY R.N. Shearley
D.I. Turner DATE June 55
V.F. Gardner
CHECKED BY R.N. Shearley DATE July 55
SUPERVISED BY A. G. ... DATE
APPROVED BY DATE

ISSUE NO.	REVISION NO.	REVISED BY	APPROVED BY	DATE	REMARKS
2	87	R.N. SHEARLEY		MAY 1956	SHEET 0-2 REVISED SHEETS 8-1 TO 8-21 INCLUSIVE ADDED.

15865756

TECHNICAL DEPARTMENT (Aircraft)

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SHEET NO. 0-1

AIRCRAFT:

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Wing Analysis

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DATE

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22 June 50

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Index (cont'd)

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FEB 16 '55

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C105

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CHECK FIG. 1 Outer Wing Tip check.

CHECK FIG. 2 INNER WING & CENTER SECTION WING Tip CHECK

Note: Figures 4, 5, 8, 9 & 10 only are required for the interpretation of the results of this analysis.



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Reference Reports

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DATE

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5 May '55

CHECKED BY

DATE

Reference Reports.

- | | | |
|-------------------|--|--|
| Gen/1030/307 | An Introduction to Oblique Co-ordinates | |
| Gen/1030/329 | Stress Analysis of Multi-Spar
& Multi-Rib Wing Structures | { Part 1
Part 2
Part 3
Part 4 |
| Gen/1030/330 | | |
| Gen/1030/331 | | |
| Gen/1030/332 | | |
| 7/0510/2 | Wing Analysis | |
| 7/0510/4 | Incorporating The L/E Structure into the Wing Analysis | |
| Gen/1030/311 | Theoretical Investigation of the C100 Wing. | |
| P/Geom/32 | C105 Geometry. | |
| 7/0556/27 | Analysis of Bulkhead at Sta. 485. | |
| 7/0510/7 Vol. II | Computation of Preliminary Matrices | |
| 7/0510/7 Vol. III | Wing Analysis - Results. | |

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C105

Wing Analysis

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22 June '55

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Index of Matrices

Preliminary Matrices

Fig P-1	Matrices	$H_1, H_2, G_2 \text{ \& } G_3$
P-2		T_2, T_1'
P-3		T_3, T_2'
P-4		T_4, T_3'
P-5		G_1

Primary Matrices

Cix

Zone 1	Wing Tip & Outer Wing
Zone 3	Inner Wing & Centre Section

Tia

Zone 1	Wing Tip & Outer Wing
Zone 2	Inner Wing & Centre Section

Kip

Zone 1	Outer Wing
Zone 3	Inner Wing & Centre Section



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C105

Wing Analysis

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22 June 55

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Introduction

In this report the wing of the C105 aircraft is analyzed, and the stresses and deflections at the intersections of a network of ribs and spars are calculated. The method used is that developed in reports Gen/1030/329-332 inclusive. These reports should be referred to when making use of this report.

The wing, having a low aspect ratio delta planform of low thickness-chord ratio, with relatively thick skins, is considered to behave as a plate, (a two dimensional problem), rather than as a beam, (a one dimensional problem), as is customary in dealing with straight or swept wings having relatively little taper.

The method, as developed in the above mentioned reports, is an adaptation of the Southwell formulation of plate theory, extended, by means of a trapezoidal coordinate system, to take into account the spanwise taper (in thickness) of the wing, and the fanlike arrangement of spars with parallel ribs. Using this method, a net, approximating the actual locations of ribs and spars, can be formed, loads can be applied at the intersection points, and deflections and rib and spar stresses can be determined at these points.

In brief, the method is as follows: first an approximate plate moment distribution (based on unit loads at the intersection points) is assumed, which satisfies equilibrium conditions exactly, but which does not necessarily produce compatible strains. This distribution is then corrected by a series of properly chosen self-equilibrating groups whose magnitude is determined by the minimum energy theorem. Stresses may then be determined, and, if required, deflections may be calculated using a dummy load method.

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AIRCRAFT:

C105

Wing Analysis

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22 June 55

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As suggested in the reports developing the analysis, matrix methods are used throughout, the high speed automatic computer doing the major proportion of the work. The body of this report consists primarily of the formation of the required matrices, (Elastic Influence Matrix, Stress-Redundant Load Matrix, and Statically Determinate Stress-Load Matrix). The actual calculation of the deflections and stresses is done by the high speed computer.

For convenience, the matrices are formed using unit loads at the assumed load points. Thus a unit load-deflection matrix, and a unit load-stress matrix are determined by the machine. These matrices, when multiplied by the load matrix for any case, give the required deflections and stresses.

The analysis, as carried out in this report, is designed to be used in combination with the results of reports; 7/0510/8 - Tank 3 Analysis, 7/0510/9 - Centre Fuselage Analysis, 7/0556/27 - Analysis of Bulkhead at Sta. 485, 7/0510/ - Rear Fuselage Analysis, and the analysis of the front spar beam. The result of this combined analysis brings in the effect of each of the components of the aircraft on all other components, thus presenting a complete picture of the stress and deflection distribution throughout the aircraft. The individual analyses, of which this report is one, present only the effects on the particular component of the loads applied to that component.

To make provision for combining the results of this analysis with the analyses of other components, a set of unit "interaction" loads has been incorporated at appropriate locations, to allow the wing structure to be coupled with the remaining structure of the aircraft. These forces are treated in the same way as the basic unit loads applied to the structure. Details of the methods used in developing the analysis of the complete aircraft are given in report

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AIRCRAFT:

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Wing Analysis

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22 June '55

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For the purposes of this analysis, the effective wing structure is considered to consist of the structure between the front and rear spars inboard of rib 18 for the outer wing, and the structure between the main and rear spars for the inner wing and centre section. The structure between the main and front spars of the inner wing is considered ineffective due to the large wheel well cut-outs, however the fuselage side rib and the $\frac{1}{2}$ rib between the main spar and bulkhead 485 are included in the wing structure.

The wing tip (outboard of rib 18) is included in the analysis. However the trapezoidal plate theory, as used for the remaining wing structure, is not used here, as it is felt that the conventional engineers' theory of bending and torsion may be applied to this region with sufficient accuracy. (This is borne out by the results of report 7/0510/2). Accordingly this has been done.

In this report the symmetric cases only are considered, hence the calculations are made for one side of the structure only, a factor of two, where required, serving to account for the complete structure.

TECHNICAL DEPARTMENT (Aircraft)

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SHEET No. 0-9

AIRCRAFT:

C105

Wing Analysis

PREPARED BY

DATE

D. H. Turner

22 June 58

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DATE

Explanatory Notes.

Initially this analysis was intended to include in it the front spar beam, the rear fuselage, (including fin effect), bulkhead 485, and through the results of report 7/0510/8, the effect of tank 3. Much of the calculation was done on this basis. Then, due to delay in obtaining information concerning the rear fuselage, it was decided to reduce the scope of this report to cover the wing proper only, and to set it up as a partial problem, the results to be combined with the results of separate analyses of the centre fuselage, rear fuselage, (with fin effect), bulkhead 485, tank 3 and the front spar beam. As a result, those portions of the report, relating to components other than the wing, which had been completed, were scrapped. However, in perusing the report, it will be noticed that, due to the interlocking of components, occasional reference to some of this work may appear. This should not detract from the general continuity of the work.

It should be noted also, that due to some changes in skin thickness and rib & spar cap areas at a late date, the completed Tip & Kip matrices (based on the original data) have been factored where necessary, and some elements of the Cix matrix have been recalculated. Thus it may be said that some changes in the structure were made after the matrices were completed, and that corrections have been made according to these changes.

Since much of the geometry of the wing remains the same as that used in report 7/0510/2, many elements in the matrices were obtained by simple factoring of the data calculated in report 7/0510/2. Hence it is imperative when using this report to have report 7/0510/2 available for reference.

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AIRCRAFT:

C105

Wing Analysis

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22 June '55

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Explanatory Notes (Cont'd)

For the purposes of this analysis, the complete wing has been considered as pinned at four points, on the fuselage side at the main and rear spars. These points serve as the reaction points for all applied loads.

The major proportion of the elements of the T_{ia} matrix have been determined by use of the I.B.M. computer (ref. sect. 5). Results of this calculation appear in report 7/0510/7 Vol II "Computation" of Preliminary Matrices - Wing Analysis" and, of course, in the T_{ia} matrix.

The results of the operations carried out on the primary matrices of this report (T_{ia} , K_{ep} & C_{in}) appear in report 7/0510/7 Vol III and its associated drawings.

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SHEET No. 0-12

AIRCRAFT:

C105

Wing Analysis

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DATE

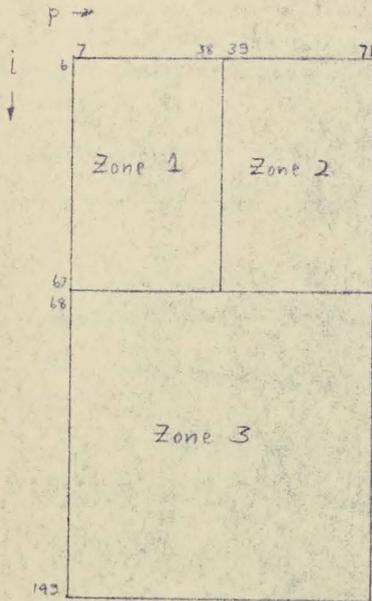
D. J. Turner

22 June '55

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DATE

Key to Kip Matrix



Non-zero Elements

Zone 1 104

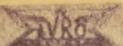
Zone 2 0

Zone 3 196

300

Total Elements 9360

plus checks



AIRCRAFT

WING ANALYSIS

PREPARED BY

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R.N. Shearly

July 8/55

CHECKED BY

DATE

H. G. M.

COMPUTATION PROGRAM

A) Given Matrices:

 C_{ik} elastic influence coefficients (symmetric) K_{ip} stress to redundant moment T_{ia} stat. det. stress to load δ_{ik} unit matrix (Kronecker Delta)

The indices of these matrices are given by two sets of numbers, the set nearer the body of the matrix is a preliminary set which is retained for referring to the calculations of the non zero elements, the other set (the circled set) will be the indices referred to in the following pages dealing with the computation program.

These indices have the range and are defined, as follows:

1) loading point indices

$$a, b = 1, 2, 3, \dots, 79$$

2) stress section indices

$$i, k = 1, 2, 3, \dots, 138$$

3) redundant moment indices

$$p, q, r = 1, 2, 3, \dots, 62$$

Indices of the same group are interchangeable, the first index denoting the row, the second index the column of the matrix.

The matrix elements are given in 6 separate sheets, to be fitted together according to the key below.

The C_{ik} matrix is divided into 2 sheets. This matrix is made up of 19,044 elements, 278 being non zero elements.



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WING ANALYSIS

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R.N. Shearly

July 8/55

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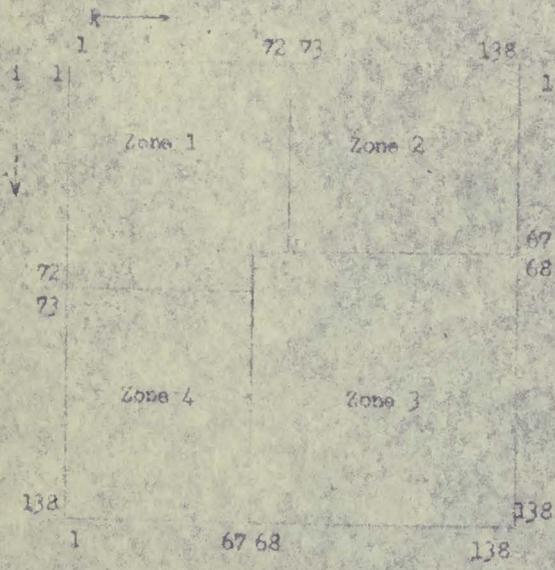
-4 7/55

The K_{ip} matrix is divided into 2 sheets. The matrix is made up of 3,556 elements, 300 being non zero elements.

The T_{ia} matrix is divided into 2 sheets. The matrix is made up of 10,902 elements, 2,677 being non zero elements.

Check sums are provided for each matrix. They are either partial sums as indicated in each sheet or total sums containing all elements of the corresponding row or column.

Key to the C_{jk} matrix



Non zero elements:	Zone 1	413
	Zone 2	0
	Zone 3	465
	Zone 4	0
	Total	878

Elements total 19044



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SHEET NO. 3

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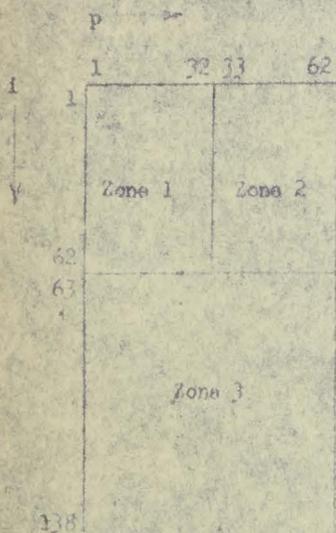
CHECKED BY

DATE

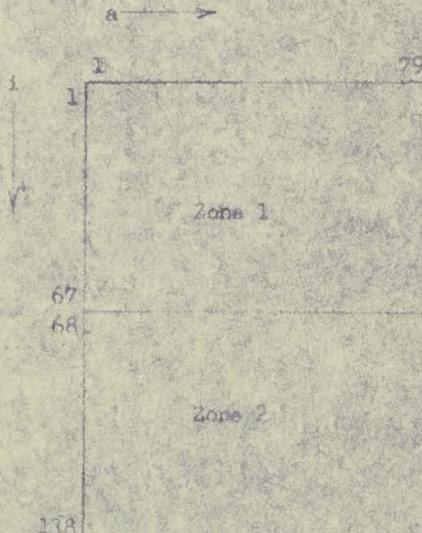
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WING ANALYSIS

Key to the K_{ip} matrix.



Key to the T_{ia} matrix.



Non zero elements

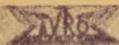
Zone 1	104
Zone 2	0
Zone 3	196
Total	300

Zone 1	607
Zone 2	2070
Total	2677

Total elements

8556

10902



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WING ANALYSIS

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B) Elementary Operations:

Transpose to A_{ip} is A_{pi} Matrix product of A_{ak} and B_{ki} is C_{ai} , denoted as

$$A_{ak} B_{ki} = C_{ai}$$

Inverse to D_{pq} is D_{qp}^{-1}

C) Results to be printed:

1) Results:

Redundancies to Unit Load

 F_{pa}

Stress to Unit Load

 S_{ia}

Displacement to Unit Load

 Z_{ab}

2) Checks:

Inversion error

$$D_{pr} D_{rq}^{-1} = \delta_{pq}$$

Symmetry of D_{pq} Symmetry of Z_{ab}

D) Operations:

1) Multiply

$$H_{ip} = C_{ik} K_{kp}$$

2) Multiply

$$D_{pq} = K_{pi} H_{iq}$$

print

3) Invert

$$D_{pq} \rightarrow D_{qp}^{-1}$$

4) Perform

$$D_{pr} D_{rq}^{-1} = \delta_{pq}$$

print



AIRCRAFT

WING ANALYSIS

PREPARED BY R.M. Shearley DATE July 8/55

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- 5) Multiply $M_{pi} = D_{pq}^{-1} H_{qi}$
- 6) Multiply $F_{pa} = -M_{pi} T_{ia}$ print
- 7) Multiply $N_{ia} = K_{ip} F_{pa}$
- 8) Add $S_{ia} = T_{ia} + N_{ia}$ print
- 9) Multiply $C_{ai} = T_{ak} C_{ki}$
- 10) Multiply $Z_{sb} = C_{ai} S_{ib}$ print

The above computation will be checked:

- a) by applying check sums in the conventional way.
- b) by symmetry of D_{pq} in most significant figures.
- c) by inversion error of D_{qp}^{-1} .
- d) by symmetry of Z_{ab} in four significant figures.
- e) by analysis of the final result.



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SHEET NO. 1-2

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AIRCRAFT

C 105

Wing Tip

PREPARED BY

DATE

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16 May '55

CHECKED BY

DATE

R. M. ...

11.12.55

Wing Tip Geometry

Values of I_c as calculated from data given in fig 5 are as follows: (ref sht. 1-3)

$$I_{Ic} = 16.1830 \text{ in}^4$$

$$I_{Icfs} = 79.3369 \text{ in}^4$$

$$I_{Icfs} = 59.8217 \text{ in}^4$$

$$I_{Icfs} = 37.9600 \text{ in}^4$$

$$I_{Icfs} = 71.7220 \text{ in}^4$$

$$* y_0 = \frac{\sum Y_i I_i \cos^3 \theta_i}{\sum I_i \cos^3 \theta_i}$$

where I_i is the moment of inertia of the relevant spar at rib 18

This equation is solved in the table on sht. 1-3

Note: A small error is introduced here in that the focus of the wing tip trapezoid is different from that of the outer wing. Also, the above values of I_i are taken on right cross sections of outer wing spars at rib 18, rather than on cross sections perpendicular to the wing tip trapezoid continuation of the spars. These effects are neglected.

For reference, see fig. 4 and

* This equation determines the location of the shear centre at rib 18 (ref.)

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
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REPORT NO. 7/0510/7

SHEET NO. 1-5

AIRCRAFT: C105

Wing Tip

PREPARED BY

DATE

W. Turner

10 Jan. '55

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DATE

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Wing Tip Geometry.

X_0 ordinates.

From report 7/0510/2 sht. 1-15

$$X_2 = 173.3489$$

$$X_1 = 156.8819$$

From Fig. 3

$$\begin{aligned} X_{0E} &= X_1 - 14.50 \\ &= 156.8819 - 14.50 \\ &= 142.3819 \text{ in.} \end{aligned}$$

$$\begin{aligned} X_{0D} &= X_{0E} - 32.00 \\ &= 142.3819 - 32.00 \\ &= 110.3819 \end{aligned}$$

$$\begin{aligned} X_{0C} &= X_{0D} - 32.00 \\ &= 110.3819 - 32.00 \\ &= 78.3819 \end{aligned}$$

To obtain the X_0 ordinates at the wing tip, the following equation is used:

$$X_{0x} = X_0' \cos \alpha_0 + Y_0' \sin \alpha_0 \quad (\text{ref. Rep. 7/0510/2 sht 1-13})$$

where $X_0' = X_0' = X_2' = 166.0304 - 135.3296 = 30.7008$
(wing tip X_0' ordinate, ref 7/0510/2 sht. 1-9)

$$\begin{aligned} \therefore X_{0x} &= 30.7008 \times 0.77163 + Y_0' \times 0.63608 \\ &= 23.6897 + 0.63608 Y_0' \end{aligned}$$

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Wing Tip

PREPARED BY

DATE

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11 Jan. '55

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DATE

R. N. SHEARLY

RM

MAY 1 1955

Wing Tip Geometry

Y_0 ordinates

From report 7/0510/2 sht. 1-13

$$Y_0 = X_0 \tan \theta$$

Hence $Y_{0(2)} = 38.6262 \tan \theta_1$

$$= -38.6262 \times 0.03653 \quad (\text{ref. 7/0510/2 sht. 1-14})$$

$$= -1.4110$$

$$Y_{0(1)} = 57.1701 \tan \theta_5$$

$$= 57.1701 \times 0.36877$$

$$= 21.0826$$

$$Y_{0(3)} = 78.3819 \times 0.36877 = 28.9049$$

$$Y_{0(4)} = -78.3819 \times 0.03653 = -2.8633$$

$$Y_{0(5)} = 110.3819 \times 0.36877 = 40.7055$$

$$Y_{0(6)} = -110.3819 \times 0.03653 = -4.0323$$

$$Y_{0(7)} = 142.3819 \times 0.36877 = 52.5062$$

$$Y_{0(8)} = -142.3819 \times 0.03653 = -5.2012$$

A. V. ROE CANADA LIMITED
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REPORT NO. 7/0510/7
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PREPARED BY	DATE
<i>J. J. Turner</i>	11 Jan. 55
CHECKED BY	DATE
R. N. SHEARLY 804	MAY 6/55

AIRCRAFT: C105

Wing Tip

Wing Tip Geometry

$$Y_{0(9)} = Y_{0(2)} - 15.00 = -1.4110 - 15.00 = -16.4110$$

$$Y_{0(10)} = Y_{0(4)} - 15.00 = -2.8633 - 15.00 = -17.8633$$

$$Y_{0(11)} = Y_{0(6)} - 15.00 = -4.0323 - 15.00 = -19.0323$$

$$Y_{0(12)} = Y_{0(8)} - 15.00 = -5.2012 - 15.00 = -20.2012$$

Summarizing X & Y ordinates for wing tip load points:

load point	X	Y
1	57.1701	21.0826
2	38.6262	-1.4110
3	78.3819	28.9049
4	78.3819	-2.8633
5	110.3819	40.7055
6	110.3819	-4.0323
7	142.3819	52.5062
8	142.3819	-5.2012
9	38.6262	-16.4110
10	78.3819	-17.8633
11	110.3819	-19.0323
12	142.3819	-20.2012

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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/2
SHEET NO. 1-9

AIRCRAFT C105

Wing Tip

PREPARED BY:

D. J. Turner

DATE:

11 Jan. '55

CHECKED BY:

R. N. SHEARLY

DATE:

MAY 6/55

Wing Tip Geometry.

X_0 & Y_0 ordinates of the locus of shear centres.

The locus of shear centres has been located by calculating the Y_0 ordinate at rib 18 (ref. sht. 1-2etsq) and joining this point to the intersection of the front spar & and the aileron hinge line.

To locate this intersection geometrically, determine the equations of the front spar and of the aileron hinge line, from which the intersection point can be determined.

Having this information, and the coordinates of the shear centre at rib 18, the equation of the locus of shear centres can be written, from which the required ordinates may be calculated.

This work is done below.

Equation of aileron hinge line.

$$\begin{aligned} \text{At } X'_0 &= 166.0304 - 15.0366 = 150.9938 \\ Y'_0 &= 608.903 - 512.6667 = 96.2364 \end{aligned} \quad \left. \vphantom{\begin{aligned} X'_0 \\ Y'_0 \end{aligned}} \right\} \text{ i/b end of aileron}$$

$$\begin{aligned} \text{At } X'_0 &= 30.7008 \\ Y'_0 &= 25.3111 \end{aligned} \quad \left. \vphantom{\begin{aligned} X'_0 \\ Y'_0 \end{aligned}} \right\} \text{ o/b end of aileron}$$

See data drawing. (Fig. 4)

Now from Rep. 7/0510/2 sht 1-13

$$\begin{aligned} X_0 &= X'_0 \cos \alpha_0 + Y'_0 \sin \alpha_0 \\ &= .77163 X'_0 + .63608 Y'_0 \end{aligned}$$

A.V.ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT C105

Wing Tip

REPORT NO. 7/0510/7

SHEET NO. 1-10

PREPARED BY:

J.P. Dunbar

DATE:

12 Jan. '55

CHECKED BY:

R.N. SHERKLEY R.T.J.

DATE:

May 6/55

Wing Tip Geometry.

$$\begin{aligned} \text{and } Y_0 &= -X'_0 \sin \alpha_0 + Y'_0 \cos \alpha_0 \\ &= -.63608 X'_0 + .77163 Y'_0 \quad \text{follows.} \end{aligned}$$

hence at the i/b end of the aileron

$$\begin{aligned} X_0 &= 150.9938 X .77163 + 96.2364 X .63608 \\ &= 116.5113 + 61.2140 \\ &= 177.7253 \end{aligned}$$

$$\begin{aligned} Y_0 &= -150.9938 X .63608 + 96.2364 X .77163 \\ &= -96.0441 + 74.2589 \\ &= -21.7852 \end{aligned}$$

and at the o/b end of the aileron

$$\begin{aligned} X_0 &= 30.7008 X .77163 + 25.3111 X .63608 \\ &= 23.6897 + 16.0999 \\ &= 39.7896 \end{aligned}$$

$$\begin{aligned} Y_0 &= -30.7008 X .63608 + 25.3111 X .77163 \\ &= 0 \end{aligned}$$

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7
SHEET NO. 1-11

AIRCRAFT C105

Wing Tip

PREPARED BY:

J.J. Jenner

DATE:

12 Jan. '55

CHECKED BY:

R. N. SHEARLY ENL

DATE:

MAY. 1/55

Wing Tip Geometry

From this data the equation of the aileron hinge line may be written:

$$Y_0 + 21.7852 = \frac{21.7852}{39.7896 - 177.7253} (X_0 - 177.7253)$$

$$Y_0 = - \frac{21.7852}{137.9357} (X_0 - 177.7253) - 21.7852$$

$$= -.1579 X_0 + 6.2776$$

The equation of the front spar may be written from the following information:

At the intersection of F/S & T/S rib:

$$X_0 = 309.1772$$

$$Y_0 = 114.0153$$

ref Rep. 7/0510/2 shts 1-9

1-15 & 1-16

$$\text{At } X_0 = 0 \quad Y_0 = 0$$

$$\text{hence } Y_0 = \frac{114.0153}{309.1772} X_0 = .3688 X_0$$

A. V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-12

PREPARED BY: _____ DATE: _____

A. J. Turner 12 Jan. '55

CHECKED BY: _____ DATE: _____

R. N. SHEARLY *cap.* MAY 6/55

AIRCRAFT C105

Wing Tip

Wing Tip Geometry.

The location of the intersection of the front spar & and the aileron hinge line may now be determined.

$$Y_0 = .3688 X_0$$

$$Y_0 = -.1579 X_0 + 6.2776$$

F/S

ail. hinge line.

$$.3688 X_0 + .1579 X_0 = 6.2776$$

$$X_0 = \frac{6.2776}{.5267} = 11.9187$$

$$X_0 = \frac{Y_0}{.3688} = 2.7128 Y_0$$

$$X_0 = -\frac{Y_0}{.1579} + \frac{6.2776}{.1579} = -6.3331 Y_0 + 39.7568$$

$$2.7128 Y_0 + 6.3331 Y_0 = 39.7568$$

$$Y_0 = \frac{39.7568}{9.0459} = 4.3950$$



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-13

*

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

H. J. James

16 May 55

CHECKED BY

DATE

R. M. Sheehy

May 20/55

Wing Tip Geometry

To determine the equation of the locus of shear centres.

At rib 18

$$x_0 = 173.3489 \quad \text{st 1-5}$$

$$y_0 = 25.5202 \quad \text{st 1-3}$$

At intersection of aileron hinge line & front spar.

$$x_0 = 11.9187$$

$$y_0 = 4.3950$$

Hence

$$y_0 - 25.5202 = \frac{4.3950 - 25.5202}{11.9187 - 173.3489} (x_0 - 173.3489)$$

from which

$$y_0 = .130863 x_0 + 2.8353$$

The x_0 ordinates of the ribs are known, hence the y_0 ordinates of the shear centre locus - rib intersections may be calculated from the above.

This calculation is done in the table on st 1-14.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-14 *

AIRCRAFT C105

Wing Tip

PREPARED BY DATE

J. L. Turner 16 May '55

CHECKED BY DATE

R. W. Sherry 20 May 1955

Wing Tip Geometry

(1)	(2)	(3)	(4)
X loc'n	X_0	$.130863 X_0$	Y_0 $2.8353 + (3)$
X_{02}	173.3489	22.6850	25.5203
X_{0E}	142.3819	18.6325	21.4678
X_{0D}	110.3819	14.4449	17.2802
X_{0c}	78.3819	10.2573	13.0026



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT No 7/0510/7

SHEET No 1-17 *

AIRCRAFT:

C105

Wing Tip

PREPARED BY

DATE

J. J. Turner

16 May 55

CHECKED BY

DATE

R. W. Steady 801 MAY 20/55

Wing Tip Geometry.

Determination of b_r , (distance from F/s to R/s at rib 18), h_r , (wing thickness at shear centre at rib 18), & A_r (enclosed area of wing at rib 18)

At load points 22 & 23 h values are 6.4481 & 6.2826 respectively. (ref Rep. 7/0510/2 fig. 4)

Assume h varies linearly between points 22 & 23 (in agreement with the basic hypotheses of the analysis)

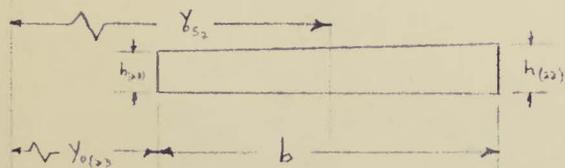
$$\Delta h = 6.4481 - 6.2826 = .1655 \text{ in.}$$

$b = 17.2413$ in (Ref rep. 7/0510/2 fig. 4) is the ribwise dist. between points 22 & 23.

$$y_{0(23)} = 14.5942 \quad (\text{ref. 7/0510/2 fig. 4})$$

$$y_{052} = 25.5203 \quad \text{sh. 1-14}$$

$$y_{052} - y_{0(23)} = 25.5203 - 14.5942 = 10.9261$$



$$\text{Then } h_r = 6.2826 + \frac{10.9261}{17.2413} \times .1655 = 6.3875 \text{ in.}$$

A.V.ROE CANADA LIMITED MALTON - ONTARIO TECHNICAL DEPARTMENT (Aircraft)		REPORT NO. <u>7/0510/7</u>	
		SHEET NO. <u>1-18</u>	
AIRCRAFT <u>C105</u>	Wing Tip	PREPARED BY: <u>D.J. Turner</u>	DATE: <u>14 Jan. '55</u>
		CHECKED BY: <u>R.N. SHEARLY RNB.</u>	DATE: <u>MAY 10/55</u>

Wing Tip Geometry

From Rep 7/0510/2 fig 4

$$b_r = 20.9266 + 17.2413 + 14.4469 + 17.6435$$

$$= 70.2583 \text{ in.}$$

A_r is considered as made up of a series of trapezoidal areas A_i where

$$A_i = b_{\text{cell}} \left(\frac{h_1 + h_2}{2} \right) \quad \text{where } h_1 \text{ \& } h_2 \text{ are h values at the two ends of the cell.}$$

$$A_r = \sum A_i = 20.9266 \frac{5.3324 + 6.2526}{2} + 17.2413 \frac{6.2826 + 6.4481}{2}$$

$$+ 14.4469 \frac{6.4481 + 5.9584}{2} + 17.6435 \frac{5.9584 + 3.7033}{2}$$

$$A_r = 121.5312 + 109.7469 + 89.6177 + 85.2331$$

$$= 406.1289$$



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-19

*

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

D. J. Turner

16 May 55

CHECKED BY

DATE

R. M. Shewley

MAY 20/55

Wing Tip GeometryCalculation of t values

From Report 7/0510/2 sht. 1-28

$$t = .00008821 Y_c + .0004691 X_c + .0774$$

t will be determined by calculating t values along the locus of shear centres, and averaging values at each end of each bay.

$$\text{hence: } t_1 = (t_{x_{st}} + t_c) \frac{1}{2} \quad t_2 = (t_c + t_D) \frac{1}{2}$$

$$t_3 = (t_D + t_E) \frac{1}{2} \quad t_4 = (t_c + t_{x_2}) \frac{1}{2}$$

	(1)	(2)	(3)	(4)	(5)	(6)
	Y_c	X_c	$.00008821 Y_c$	$.0004691 X_c$	$.0774 + (3) + (4)$	t_{av}
$t_{x_{st}}$	9.0148	47.2210	.0007952	.0219153	.1001	.1075
t_c	13.0326	78.3819	.0011542	.0363770	.1143	.1226
t_D	17.2802	110.3819	.0015243	.0512282	.1302	.1378
t_E	21.4678	142.3819	.0018937	.0660794	.1454	.1528
t_{x_2}	25.5203	173.3489	.0022511	.0804512	.1601	

A. V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-21

PREPARED BY:

V. GARDNER

DATE:

JAN 25 '55

AIRCRAFT

C105

OUTER WING

CHECKED BY:

J. J. [Signature]

DATE:

R.M. 4 MAR 55

THE OUTER WING ASSUMED STRUCTURE IS BASICALLY THE SAME AS FOR REPORT 7/0510/2.

THE DIFFERENCES ARE THAT NOW THE FRONT SPAR IS EXTENDED INBOARD TO THE TRANSPORT JOINT AND THE STRUCTURE BETWEEN X_{01} AND X_{02} IS INCLUDED IN THE STATICALLY DETERMINATE WING TIP.

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-27

AIRCRAFT

C.105

INNER WING

PREPARED BY:

V.F. GARDENER

DATE:

JAN 25 55

CHECKED BY:

J.H. Jones

DATE:

4 MAY 55

INNER WING GEOMETRY

SPAR AREAS - SKIN THICKNESSES AS FOR CENTRE SECTION
SEE p.

MAIN SPAR

$$A_{11} = \left(\frac{1}{2} \times 52.6874 \times 1832 \right) \times \cos 34^\circ 28' 11'' = 41092 \text{ sq. in.} \quad \text{824438}$$

$$A_{101} = \frac{1}{2} \times 47.6072 \times 1832 \times .824438 = 37130 \text{ sq. in.}$$

$$A_{97} = \frac{1}{2} \times 43.0171 \times 1832 \times .824438 = 33550 \text{ sq. in.}$$

$$A_{87} = \frac{1}{2} \times 38.8695 \times 1832 \times .824438 = 30315 \text{ sq. in.}$$

$$A_{73} = \frac{1}{2} \times 35.1218 \times 1832 \times .824438 = 27392 \text{ sq. in.}$$

NB THESE AREAS ARE FOR SKIN ONLY. FOR ADDITIONAL
SPAR CAP AREA SEE p. 1-29 & 1-30

FWD C/S

$$A_{118} = 52.6874 \times 1833 \times \cos 27^\circ 38' 02'' = 85560 \text{ sq. in.} \quad \text{885934}$$

$$A_{108} = 47.6072 \times 1833 \times .885934 = 77310 \text{ sq. in.}$$

$$A_{98} = 43.0171 \times 1833 \times .885934 = 69856 \text{ sq. in.}$$

$$A_{88} = 38.8695 \times 1833 \times .885934 = 63121 \text{ sq. in.}$$

$$A_{76} = 35.1218 \times 1833 \times .885934 = 57035 \text{ sq. in.}$$

A. V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-29

PREPARED BY:
V F GARDNER

DATE:
JAN 28 '55

AIRCRAFT

C105

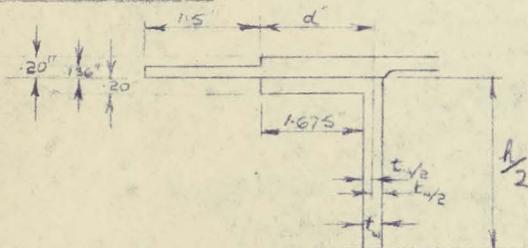
INNER WING.

CHECKED BY:
J. L. James

DATE:
4 May '55

INNER WING GEOMETRY

TOTAL MAIN SPAR AREA [INCLUDING SPAR CAPS]



A₁₇ $t_w = .125$ $d = 1.675 + .0625 = 1.7375$ $l = 15.0010$

$$A_{17} = 41092 + \frac{(15.0010 \times 125) + (1.675 \times 2) + (1.7375 \times 2) \times (15 \times 136)}{2}$$

$$= 53333 \text{ sq in}$$

A₁₀ $t_w = .15$ $d = 1.675 + .075 = 1.75$ $l = 13.3734$

$$A_{10} = 37130 + \frac{(13.3734 \times 15) + (1.675 \times 2) + (1.75 \times 2) \times (15 \times 136)}{2}$$

$$= 56050 \text{ sq in}$$

A₂₇ $t_w = .24$ $d = 1.675 + .12 = 1.795$ $l = 11.9242$

$$A_{27} = 33550 + \frac{(11.9242 \times 24) + (1.675 \times 2) + (1.795 \times 2) \times (15 \times 136)}{2}$$

$$= 56833 \text{ sq in}$$

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/1

SHEET NO. 1-30

AIRCRAFT

C105

INNER WING

PREPARED BY:
V.F. GARDENER

DATE:
JAN 31, '55

CHECKED BY:
D.L. Turner

DATE:
4 May '55

INNER WING GEOMETRY

TOTAL MAIN SPAR AREAS

A₂₁

$$t_{21} = 15 \quad d = 1.675 \times 25 = 1.925 \quad l = 10.6146$$

$$A_{21} = 30315 + \frac{(10.6146 \times 5)}{2} + (1.675 \times 2) + (1.925 \times 2) + (15 \times 126)$$

$$= 6.6091 \text{ d}^2$$

A₂₃

$$t_{23} = 15 \quad d = 1.675 \times 25 = 1.925 \quad l = 9.4126$$

$$A_{23} = 27392 + \frac{(9.4126 \times 5)}{2} + (1.675 \times 2) + (1.925 \times 2) + (15 \times 126)$$

$$= 6.0210 \text{ d}^2$$

NB IN THE REGION BETWEEN FORELUG SIDE & SO INDICATED OF TRANSPORT JOINT, THE STRUCTURE IS AS SHOWN BELOW & NOT AS ON PREVIOUS PAGE. EFFECT IS CONSIDERED NEGLIGIBLE SINCE AREAS USED ARE THOSE FOR BOTTOM SURFACE ONLY AND TOP SURFACE EFFECTIVE AREAS ARE GREATER



A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-31

AIRCRAFT

C.105

INNER WING.

PREPARED BY:

V F GARDNER

DATE:

JAN. 25 '55

CHECKED BY:

JL Turner

DATE:

4 May '55

INNER WING GEOMETRY

RIB AREAS

TRANSPORT JOINT

RIB CAP AREAS WERE OBTAINED FROM WING GROUP (JAN. 14 '55)

$$A_{14} = 8.25 + \frac{1}{2} \times 23.0506 \times 150 \times 75 + 5.000 \times .212 = 10.6038 \text{ sq. in.}$$

$$A_{15} = 5.50 + \frac{1}{2} \times 23.0506 \times 150 \times 75 + 5.000 \times .199 = 7.7888 \text{ sq. in.}$$

$$A_{18} = 4.50 + \frac{1}{2} \times 23.0506 \times 150 \times 75 + 5.000 \times .187 = 6.7288 \text{ sq. in.}$$

$$A_{21} = 4.10 + \frac{1}{2} \times 23.0506 \times 150 \times 75 + 5.000 \times .174 = 6.2638 \text{ sq. in.}$$

$$A_{20} = 6.50 + \frac{1}{2} \times 23.0506 \times 150 \times 75 + 5.000 \times .231 = 8.2070 \text{ sq. in.}$$

THE OTHER RIB AREAS ARE OBTAINED BY FACTORISING THE VALUES OF 7/0510/2 BY THE RATIO OF SKIN THICKNESSES $\frac{.150}{.204} = .73529$

$$A_{93} = A_{91} = A_{89} = 3.7069 \times .73529 = 2.7256 \text{ sq. in.}$$

$$A_{103} = A_{101} = A_{99} = 4.1024 \times .73529 = 3.0165 \text{ sq. in.}$$

$$A_{113} = A_{111} = A_{109} = 4.5401 \times .73529 = 3.3383 \text{ sq. in.}$$

$$A_{123} = A_{121} + A_{119} \text{ See centre section calculations.}$$

— * —

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-33

AIRCRAFT

C105

CENTRE SECTION

PREPARED BY:

V.F. GARBERER

DATE:

JUN 19 '55

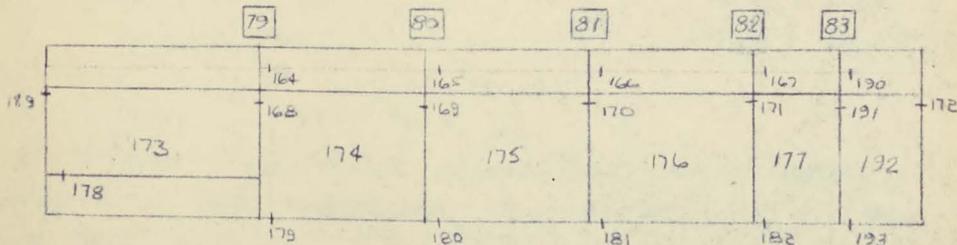
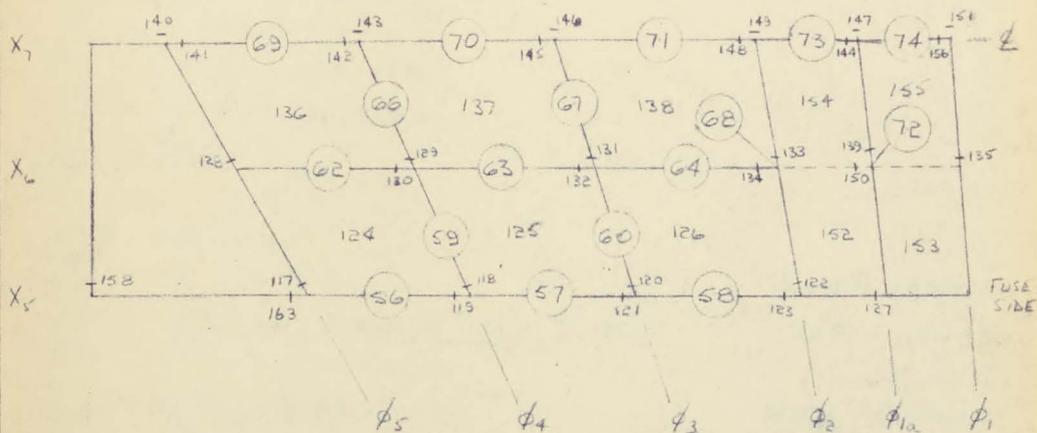
CHECKED BY:

R.M. Hendry

DATE:

JUNE 10/55

INDEX CODING



(p, q) REDUNDANCIES

(56-74), (79-83)

i, k STRESS POINTS

117-156, 158, 163-182, 189-193

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-34

PREPARED BY:
V.F. GARDBENER

DATE:
JAN 18 '55

CHECKED BY:
R. M. [Signature]

DATE:
JUNE 10/55

AIRCRAFT

C 105

CENTRE SECTION

CENTRE SECTION GEOMETRY (WING)

X ORIGINATES

$X_5 = 323.3625'$

$X_6 = 352.1625'$

$X_7 = 380.9625''$

ϕ ORIGINATES

$\phi_1 = 3^\circ 3.04'$

$TAN \phi_1 = .053296$

$\phi_{1a} = TAN^{-1} \left(\frac{761.5201 - 711.9213}{380.9625} \right) = 7^\circ 25.07'$

$TAN \phi_{1a} = .130193$

$\phi_2 = 11^\circ 10.87'$

$TAN \phi_2 = .197664$

$\phi_3 = 13^\circ 43.76'$

$TAN \phi_3 = .360600$

$\phi_4 = 27^\circ 38.02'$

$TAN \phi_4 = .523536$

$\phi_5 = 34^\circ 28.11'$

$TAN \phi_5 = .686472$

Y ORIGINATES $Y = X TAN \phi$

IN GEOMETRIC CALCULATIONS, INDIVIDUAL POINTS ARE NUMBERED

ACCORDING TO THEIR X ϕ CO-ORDS. EG, AT X: X_1 , $\phi = \phi_1$, THE POINT IS CALLED POINT 2,1

POINT	TAN ϕ	Y	POINT	TAN ϕ	Y	POINT	TAN ϕ	Y
5,1	.053296	17.2839	6,1	.063296	18.7688	7,1	.053296	20.3038
5,1a	.130193	42.0997	6,1a	.130193	45.8492	7,1a	.130193	43.5988
5,2	.197664	63.9171	6,2	.197664	63.6098	7,2	.197664	75.3026
5,3	.360600	116.6045	6,3	.360600	126.9898	7,3	.360600	137.3751
5,4	.523536	163.2913	6,4	.523536	184.3697	7,4	.523536	199.4476
5,5	.686472	221.9793	6,5	.686472	241.7497	7,5	.686472	261.5201

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-35

AIRCRAFT

C105

CENTRE SECTION

PREPARED BY:

V. F. GARDNER

DATE:

JAN 19 55

CHECKED BY:

NOT USED

DATE:

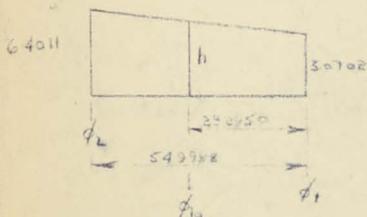
2007 JUNE 10/55

CENTRE SECTION GEOMETRY (WING)

DETERMINATION OF 'h' VALUES (WING THICKNESS) AT POINTS (7,1a) (6,1a) (5,1a)

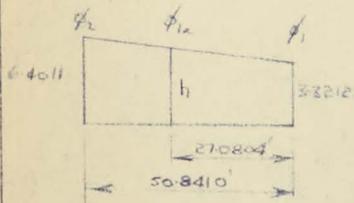
WING SURFACE AFT OF REAR SPARE $\phi_1 < \phi < \phi_2$ IS FLAT PLANE.
IE THERE IS A STRAIGHT LINE VARIATION OF 'h' BETWEEN THE
REAR SPARE & THE AFT BEAM (FALSE SPAR)

POINT (7,1a)



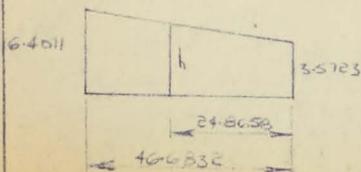
$$h = 30702 + \frac{33509 \times 27050}{54998} = 48444''$$

POINT (6,1a)



$$h = 33212 + \frac{30799 \times 270804}{508410} = 49617''$$

POINT (5,1a)



$$h = 35723 + \frac{28288 \times 248658}{406832} = 50791''$$

A. V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/5510/7

SHEET NO. 1-40

PREPARED BY:
V F GARDENER

DATE:
JAN 19 55

AIRCRAFT

C105

CENTRE SECTION

CHECKED BY:

R. J. H. [Signature]

DATE:

1955 JUNE 10/55

CENTRE SECTION GEOMETRY (WING)

SPAR AREAS

FORWARDS OF THE REAR SPAR, THE SPAR AREAS WERE SAVED ON THE SKIN AREA ALONE ALTHOUGH SKINS FULLY EFFECTIVE AND USING EQUIVALENT THICKNESS SUPPLIED BY THE WING GROUP

Main Spar	$\bar{t} = 1832$
ES C/S	$\bar{t} = \frac{1832 + 175}{2} = 1833$
AFT C/S	$\bar{t} = \frac{1775 + 1765}{2} = 1770$
Rear Spar	$\bar{t} = 1765$

Main Spar

SKIN FORWARDS OF MAIN SPAR IS .064 THICK AND WILL BE ASSUMED TO BE SOLE EFFECTIVE

$$\left. \begin{aligned} X_1 \quad A_{140} &= \left(\frac{1}{2} \times 60.012 \times 1832 + \frac{1}{2} \times 60.012 \times 0.64 \right) \cos 34^\circ 28' 11'' \\ &= 5.6600 \text{ sq} \\ X_C \quad A_{122} &= \left(1.5738 \times 1832 + \frac{1}{2} \times 3.38 \times 0.64 \right) \times 824438 = 5.2321 \text{ sq} \\ X_S \quad A_{117} &= \left(1.552874 \times 1832 + \frac{1}{2} \times 3.0674 \times 0.64 \right) \times 824438 = 4.8042 \text{ sq} \end{aligned} \right\}$$

NB

THESE AREAS DO NOT INCLUDE SPAR CAP AREA.

SEE p 1-41

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 1-42

PREPARED BY:

V.F. GARDENER

DATE:

JAN 19 '55

CHECKED BY:

L. J. G. [Signature] P.M.

DATE:

JUNE 10/55

AIRCRAFT

C.105

CENTRE SECTION

CENTRE SECTION GEOMETRY (WING)

SPARE AREAS

FWD C/S

$$\begin{aligned}
 X_7 \quad A_{143} &= 620725 \times .1833 \times \cos 27^\circ 38.02' = 10.0801 \text{ sq} \\
 X_6 \quad A_{119} &= 573800 \times .1833 \times .885934 = 9.3121 \text{ sq} \\
 X_5 \quad A_{118} &= 526874 \times .1833 \times .885934 = 8.6560 \text{ sq}
 \end{aligned}$$

AFT C/S

$$\begin{aligned}
 X_7 \quad A_{146} &= 620725 \times .1770 \times \cos 19^\circ 47.76' = 10.3354 \text{ sq} \\
 X_6 \quad A_{111} &= 573800 \times .1770 \times .945707 = 9.5541 \text{ sq} \\
 X_5 \quad A_{120} &= 526874 \times .1770 \times .945707 = 8.7727 \text{ sq}
 \end{aligned}$$

REAR SPAR

DUE TO ELEVATOR JACK ARRESTOR SKIN AFT OF REAR SPAR WILL BE CONSIDERED AT 50% EFFECTIVE FOR SPARWISE LOADING
R/S CAP AREA OF 90 sq IN WILL ALSO BE INCLUDED

SKIN THICKNESS

$$X_5 \quad t = .12''$$

$$X_6 \quad t = \left(\frac{.12 + .12}{2} \right) + .12 = .1525''$$

$$X_7 \quad t = \frac{1}{2} (.12 + .12) = .185''$$

$$X_7 \quad A_{149} = \left(\frac{1}{4} \times 257038 \times .185 + \frac{1}{2} \times 620725 \times .1765 \right) \times \cos 11^\circ 10.87' = 74231 \text{ sq}$$

$$X_6 \quad A_{133} = \left(\frac{1}{4} \times 237606 \times .1525 + \frac{1}{2} \times 573800 \times .1765 \right) \times .981013 = 67393 \text{ sq}$$

$$X_5 \quad A_{122} = \left(\frac{1}{4} \times 218174 \times .12 + \frac{1}{2} \times 526874 \times .1765 + .90 \right) \times .981013 = 61122 \text{ sq}$$

NOTE: R/S CAP AREA SHOULD NOT BE MULTIPLIED BY COS D. ERROR NEGLECTABLE



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7 *

SHEET NO. 1-52

AIRCRAFT

C-105

GEOMETRY

PREPARED BY

DATE

R.N. SHEARLY

JUNE 21/55

CHECKED BY

DATE

J. J. HORTON

JUNE 25

CENTER SECTION WING

RIB FRANGE AREAS

THE VALUES BETWEEN THE MAIN SPAC & THE
RIB SPAC WERE FOUND AS IN 7/0510/2 USING
THE NEW THICKNESS $t = .155"$

Along $x = 322.3625$ BETWEEN M/S & R/S.

$$AREA = .155 \times \frac{22.80}{2} + .155 \times \frac{31.1767}{2} * = 4.57025 \text{ sq in.}$$

FORWARD OF M/S

$$\begin{aligned} \text{CAP AREA (Top)} &= .9953 \text{ sq in.} \\ \text{(Bottom)} &= .7441 \text{ sq in.} \end{aligned} \quad \left(\begin{array}{l} \text{FOR RIBS & LEVEL OF WING SPAC} \\ \text{EMPTY FUSELAGE SIDE RIB AFT OF} \\ \text{STN. 425} \end{array} \right)$$

$$\text{SKIN (Top)} = 2.064 \times 14 = 1.2432 \text{ sq in.} \quad (\text{ASSUMED EFF. WIDTH } 14" \text{ INBD & } 14" \text{ OUBD})$$

$$\text{(Bottom)} = .064 \times 14 = .7216 \text{ sq in.} \quad (\text{ASSUMED EFF. WIDTH } 14" \text{ INBD ONLY})$$

$$\text{TOTAL AREA (Top)} = .9953 + 1.2432 = 2.2385 \text{ sq in.}$$

$$\text{(Bottom)} = .7441 + .7216 = 1.4657 \text{ sq in.}$$

$$A_{27} = \text{AVG. OF TOP & BOTTOM AREAS} = 2.2520 \text{ sq in.}$$

AFT OF R/S

$$\begin{aligned} \text{CAP AREA (Top)} &= 2.5 \times .25 \times \frac{30 \times 10^6}{10 \times 10^6} + (2.5 + 1.4) \times .12 + (232 - 12) \times .17 = \\ &= 2.9414 \text{ sq in.} \end{aligned}$$

$$\text{(Bottom)} = 2.4 \times .095 \times \frac{30 \times 10^6}{10 \times 10^6} + (2.4 + 1.25) \times .17 +$$

$$+ 2.4 \times .12 = 1.5925 \text{ sq in.}$$

NOTE: AFTER CONSULTATION WITH MR. GRIZOWSKI
REGARDING THE TWO ABOVE AREAS IT WAS
DECIDED TO INCLUDE THE HAZE AT BOTTOM & SET

$$A_{122} = 3.0000 \text{ sq in.}$$

AFT OF R/S

Along $x = 352.1625$

BETWEEN M/S & R/S.

$$AREA = .155 \times 22.80 = 4.4640 \text{ sq in.}$$

Along $x = 580.3625$

BETWEEN I/S & R/S.

$$AREA = .155 \times \frac{21.80}{2} = 2.2320 \text{ sq in.} **$$

END OF I/S

$$AREA = 1.0000 \text{ sq in.}$$

SEE AREA GRIZOWSKI

* REF. 7/0510/2 p. 2-2

** ADD FIN WING INTERSECTION BOX AREA AT R/C/S & R/S (SEE NEXT SHEET)

25 x .25"
STEEL CAP

25 x .12

14 x .12"

T 232 x .12 x .17"

T 24 x .125 x .17"



SKIN .12"

24 x .095"

STEEL CAP



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0610/17

SHEET NO. 1-56

AIRCRAFT

C-105

GEOMETRY

PREPARED BY

DATE

R.N. SHEPHERD

JUNE 6/55

CHECKED BY

DATE

J. Gardner

June 55

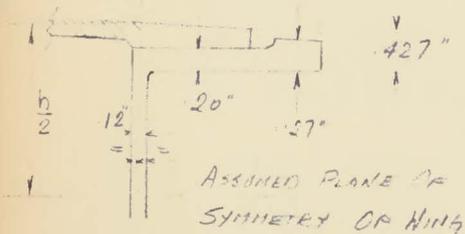
CENTER SECTION Wing

R/S

SKIN PANEL
INCLUDES
SHADED
PORTION

2.900"

1.87"

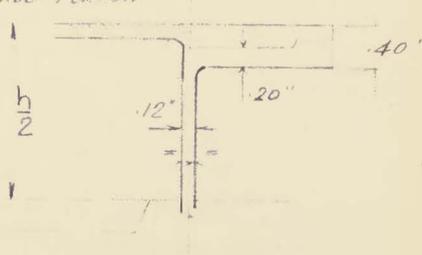


ASSUMED PLANE OF
SYMMETRY OF WING

SKIN PANEL
INCLUDES
SHADED
PORTION

 f_2

2.84"



ACTUAL REAR SPAR
CAP AREA

ASSUMED REAR SPAR
CAP AREA

R/S x_7

$$\text{AREA FWD OF } f_2 = \frac{1}{6} \times 1.992 \times 31.03625 + .20 \times .06 + .06 \times \frac{6.4011 - .8}{6} = 6.13305 \text{ sq in}$$

$$\text{AREA AFT OF } f_2 = .06 \times \frac{6.4011 - .8}{6} + .40 \times 2.84 = 1.19201 \text{ sq in}$$

$$\text{TOTAL AREA R/S AT } f_2, A_{147} = 7.32509 \text{ sq in}$$

$$x_6 \quad A_{133} = \frac{1}{6} \times 1.992 \times 28.6899 + .20 \times .06 + .12 \times \frac{6.4011 - .8}{6} + .40 \times 2.84 = 6.86657 \text{ sq in}$$

$$x_5 \quad A_{122} = \frac{1}{6} \times 1.992 \times 26.3436 + .20 \times .06 + .12 \times \frac{6.4011 - .8}{6} + .40 \times 2.84 = 6.40905 \text{ sq in}$$

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

CHECKED BY

DATE

W. J. Turner

10 Feb. '55

Transformation of Outer Wing Co-ordinates into Inner Wing System.

The transformation equations may be written in the form:

$$x = aX - bY + c$$

$$y = aY + bX + d$$

where x & y are the inner wing co-ordinates
 X & Y are the outer wing co-ordinates
 a, b, c & d are the transformation constants.

At the outer wing transport joint the coordinates of load points 19, 34, 38, 41 & 43 are known in both systems, hence two of these points will be used as a basis for solving for the transformation constants. The two points selected are load points 34 & 43.

At 34 $x = 215.5596$

$Y = 42.6084$

$X = 208.8917$

$Y = -7.6308$

At 43 $x = 215.5596$

$Y = 147.9754$

$X = 275.9137$

$Y = 73.6662$

} ref figs 5 & 6

Substituting these values in the transformation equations

(1) $215.5596 = 208.8917a + 7.6308b + c$

(2) $42.6084 = -7.6308a + 208.8917b + d$

(3) $215.5596 = 275.9137a - 73.6662b + c$

(4) $147.9754 = 73.6662a + 275.9137b + d$

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

A. J. Jones

10 Feb 55

CHECKED BY

DATE

Transformation of Outer Wing Co-ordinates

Combine (1) & (3) and (2) & (4)

$$(5) \quad 0 = 67.0220 a - 81.2970 b \quad (3) - (1)$$

$$(6) \quad 105.3670 = 81.2970 a + 67.0220 b \quad (4) - (2)$$

from (5) & (6)

$$a = \frac{81.2970}{67.0220} b = 1.212989764 b$$

$$b = \frac{105.3670}{67.0220 + 81.2970 \times 1.212989764} = \frac{105.3670}{165.63442884} = .636141898$$

$$a = 1.212989764 \times .636141898 = .771633611$$

from (1)

$$215.5596 = 208.8917 \times .771633611 + 7.6308 \times .636141898 + c$$

$$c = 215.5596 - 161.187857 - 4.854272$$

$$= 49.5175$$

from (2)

$$42.6084 = -7.6308 \times .771633611 + 208.8917 \times .636141898 + d$$

$$d = 42.6084 + 5.88818 - 132.88476$$

$$= -84.3882$$

So that

$$X = .771633611 x - .636141898 y + 49.5175$$

$$Y = .636141898 x + .771633611 y - 84.3882$$

REPORT NO. 7/0510/7

SHEET NO. 1-59

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

J. J. P. [Signature]

14 Feb. 50

CHECKED BY

DATE

Transformation of Outer Wing Co-ordinates.

This transformation is used in preparing the table of wing co-ordinates given on figures 2 & 9.

Calculations used in the preparation of the table are given on the following sheets.

It should be noted that c & d should represent the ordinates of the origin of the outer wing co-ordinate system in the inner wing system, and that a & b represent the \cos & \sin of the angle of rotation.

From fig 6 the co-ordinates required are given as

$$c = 49.8292$$

$$d = -84.3846$$

as compared to the above values

$$c = 43.5175$$

$$d = -84.3882$$

Sines & cosines agree to four figures.

It is felt, that for the purpose of balancing the Q loads on the structure, it is preferable to use the given transformation. A more accurate transformation cannot be made, as basic geometry does not give enough significant figures.

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7
SHEET NO. 1-62

AIRCRAFT

C.105

LEADING EDGE

PREPARED BY:
VFGARDNER

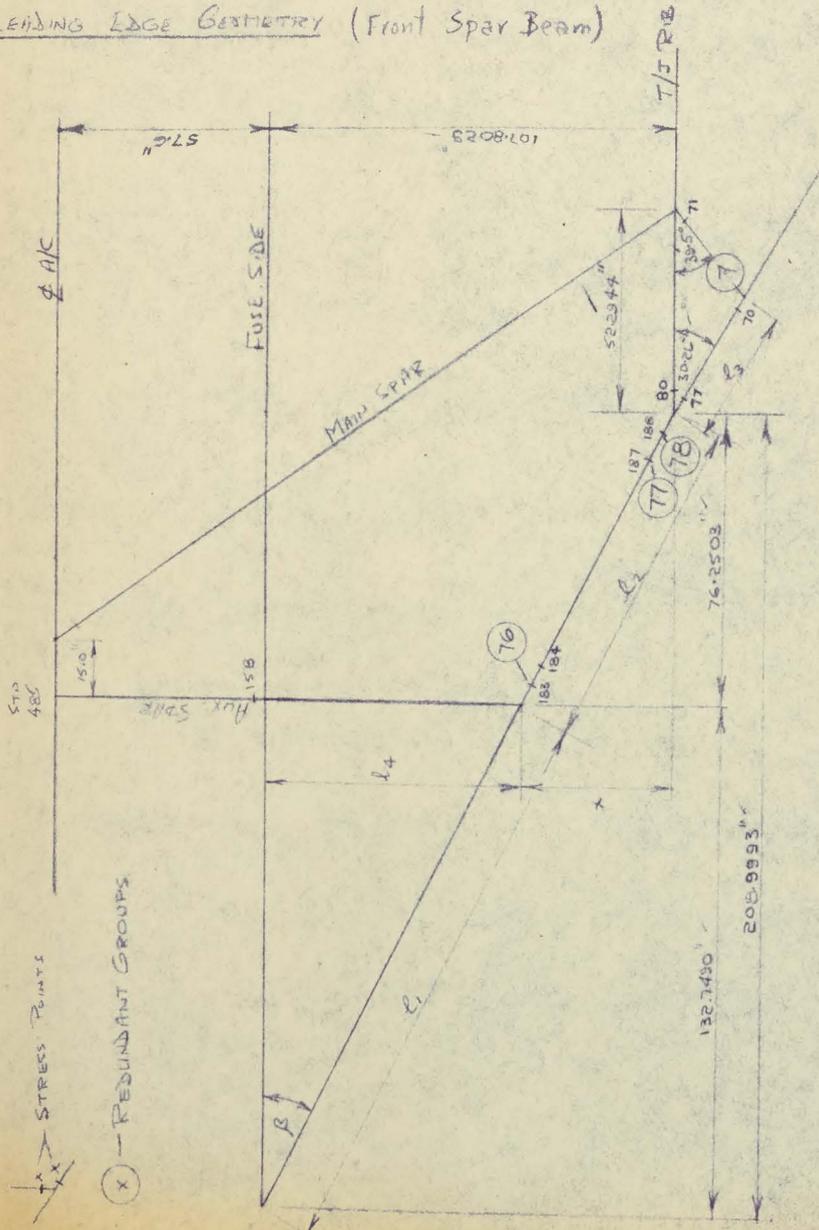
DATE:
JAN 25 '58

CHECKED BY:

Wm J. ...

DATE:
May 6 '58

LEADING EDGE GEOMETRY (Front Spar Beam)



DIMENSIONS GIVEN ABOVE ARE TAKEN FROM 7/0510/4, P. 2. 42 ET SEQ & DRAWING.

A.V.ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT

C105

LEADING EDGE

REPORT NO.

7/0610/7

SHEET NO.

1-63

PREPARED BY:

V F GARDNER

DATE:

JAN 25 '55

CHECKED BY:

W M H 25

DATE:

MAY 5 '55

LEADING EDGE GEOMETRY

$$x = \frac{107.8023 \times 76.2503}{208.9993} = 39.3303''$$

$$l_4 = 107.8023 - 39.3303 = 68.4726''$$

$$l_1 + l_2 = \left(107.8023^2 + 208.9993^2 \right)^{1/2} = 235.16414''$$

$$l_1 = \left(68.4726^2 + 132.7490^2 \right)^{1/2} = 149.36738''$$

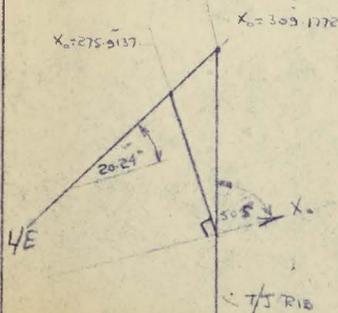
$$l_2 = 85.7962''$$

$$l = 149.3680''$$

$$\tan \beta = \frac{107.8023}{208.9993} = .515805$$

$$\beta = 27^\circ 17' 09''$$

THE LENGTH l_1 IS CALCULATED FROM OUTSIDE WING DATA



$$8 X_2 = 309.1772 - 275.9137 = 33.2635''$$

$$l_1 = \frac{33.2635''}{\cos 20.24^\circ} = 35.4527''$$

A. V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-2

AIRCRAFT C105

Wing Tip

PREPARED BY:

D. Duman

DATE:

19 Jan. '55

CHECKED BY:

D. Gardner

DATE:

21/1 28 '55

Elastic Influence Coefficients (Wing Tip)

Working Formula (ref. sht. 7-19 et seq.)

$$V = \frac{1}{2} \left\{ \frac{4LIr}{3Eh^2} \frac{t}{tr} \Delta \xi \left[\xi_2 \sigma_2^2 + \bar{\xi}_{ar} \sigma_1 \sigma_2 + \xi_1 \sigma_1^2 \right] + \frac{J_r b r^2}{6Ar} \frac{t}{t_r} \xi_{ar} \Delta \xi T^2 \right\}$$

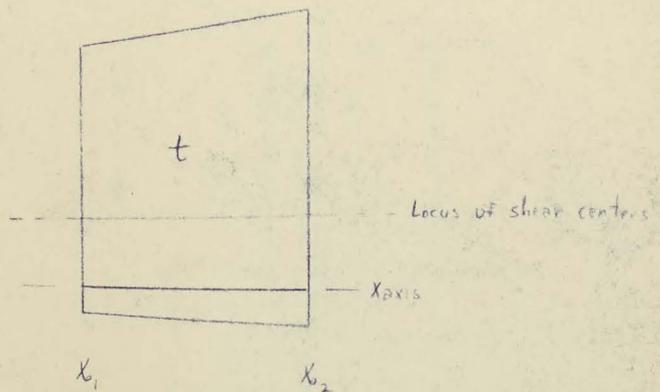
where $\xi = \frac{x_0}{L}$ $\bar{\xi}_{ar} = \xi_{ar} \left(1 - 2 \frac{\Delta \xi^2}{\xi_{ar}^2} \right)$

$\xi_{ar}^2 = \xi_1 \xi_2$ $t =$ average t in bay

Subscript r denotes values at rib 18 (i/b boundary)

This equation applies for each bay of the wing tip structure. Values of the elastic influence coefficients for each bay are calculated on the following sheets. A dummy matrix is included.

Reference should be made to the sketch on sht. 2-3



A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-3

AIRCRAFT C105

Wing Tip

PREPARED BY:
D. J. Turner

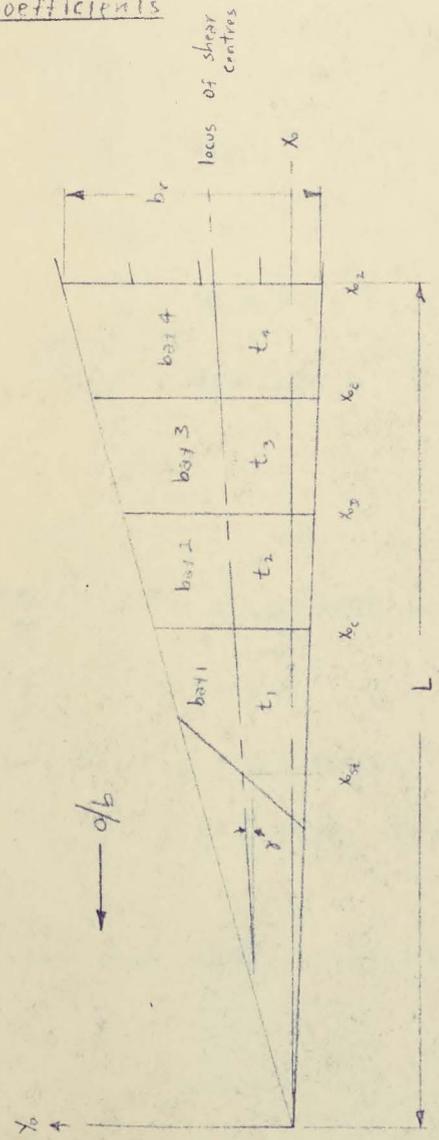
DATE:
17 Jan. '55

CHECKED BY:
D. H. Williams

DATE:
Apr 28 '55

Elastic Influence Coefficients

Wing Tip
Data required at $1/b$ boundary are:
 t_r, b_r (at locus of shear centres)
 I_r, \bar{U}_r, A_r . A_r is wing enclosed area.





AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-4 *

AIRCRAFT:

C105

Wing Tip

PREPARED BY

DATE

D. J. Turner

16 May 55

CHECKED BY

DATE

R. W. Sheehy

22 MAY 24/55

Elastic Influence Coefficients

Summary of Basic Data Required.

$$L = x_{o_2} = 173.3489 \quad I_r = 251.936 \text{ in}^4 \quad (\text{ref. sht. 1-3}) \quad \leftarrow$$

$$x_{o_{st}} = 47.2210 \quad t_r = .160 \text{ in.} \quad \leftarrow$$

$$x_c = 78.3819 \quad h_r = 6.3875 \text{ in.} \quad \leftarrow$$

$$x_D = 110.3819 \quad b_r = 70.2583 \text{ in.} \quad \leftarrow$$

$$x_E = 142.3819 \quad A_r = 406.1289 \text{ in}^2$$

$$x_{o_2} = 173.3489$$

$$t_1 = .1075 \quad t_2 = .1226 \quad t_3 = .1378 \quad t_4 = .1528$$

$$J_r = \frac{2A_r^2 t_r}{b_r} = \frac{2 \times 406.1289^2 \times .160}{70.2583} = 751.2459 \text{ in}^4$$

$$Z_r = \frac{2I_r}{h_r} = \frac{2 \times 251.936}{6.3875} = 78.8841 \text{ in}^3$$

$$\theta_r = 2A_r t_r = 2 \times 406.1289 \times .160 = 129.9613 \text{ in}^3$$

$$\frac{x_{o_{st}}}{L} = .2724 \quad \frac{x_c}{L} = .4522 \quad \frac{x_D}{L} = .6368 \quad \frac{x_E}{L} = .8214 \quad \frac{x_{o_2}}{L} = 1.0000$$

Data here is obtained from shts. 1-3, 1-5, 1-15, 1-17, 1-18 & 1-19.



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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-6 *

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

D. L. Turner

16 May '55

CHECKED BY

DATE

R. M. Slender

160 MAY 24/55

Elastic Influence CoefficientsEnergy Constants.

From data on the previous sheets:

$$\frac{4LTr}{3Eh^3} = \frac{4 \times 173,3483 \times 251,936}{3 \times 10.5 \times 10^6 \times 6.3825^3} = \frac{174,631,3132}{1285,2049 \times 10^6} = 135.9249 \times 10^{-6}$$

$$\frac{Jr_b^4 L}{GA_r^3} = \frac{751,2459 \times 76,2583^4 \times 173,3483}{4.0 \times 10^6 \times 406.1283^3} = \frac{642,8335}{659,762,7336} = 974.3404 \times 10^{-6}$$

From these figures, and data obtained from sht. 2-5, the elastic influence coefficients may be calculated for each bay.

	Bay 1	Bay 2	Bay 3	Bay 4
$\frac{t}{Tr} \Delta \xi_{22}$.0546	.0901	.1306	.1706
135.9249×10^{-6} x above	7.4215×10^{-6}	12.2468×10^{-6}	17.7518×10^{-6}	23.1588×10^{-6}
$\frac{t}{Tr} \Delta \xi_{20}$.0208	.0588	.1008	.1433
135.9249×10^{-6} x above	2.8272×10^{-6}	7.9924×10^{-6}	13.7012×10^{-6}	19.4780×10^{-6}
$\frac{t}{Tr} \Delta \xi_{11}$.0329	.0690	.1013	.1401
135.9249×10^{-6} x above	4.4713×10^{-6}	8.6332×10^{-6}	13.7632×10^{-6}	19.0431×10^{-6}
$\frac{t}{Tr} \Delta \xi_{10}$.0438	.0770	.1159	.1554
974.3404×10^{-6} x above	42.6761×10^{-6}	75.0242×10^{-6}	112.3261×10^{-6}	151.4125×10^{-6}



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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-7

*

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

J. H. Zinner

16 MAY 55

CHECKED BY

DATE

R. W. Kennedy 205 MAY 24/55

Elastic Influence Coefficients

From these figures the elements of the C_{LX} matrix for the wing tip are determined:

Bending ($\times 10^6$)

	σ_2^2	σ_3^2	$\sigma_2\sigma_3$	σ_{11}^2	$\sigma_{11}\sigma_9$	σ_{13}^2	$\sigma_{13}\sigma_{11}$
Bay 1	7.4215						
2	8.6992	12.2468	7.9924				
3		13.7692		17.7518	13.7012		
4				19.0431		23.1888	19.4780
Total	16.1207	26.0160	7.9924	36.7349	13.7012	23.1888	19.4780
or	16.1207	26.0160	2x3.9962	36.7349	2x6.8506	23.1888	2x9.7390

Torsion ($\times 10^6$)

$$42.6761 T_6^2 + 75.0242 T_8^2 + 112.9261 T_{10}^2 + 151.4125 T_{12}^2$$

Summarizing

$$V = \frac{1}{2} \left[.016121 \sigma_2^2 + .026016 \sigma_3^2 + 2x.003996 \sigma_2 \sigma_3 + .036795 \sigma_{11}^2 \right. \\ \left. + 2x.006851 \sigma_{11} \sigma_9 + .023189 \sigma_{13}^2 + 2x.009739 \sigma_{13} \sigma_{11} + .042676 T_6^2 \right. \\ \left. + .078024 T_8^2 + .112926 T_{10}^2 + .151412 T_{12}^2 \right]$$

for load in kips.

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7
SHEET NO. 2-8

AIRCRAFT C105

Wing Tip

PREPARED BY: A.P. Munro DATE: 17 Jan '55
CHECKED BY: V.F. Gardner DATE: Apr 28 '55

Elastic Influence Coefficients

Dummy Cix matrix.

		K →							
		6	7	8	9	10	11	12	13
i ↓	6	σ							
	7		σ	σ					
	8			σ					
	9		σ	σ	σ				
	10				σ				
	11				σ	σ	σ		
	12						σ		
	13						σ	σ	



AIRCRAFT:

C105

Wing Tip

PREPARED BY

DATE

J. J. Turner

29 Feb. '55

CHECKED BY

DATE

V. J. Gardner

29 Feb. '55

Statically Determinate Stresses.

Working Formulae. (See

(1) $M_i = \sum (x_{os} - x_{oq}) Q_a$

where x_{os} is x_o ordinate of locus of shear centres at i

(2) $T_i = \sum (y_{os} - y_{oq}) Q_a$

 x_{oq} is x_o ordinate of load Q_a y_{os} is y_o ordinate of locus of shear centres at i . y_{oq} is y_o ordinate of load Q_a

(3) $\sigma_i = \frac{M_i z_i}{2I_i} \sec \gamma = \frac{M_i}{z_i} \sec \gamma$

 z_i & θ_i are defined on sht. 2-11

(4) $\tau_i = \frac{T_i}{2A_i t_i} = \frac{T_i}{\theta_i}$

 γ is angle between the x_o axis and the locus of shear centres.see sketches shts 1-20, 2-3
fig 4

In this section of the report, all wing tip loads are transferred along their appropriate ribs (or equivalent) to the local shear centre. This transfer results in a vertical shear and a torque (vector perp to rib) at the local shear centre.

This torque is transferred inboard as a constant torque to the transport joint rib. These torque values are determined in the upper table on sht. 2-12. (using eqn 2 above)

The vertical shear is transferred inboard to the transport joint creating bending moments (vectors parallel to ribs) at each bending stress point. These bending moments are determined in the lower table on sht. 2-12 (using eqn 1 above)

From these torques & moments the stresses at the various stress points are determined using equations (3) & (4). This is done on sht. 2-13

- Note:
- M +ve for tension in upper wing surface
 - σ_i +ve for tensile stress in upper wing surface
 - T +ve for nose up torque
 - τ +ve for shear stress in upper skin due to T +ve
 - Q +ve load down.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-11 *

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

J.P. Turner

16 May 55

CHECKED BY

DATE

H. Turner

16/5

16 May 55

Statically Determinate Stress CoefficientsDetermination of Z & θ Values.

From sht 7-20

$$Z(x) = Z_r \left(\frac{x}{t_r}\right)^2 \frac{t}{t_r} = Z_r \xi^2 \frac{t}{t_r}$$

$$\theta(x) = \theta_r \left(\frac{x}{t_r}\right)^2 \frac{t}{t_r} = \theta_r \xi^2 \frac{t}{t_r}$$

From sht. 2-4

$Z_r = 78.8841$

$\theta_r = 129.9613$

$t_r = .160$

x	ξ	ξ^2	t	$\frac{t}{t_r}$	$\xi^2 \frac{t}{t_r}$	$Z(x)$	$\theta(x)$
						$Z_r \xi^2 \frac{t}{t_r}$	$\theta_r \xi^2 \frac{t}{t_r}$
x_{s1}	.2724	.0742	.1001	.6252	.0464	3.6602	6.0302
x_c	.4522	.2045	.1143	.7177	.1468	11.5802	19.0783
x_D	.6368	.4055	.1302	.8132	.3228	26.0160	42.8612
x_e	.8214	.6747	.1454	.9082	.6128	48.3402	79.6903
x_2	1.0000	1.0000	.1601	1.0000	1.0000	78.8841	129.9613

Data obtained from shts 1-13, 2-3 & 2-4

Determination of Elements of T_i Matrix (wing Tip)

$$\sigma_i = \frac{M_i}{z_i} \sec \delta \quad \tau_i = \frac{T_i}{\theta_i}$$

	1	2	3	4	5	6	7	8	9	10			
Stress	z_i	$\frac{\sec \delta}{z_i}$ <small>$\frac{1.505}{10}$</small>	Q_1	Q_2	Q_3	Q_4	Q_5	Q_6	Q_7	Q_8	Q_9		
			← Moments Due To										
T_1	11.5802	0.8709	21.2118	39.7557	—	—	—	—	—	—	—	39.7557	
T_2	26.0160	0.3877	53.2118	71.7557	32.0000	32.0000	—	—	—	—	—	71.7557	
T_3	48.3402	0.2086	85.2118	103.7557	64.0000	64.0000	32.0000	32.0000	—	—	—	103.7557	
T_4	78.5541	0.1278	116.1788	134.7227	94.9670	94.9670	62.9670	62.9670	30.9670	30.9670	30.9670	134.7227	
			← Torque										
	θ_i	$\frac{1}{\theta_i}$											
T_1	6.0302	0.16583	10.7659	9.3010	—	—	—	—	—	—	—	24.1	
T_2	12.0783	0.05241	10.7659	9.3010	15.8123	15.9559	—	—	—	—	—	24.1	
T_3	42.8612	0.2333	10.7659	9.3010	15.8123	15.9559	23.4253	21.3125	—	—	—	24.1	
T_4	77.6403	0.1256	10.7659	9.3010	15.8123	15.9559	23.4253	21.3125	31.0384	26.6600	24.1	24.1	
Σ													

lements of T_i Matrix (wing Tip)

$$T_i = \frac{T_i}{\theta_i}$$

5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
Moments Due To														
Q_3	Q_4	Q_5	Q_6	0	Q_8	Q_9	Q_{10}	Q_{11}	Q_{12}		Q_1	Q_2	Q_3	Q_4
											(-)(6)	(-)(4)	(-)(6)	(-)(6)
—	—	—	—	—	—	39.7557	—	—	—	—	1.84734	3.46232	—	—
32.0000	32.0000	—	—	—	—	71.7557	32.0000	—	—	—	2.06302	2.78137	1.24064	1.240
64.0000	64.0000	32.0000	32.0000	—	—	103.7557	64.0000	32.0000	—	—	1.77752	2.16434	1.33504	1.335
94.9670	94.9670	62.9670	62.9670	30.9670	30.9670	134.7227	94.9670	62.9670	30.9670	—	1.48477	1.72176	1.21368	1.2130
Torque														
—	—	—	—	—	—	24.3010	—	—	—	—	1.78531	1.59238	—	—
5.8123	15.9559	—	—	—	—	24.3010	30.9559	—	—	—	1.56424	1.48747	1.82872	1.8362
5.8123	15.9559	23.4253	21.3125	—	—	24.3010	30.9559	36.3125	—	—	1.25117	1.21693	1.36890	1.37223
5.8123	15.9559	23.4253	21.3125	31.0381	26.1670	24.3010	30.9559	36.3125	41.6620	—	1.13522	1.11682	1.19860	1.2004
											4.43671	12.41405	2.39314	5.1282



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-15 *

AIRCRAFT:

C105

Wing Tip

PREPARED BY

DATE

D. J. Turner

18 May 55

CHECKED BY

DATE

R. N. Shooly 24/55

Loads on Outer Wing at Rib 18 Shear Centre Due to Wing Tip Loads.

From the table on sht. 2-13 the moment at rib 18 (vector parallel to rib 18) may be written:

$$M_{x_2} = 116.1788 Q_1 + 134.7227 (Q_2 + Q_3) + 94.9670 (Q_4 + Q_5 + Q_6) \\ + 62.9670 (Q_7 + Q_8 + Q_9) + 30.9670 (Q_{10} + Q_{11} + Q_{12})$$

Due to the fact that the focus of the wing tip beam trapezoid is different from the focus of the outer wing trapezoid, the torque at rib 18 given in the table on sht. 2-13 may not be used for calculating wing stresses inboard of rib 18.

The correct torque at rib 18 for this purpose may be found by transferring wing tip loads to the intersection of the relevant rib and the "adjusted locus of shear centres" and transferring the resultant torque inboard (as a constant value) to rib 18. (rather than the procedure used for calculating wing tip torques - sht. 2-9 & 2-12.)

The "adjusted locus of shear centres" is defined as the straight line passing through the focus of the outer wing trapezoid ($x = y = 0$) and the shear centre at rib 18 (as determined on shts. 1-2 & 1-3).

This makes the torque acting on the outer wing at rib 18 compatible with the moments acting on the spars at rib 18.

This torque is calculated on sht. 2-17 and is

$$T_{x_2} = -12.6661 Q_1 + 7.0975 Q_2 - 17.3656 Q_3 + 14.4026 Q_4 \\ - 24.4552 Q_5 + 20.2826 Q_6 - 31.5449 Q_7 + 26.1625 Q_8 \\ + 22.0966 Q_9 + 29.4026 Q_{10} + 35.2826 Q_{11} + 41.1625 Q_{12}$$



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-16 *

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

D. J. Moran

18 May '55

CHECKED BY

DATE

R. M. Sheehy 24 May 24/55

Loads on Outer Wing at Rib 18 Shear Centre Due to Wing Tip Loads.

The vertical shear at rib 18 is simply

$$P_{x_{02}} = \sum_{a=1}^{a=12} Q_a$$

These values are used in calculating the elements of the G₁ matrix.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 2-17 *

AIRCRAFT:

C105

Wing Tip

PREPARED BY

DATE

J. J. Turner

18 May 55

CHECKED BY

DATE

R. N. Healey

20 MAY 24 1955

To find the y ordinates of the intersections of the wing tip ribs and the "adjusted locus of shear centres" and from this data to calculate T_{x_2} .

$$\text{At } x_0 = x_2 = 173.3489 \text{ (rib 18)} \quad \text{sht. 1-5}$$

$$y_0 = y_s = 25.5202 \text{ (at shear centre)} \quad \text{sht. 1-3}$$

$$\text{At } x_0 = 0 \quad y_{s_0} = 0$$

$$\text{hence } y_{s_0} = \frac{25.5202}{173.3489} x_0 = .1472187 x_0$$

load pt.	(1) * x_0	(2) y_{s_0} .1472187(1)	(3) * $-y_q$	(4) arm (2)+(3)
1	57.1701	8.41651	-21.0826	-12.6661
2	38.6262	5.68650	1.4110	7.0975
3	78.3819	11.53928	-28.9649	-17.3656
4	78.3819	11.53928	2.8633	14.4026
5	110.3819	16.25028	-40.7055	-24.4552
6	110.3819	16.25028	4.0323	20.2826
7	142.3819	20.96128	-52.5062	-31.5449
8	142.3819	20.96128	5.2012	26.1625
9	38.6262	5.68560	16.4110	22.0966
10	78.3819	11.53928	17.8633	29.4026
11	110.3819	16.25028	19.0323	35.2826
12	142.3819	20.96128	20.2012	41.1625

* ref. sht. 1-8

From cols 2 & 3 of the above table the torque arms (col. 4) may be calculated according to:

$$\text{arm} = y_{s_0} - y_{0q}$$

From this data T_{x_2} as given on sht. 2-15 is taken.



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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO 7/0510/7

SHEET NO 3-1 *

AIRCRAFT

C105

C1K

PREPARED BY

DATE

J. Turner

9 June '55

CHECKED BY

DATE

JH

Elastic Influence Coefficients.

In this section of the report the elastic influence coefficients for the major portion of the wing structure are determined. Wing tip coefficients have been calculated separately in section 2.

It should be noted that, a good many of these elements may be taken directly from report 7/0510/2, some may be found by factoring values given in report 7/0510/2, and that relatively few must be calculated from scratch.

Outer wing elements remain as given in report 7/0510/2, but terms incorporating the flexibility of the "transport joint triangle" portion of the front spar must be added. It should be noted that the outboard bay of the outer wing as defined in report 7/0510/2 is deleted here, having been incorporated in the wing tip.

Inner wing elements are all revised. This is done by factoring the elements of report 7/0510/2 to take into account the changes in skin thickness and rib & spar cap areas.

Centre section elements are all revised in the same manner as for the inner wing.

A. V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 3-2

AIRCRAFT

C105

OUTER WING

PREPARED BY:

V. F. GARDENER

DATE:

FEB 11/55

CHECKED BY:

R. N. SHEARLY

JRS

DATE:

APR. 28/55

ELASTIC INFLUENCE COEFFS

THE COEFFS FOR THE OUTER WING ARE THE SAME AS THOSE OF REPORT 7/0510/2 EXCEPT FOR (a) ADDITIONAL SPARE TERMS INTRODUCED BY EXTENSION OF THE FRONT SPAR INTRODUCED TO CUT THE TRANSPORT JOINT AT LOADING POINT 19. Note that panel 83 is considered stiff.

EXTRA TERMS ARE IN σ_{11}^2 , $\sigma_{11}\sigma_{10}$, & ADDITIONAL σ_{10}^2 .

(b) REVISED SPARE TERMS AT RIB ALONG X_{02} SEE SHEETS 3-4

FROM 7/0510/2 p 1-43

$$V = \frac{1}{2} [KV_0 \sigma_{11}^2 + 2KV_1 \sigma_{11} \sigma_{10} + KV_2 \sigma_{10}^2]$$

WHERE

$$KV_0 = \frac{2A_{S2}(X_{02} - X_{01})}{3E \cos \theta_s} \left[1 + \frac{3(X_{02} - X_{01})}{4X_{02}} \right]$$

$$KV_1 = \frac{A_{sm}}{3E \cos \theta_s} (X_{02} - X_{01})$$

$$A_{sm} = \frac{(A_{S1} + A_{S2})}{2}$$

$$KV_2 = \frac{2A_{S1}(X_{02} - X_{01})}{3E \cos \theta_s} \left[1 - \frac{3(X_{02} - X_{01})}{4X_{01}} \right]$$



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO 7/0510/7

SHEET NO 3-4

AIRCRAFT

C-105

OUTER WING

PREPARED BY

DATE

R.M. SHEARLY

APR. 27/55

CHECKED BY

DATE

JK

ELASTIC INFLUENCE COEFFICIENTSREVISED SPAR COEFFTS

SINCE THE BAY BETWEEN X_{01} & X_{02} OF THE 7/0510/2 ANALYSIS HAS BEEN CUT OFF AND INCLUDED WITH THE WING TIP IN THIS ANALYSIS THE COEFFICIENTS ASSOCIATED WITH σ_{m_i} FOR $i = 14, 16, 18, 20$ & 22 WILL NOW CONSIST OF ONLY ONE PART (FROM THE INBD SPAR ELEMENT)

SEE TABULATED COEFFTS BELOW REF 7/0510/2
SHT 1-71

SPAR ELEMENT	KV_B FOR IN LB UNITS	KV_B FOR IN KIP UNITS
14-27	2.44196×10^{-6}	.0024196
16-20	3.38632×10^{-6}	.00338632
18-31	3.40540×10^{-6}	.00340540
20-33	3.71688×10^{-6}	.00371688
22-35	2.59399×10^{-6}	.00259399

POISSON'S RATIO EFFECT

IN THE CASE OF THE COEFFTS REPRESENTING THE POISSON'S RATIO EFFECT ALONG THE RIB AT X_{02} WHICH ARE SHOWN IN 7/0510/2 SHT 1-68, THE VALUE AS USED IN THE OLD REPORT WAS USED. IT WAS FELT THAT THIS WAS JUSTIFIED BY THE FACTS

- 1) THE SPAR STRESS AT POINTS $i = 14, 16, 18, 20$ & 22 DO EXTEND OUTBD IN THE ACTUAL STRUCTURE.
- 2) THE RIB AREA INCLUDES SKIN OUTBOARD OF THE LINE X_{02} SUCH THAT THE WIDTH OF SKIN ASSUMED LUMPED ON LINE X_{02} COMES EQUALLY FROM THE INBOARD & OUTBOARD SIDE OF LINE X_{02}

A.V. ROE CANADA LIMITED
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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0310/7

SHEET NO. 3-6

AIRCRAFT

C105

INNER WING.

PREPARED BY:

V.F. GARDENER

DATE:

FEB 11 '55.

CHECKED BY:

R.H. SWEENEY

DATE:

APR 29/55

ELASTIC INFLUENCE COEFFS

SINCE ALL THE SPAR & RIB AREAS & PANEL THICKNESS HAVE BEEN CHANGED THE ELEMENTS OF THE CLK MATRIX HAVE TO BE RECALCULATED

WITH THE EXCEPTION OF THE TRANSPORT JOINT RIB, THE NEW RIB AREAS HAVE BEEN OBTAINED BY FACTORIZING THE OLD AREAS BY THE RATIO OF NEW TO OLD SKIN THICKNESS

$$= \frac{.150}{.204} = .735294$$

THUS IT IS POSSIBLE TO OBTAIN THE NEW PANEL, TRIB, RIB-PANEL COUPLING, SPAR-PANEL COUPLING, & POISSON'S RATIO TERMS BY MULTIPLYING THE OLD VALUES BY .735294.

THE OTHER ELEMENTS ARE ALSO OBTAINED BY MEANS OF THE RATIO OF THE TWO AREAS BUT THE INDIVIDUAL RATIO FOR EACH PARTICULAR POINT MUST BE USED

THIS IS DONE ON p 3-7 of sch.

THE T/S RIB ELEMENTS ARE CALCULATED ON p 3-5

A. V. ROE CANADA LIMITED
 MALTON, ONTARIO
 TECHNICAL DEPT. (AIRFRAME)

REPORT NO. 7/0310/7

SHEET 3-7

DATE FEB 7 55

AIRCRAFT C105

WEIGHT _____

C. G. POSITION _____

PREPARED BY V.F. GARRETT

5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
VALUES					VALUES FROM TABLE 7/05 p. 2-22									
	$\frac{1}{2}(8-9)$	$\frac{1}{4}$	$\frac{5}{16}$	$\frac{3}{8}$	KV_1 $\times 10^0$	KV_2 $\times 10^0$	KV_3 $\times 10^0$	KV_7 $\times 10^0$	KV_6 $\times 10^0$	KV_4 $\times 10^0$				
	A_{100}	$\frac{1}{4}$	$\frac{5}{16}$	$\frac{3}{8}$										
001	6.3151	1.12122	1.21894	1.20070	4.6581	10.3010	8.30577	5.5330	12.5662	9.8114				
033	6.1465	1.21824	.98254	1.09745	5.4834	12.1479	9.7782	6.0246	11.5479	11.3150				* THESE VALUES TO BE CORRELATED WITH C/S VALUES p. 3-13
050	5.6445	.98254	.90740	.54421	4.4846	14.3700	11.5241	6.1228	13.0353	11.3442				
083	5.7631	.90740	.87790	.30248	7.0741	17.0129	13.6437	**	*					** SEE SHT. 3-21 FOR REVISED VALUE TO BE USED
101	6.0073	.62311	.64633	.63824	7.7071	17.2622	13.7481	4.9516	11.1271	8.6471				
126	6.6489	.64633	.66290	.65433	8.0601	20.6143	16.3838	6.0647	13.6652	10.5332				
150	7.3582	.66290	.67959	.67150	11.2605	24.6281	19.5725	7.4220	16.7370	12.9746				
160	8.1435	.67959	.69521	.68771	13.2252	29.4865	23.2834	9.0379	20.4303	15.8911				
180	6.1600	.63773	.65308	.64570	14.0500	16.4367	13.0502	4.7814	10.7737	8.3518				
186	6.8173	.65308	.66820	.66130	18.8557	19.7271	15.6631	5.2563	13.1354	10.2253				
190	7.5447	.66820	.68371	.67659	22.6111	23.6384	18.7304	7.1726	16.1618	12.5228				
207	8.3498	.68371	.69785	.69107	27.122	28.3652	22.4439	8.7850	19.7947	15.3451				

ENERGY - SPAR 2 RIB TIE INS

RC SECTION

6349206 m⁶

$$KV_4 = \frac{E}{3E} A_2 (y_2 - y_1)$$

$$KV_5 = \frac{1}{3E} A_2 (y_2 - y_1)$$

$$KV_6 = \frac{2A_2(x_1 - x_2)}{3E \cos \theta_s} \left[1 - \frac{3}{4} \left(\frac{x_2 - x_1}{x_1} \right)^2 \right]$$

$$KV_7 = \frac{A_2(x_1 - x_2)}{3E \cos \theta_s}$$

$$A_{21} = \frac{A_{21} - A_{22}}{2}$$

$$KV_8 = \frac{2A_{21}(x_1 - x_2)}{3E \cos \theta_s} \left[1 - \frac{3}{4} \left(\frac{x_2 - x_1}{x_1} \right)^2 \right]$$

5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
y_1	$x_1 - y_1$	$\cos \theta_s$	$\frac{2 \times 10^6}{3E \cos \theta_s}$	$\frac{1 \times 10^6}{3E \cos \theta_s}$	$A_2(x_1 - x_2)$	$A_2(x_1 - x_2)$	$A_2(x_1 - x_2)$	$\textcircled{2} \times \textcircled{11}$	$\textcircled{2} \times \textcircled{2}$ $KV_7 \times 10^6$	$\textcircled{2} \times \textcircled{10}$	$\frac{x_1 - y_1}{x_1}$	$\frac{x_1 - y_1}{x_1}$	$1 - \frac{3}{4} \left(\frac{x_2 - x_1}{x_1} \right)^2$	$1 - \frac{3}{4} \left(\frac{x_2 - x_1}{x_1} \right)^2$
33625	28.80	.824438	077012	038506	182.2406	196.6982	189.4694	15.14312	7.29571	14.03471	.081780	.081780	1.061335	.933202
		.885934	071667	035834	246.4128	262.3613	257.3870	19.23265	3.22321	17.65367				
		.940707	067494	033747	252.6538	275.1521	263.0059	18.57152	8.20603	17.05262				
		.981019	064720	032360	176.0314	194.0318	185.0616	12.56162	6.98259	11.30275				
521625	82.4438	077012	038506	196.6982	211.1552	203.9270	16.26153	7.85241	15.14212	05598	.081780	1.056699	.933266	
		.885934	071667	035834	262.3613	290.3069	273.3341	20.80542	10.00966	19.23265				
		.940707	067494	033747	215.1521	237.6595	226.4088	20.03023	9.66544	12.57152				
		.981019	064720	032360	194.0318	213.7853	203.9386	13.83618	6.59945	12.56162				



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 3-15

AIRCRAFT:

C105

C1K

PREPARED BY

DATE

J. H. Turner

17 June '55

CHECKED BY

DATE

Centre Section - Revised Coefficients

Since the calculations in the preceding pages were completed, major changes have occurred in the section properties of the centre section wing.

In view of this it was decided to recalculate the elastic influence coefficients of this portion of the structure. This has been done in the pages following.

In some cases, straight factoring is all that is necessary, but in most cases, particularly in the border areas, major corrections were required. In particular, the treatment of the spars at the fuselage side should be noted. Here account is taken of the discontinuity in spar areas which occurs.

Elastic Influence Coefficients - Centre Section

Revised Values for Spars.

A. V. ROE

MAL
TECHNIC

AIRCRAFT
WEIGHT
C. G. POSITION

$$A_{S_m} = \frac{A_{S_1} + A_{S_2}}{2}$$

Spar Bay	1	2	3	4	5	6	7	8	9	10	11
	A_{S_1}	A_{S_2}	A_{S_m}	Revised A_{S_1}	Revised A_{S_2}	Revised A_{S_m}	Factors for KV_6 ($\frac{10}{12}$)	KV_7 ($\frac{10}{12}$)	KV_8 ($\frac{10}{11}$)	$\times KV_6$ $\times 10^6$	$\times KV_7$ $\times 10^6$
117-128	6.3278	6.8298	6.5788	5.5293	5.7022	5.6196	.83603	.85420	.87381	16.07223	7.29571
118-129	8.5560	9.3181	8.93705	8.9221	9.7908	9.3504	1.05073	1.05073	1.05074	20.41228	9.22321
120-131	8.7727	9.5541	9.1634	9.6846	10.5472	10.1159	1.10334	1.10395	1.10395	17.71060	8.90603
122-133	6.1122	6.7393	6.42575	6.4080	6.8666	6.6373	1.01889	1.03292	1.04840	13.33209	5.98859
128-140	6.8298	7.3318	7.0808	5.7099	6.1089	5.9094	.83321	.83457	.83603	17.18354	7.85241
129-143	9.3181	10.0801	9.6991	9.7908	10.5915	10.1912	1.05073	1.05074	1.05073	21.98507	10.00366
131-146	9.5541	10.3354	9.94475	10.5472	11.4098	10.5285	1.10335	1.10395	1.10394	21.22933	9.66544
133-149	6.7393	7.4231	7.0812	6.8666	7.3251	7.0958	.98680	1.00206	1.01889	14.62068	6.59995
	*	ref. sh. 3-3					Final values to be used are				

A. V. ROE CANADA LIMITED

MALTON, ONTARIO

TECHNICAL DEPT. (AIRFRAME)

AIRCRAFT C105

WEIGHT _____

C. G. POSITION _____

REPORT NO. 7/0510/7

SHEET 3-16

DATE 9 June '55

PREPARED BY J. L. Turner

As₁ + As₂

7	8	9	10	11	12	13	14	15	16	17	18	19	
Factors for			Revised Values										
KV ₆ <small>(5) (2)</small>	KV ₇ <small>(10) (3)</small>	KV ₈ <small>(10) (1)</small>	x KV ₆ <small>x 10⁶</small>	x KV ₇ <small>x 10⁶</small>	x KV ₈ <small>x 10⁶</small>	KV ₆ <small>x 10⁶</small>	KV ₇ <small>x 10⁶</small>	KV ₈ <small>x 10⁶</small>					
						<small>(5) x (10)</small>	<small>(10) x (3)</small>	<small>(10) x (1)</small>					
.83603	.85420	.87381	16.07723	7.29571	13.09722	13.49105	6.23200	11.49998					
1.05073	1.05073	1.05074	20.41228	9.22321	16.48009	21.44779	9.69110	17.31629					
1.10394	1.10395	1.10395	19.71060	8.90603	15.91354	21.75932	9.83181	17.56725					
1.01889	1.03292	1.04940	13.33209	5.98859	10.63179	13.58393	6.18573	11.14632					
.83321	.83457	.83603	17.18354	7.85241	14.21901	14.31750	6.55339	11.82752					
1.05073	1.05074	1.05073	21.98507	10.00366	18.05302	23.10637	10.51755	18.96885					
1.10395	1.10395	1.10394	21.22933	9.66594	17.43244	23.43612	10.67016	19.24427					
.98680	1.00206	1.01889	14.62068	6.59995	11.79115	14.42769	6.61304	12.01388					
Final values to be used are given on sheet 3-27													

Efficients - Centre Section

$$2V = \sigma_1^2 KV_{10} + 2\sigma_1\sigma_2 KV_{20} + \sigma_2^2 KV_{30}$$

$$KV_{10} = \frac{y_1 - y_2}{3E} \left[\frac{A_1 A_2}{\frac{1}{3}A_1 + \frac{2}{3}A_2} \right]$$

$$KV_{20} = 2 \frac{y_1 - y_2}{3E} \left[\frac{A_1 A_2}{\frac{2}{3}A_1 + \frac{1}{3}A_2} \right]$$

5	6	7	8	9	10	11	12	13	14	15	16	17	18
$\frac{1}{3}A_1$	$\frac{2}{3}A_2$	$y_1 - y_2$	$\frac{y_1 - y_2}{3E}$	$2 \frac{y_1 - y_2}{3E}$	A_1	A_2	$A_1 A_2$	$\frac{2}{3}A_1 + \frac{1}{3}A_2$ (3)+[6]	$\frac{1}{3}A_1 + \frac{2}{3}A_2$ (1)+[6] 3	$\frac{2}{3}A_1 + \frac{1}{3}A_2$ (4)+[5]	$\frac{(10)}{(15)}$	$\frac{(12)}{(14)}$	$\frac{(11)}{(13)}$
56300	56300	54.5407	1.73144	3.46288	5.9715	5.0710	5.0710	2.2520	2.2520	2.2520	2.2520	2.2520	2.2520
56300	1.14255	52.6872	1.67260	3.34520	5.0710	20.8817	10.2921	2.8316	3.4111	3.9506	1.7910	3.0172	5.2340
1.14255	1.14255	52.6872	1.67260	3.34520	20.8817	20.8817	20.8817	4.5702	4.5702	4.5702	4.5702	4.5702	4.5702
1.14255	.75000	52.6872	1.67260	3.34520	20.8817	3.0000	13.7106	4.1776	3.7851	3.39255	4.9937	3.6223	2.6529
1.11600	1.11600	57.3728	1.82158	3.64316	19.9273	19.9273	19.9273	4.4640	4.4640	4.4640	4.4640	4.4640	4.4640
1.11600	1.11600	57.3728	1.82158	3.64316	19.9273	19.9273	19.9273	4.4640	4.4640	4.4640	4.4640	4.4640	4.4640
1.11600	1.11600	57.3728	1.82158	3.64316	19.9273	19.9273	19.9273	4.4640	4.4640	4.4640	4.4640	4.4640	4.4640
2500	2500	15.0000	4.7620	9.5240	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000
2500	.55800	62.0725	1.97056	3.94112	1.0000	4.9818	2.2320	1.30800	1.6160	1.92400	.7648	1.3812	2.5893
55800	1.02325	62.0725	1.97056	3.94112	4.9818	16.7525	9.1350	2.6472	3.1625	3.6278	1.8470	2.8857	4.6178
1.02325	.68500	62.0725	1.97056	3.94112	16.7525	7.5076	11.2149	3.7148	3.4165	3.0182	4.4616	3.2825	2.4391
6 x 10 ⁻⁶											Final rib	Terms	are to

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REPORT NO. 7/0510/7

SHEET - - - 3-17

DATE - - - 20 June 55

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17	18	19	20	21	22	23	24	25	26	27	28	29
		KV_{26} <small>$\times 10^5$</small>	KV_{27} <small>$\times 10^5$</small>	KV_{28} <small>$\times 10^5$</small>								
$\frac{(10)}{(10)}$	$\frac{(11)}{(15)}$	$(9) \times (16)$	$(8) \times (17)$	$(9) \times (18)$								
2520	2.2520	7.7984	3.8992	7.7984								
0172	5.2340	5.99125	5.04657	17.50878	In these calculations the energy expression for a rib segment is taken from report Gen/1030/311 sht. 902 rather than from report 7/0510/2 sht. 2-14							
5702	4.5702	15.28823	7.64412	15.28823								
6223	2.6529	16.72500	6.05870	8.87448								
4640	4.4640	16.26307	8.13153	16.26307								
4640	4.4640	16.26307	8.13153	16.26307								
4640	4.4640	16.26307	8.13153	16.26307								
0000	1.0000	.95240	.97620	.95240								
3812	2.5893	3.01299	2.72174	10.20974								
8887	4.6178	7.27925	5.62236	18.19330								
2825	2.4391	17.58370	6.46836	9.6230								
ms are tabulated on sht 3-28												

Elastic Influence Coefficients - Centre Section

Revised Values for Panels, Panel Coupling, Poisson's Ratio.

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Panel	1	2	3	4	5	6	7	8	9	10
	* KV_1 $\times 10^6$	** KV_2 $\times 10^6$	** KV_3 $\times 10^6$	KV_{10} $\times 10^6$	KV_{11} $\times 10^6$	KV_{12} $\times 10^6$	KV_{13} $\times 10^6$	KV_{14} $\times 10^6$	Panel KV_1 $\times 10^6$	Coupling KV_2 $\times 10^6$
124	185.57574	14.21334	13.05095	.43326	.94785	.56035	1.22587		191.76108	4.68712
125	154.67173	10.37834	9.52959	1.74712	.43326	2.25958	.56035		159.82245	10.72428
126	133.38615	6.59223	6.01366	2.74937	1.74712	3.57521	2.25958		137.83235	6.76754
136	201.38222	15.37573	14.21340	.47562	1.04052	.60271	1.31855		208.11260	15.98825
137	167.86063	11.22714	10.37834	1.91794	.47562	2.43040	.60271		173.45528	11.60138
138	144.71003	7.08488	6.59224	3.03965	1.91794	3.84549	2.43040		149.58538	7.32104
<p>Due to the change in panel thickness from .150 in. to .155 in.</p> <p>factor $\frac{.155}{.150} = 1.03333$</p> <p>Data in cols 1-7 obtained from shts * 3-10, 3-11 & 3-12</p> <p>Final elements are tabulated on shts. 3-29 & 3-30 Panel</p>										



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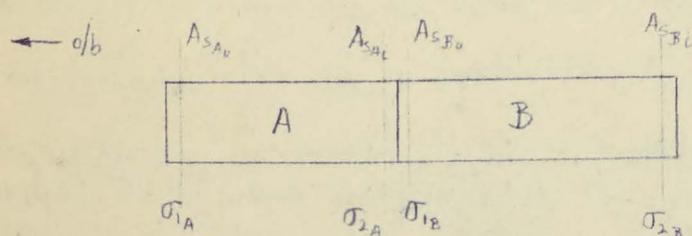
Centre Section - Spars.

Correction to spar elastic influence coefficients to incorporate the effect of the discontinuity in spar cap areas occurring at the fuselage side.

In the calculations of sht. 3-16, two spar areas at the fuselage side were used (per spar) for the determination of spar energy for the spar bays adjacent to the fuselage side. For the bay inboard of the fuselage side the cap area inboard of the fuselage side was used. For the bay outboard of the fuselage side, the cap area outboard of the fuselage side was used. Since only one stress point exists on each spar at the fuselage side, the energy expressions should be written in terms of one only of the areas.

For the T_{ix} and K_{ix} calculations it was decided to write these stresses in terms of the smaller of the two areas, hence the energy expressions must be corrected to match these conditions.

To develop the required correction factors, consider the case illustrated in the sketch below.



From the basic equations (ref. report 7/0510/2 sht. 2-13)

$$2V = KV_6 \sigma_{n_2}^2 + 2KV_7 \sigma_{n_2} \sigma_{n_1} + KV_8 \sigma_{n_1}^2$$



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Centre Section - Spars.

For the above case the basic equation gives:

$$2V = KV_{6A} \sigma_{2A}^2 + 2KV_{7A} \sigma_{2A} \sigma_{1A} + KV_{8A} \sigma_{1A}^2 + KV_{6B} \sigma_{2B}^2 + 2KV_{7B} \sigma_{2B} \sigma_{1B} + KV_{8B} \sigma_{1B}^2$$

Now it is required to replace σ_{2A} by σ_{1B} or vice versa. Since the cap end load does not change across the boundary between A & B

$$\sigma_{2A} A_{SAI} = \sigma_{1B} A_{SB0}$$

$$\text{hence } \sigma_{1B} = \sigma_{2A} \frac{A_{SAI}}{A_{SB0}} \quad \sigma_{1B}^2 = \sigma_{2A}^2 \left(\frac{A_{SAI}}{A_{SB0}} \right)^2 \quad \sigma_{1B} \sigma_{2B} = \sigma_{2A} \sigma_{2B} \frac{A_{SAI}}{A_{SB0}}$$

$$\text{OR } \sigma_{2A} = \sigma_{1B} \frac{A_{SB0}}{A_{SAI}} \quad \sigma_{2A}^2 = \sigma_{1B}^2 \left(\frac{A_{SB0}}{A_{SAI}} \right)^2 \quad \sigma_{2A} \sigma_{1A} = \sigma_{1B} \sigma_{1A} \frac{A_{SB0}}{A_{SAI}}$$

From these relations the following equations derive:

$$2V = KV_{8A} \sigma_{1A}^2 + 2KV_{7A} \sigma_{2A} \sigma_{1A} + (KV_{6A} + KV_{8A} \frac{A_{SAI}^2}{A_{SB0}^2}) \sigma_{2A}^2 + 2KV_{7B} \frac{A_{SAI}}{A_{SB0}} \sigma_{2A} \sigma_{2B} + KV_{6B} \sigma_{2B}^2$$

For the case where A_{SAI} is smaller than A_{SB0}

$$2V = (KV_{6A} \frac{A_{SB0}^2}{A_{SAI}^2} + KV_{8A}) \sigma_{1B}^2 + 2KV_{7A} \frac{A_{SB0}}{A_{SAI}} \sigma_{1B} \sigma_{1A} + KV_{8A} \sigma_{1A}^2 + KV_{6B} \sigma_{2B}^2 + 2KV_{7B} \sigma_{2B} \sigma_{1B}$$

For the case where A_{SB0} is smaller than A_{SAI}

Corrected spar coefficients are calculated on sht. 3-21 according to the above relationships.



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Centre Section - Spars

Correction to spar elastic influence coefficients due to discontinuity in cap areas at fuselage side.

Spar Bay	1 A_{SAi}	2 A_{SB0}	3 $\frac{A_{SAi}}{A_{SB0}}$	4 $(3)^2$	5 $\times KV_{8B}$ $\times 10^6$	6 $\times KV_{7B}$ $\times 10^6$	7 Coefficients of σ_{2A}^2 (5) x (4)	8 $\sigma_{2A} \sigma_{2B}$ (6) x (3)
118-129	8.5560	8.9201	.95171	.90575	17.31624	9.69110	15.68418	9.22312
120-131	8.7727	9.6846	.90584	.82055	17.56775	9.83181	14.41522	8.90605
122-133	5.9348	6.4080	.92615	.85775	11.14632	6.18573	9.56076	5.72821

For A_{SAi} less than A_{SB0} * ref. sht.

Spar Bay	1 A_{SAi}	2 A_{SB0}	3 $\frac{A_{SB0}}{A_{SAi}}$	4 $(3)^2$	5 $\dagger KV_{LA}$ $\times 10^6$	6 $\dagger KV_{7A}$ $\times 10^6$	7 σ_{1B}^2 (5) x (4)	8 $\sigma_{1A} \sigma_{1B}$ (6) x (3)
107-117	5.9333	5.5293	.93191	.86846	15.2759	6.9257	13.26651	6.45413

For A_{SB0} less than A_{SAi} † ref. sht. 3-7

Final elements of the Cix matrix are determined on sht. 3-27



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Centre Section - Spar-Panel Coupling

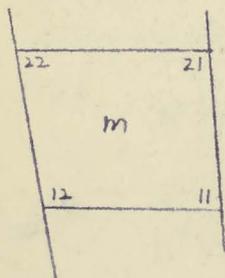
Since the spar-panel coupling energy in this region has been calculated (sht 3-18) on the assumption that spar stresses are based on the "two spar areas at the fuselage side" concept (ref sht. 3-19) these terms will have to be corrected to read in terms of the stress based on the smaller area.

The correction is determined as follows:

From the basic equations (ref. report 7/0510/2 sht 2-13)

$$2V = 2KV_2 T_m (\sigma_{n_{22}} + \sigma_{n_{21}}) + 2KV_3 T_m (\sigma_{n_{12}} + \sigma_{n_{11}}) + 2KV_2 T_m (\sigma_{t_{22}}^+ + \sigma_{t_{21}}^+) + 2KV_3 T_m (\sigma_{t_{12}}^+ + \sigma_{t_{11}}^+)$$

where the subscripts are defined in the sketch below:



From this it can be seen that for the case where A_{s_0} is smaller than A_{s_i} the coupling terms 11 & 12 must be corrected in the panel inboard of the fuselage side:

i.e. term to be corrected is $2KV_3 T_{m_i} (\sigma_{n_{12}} + \sigma_{n_{11}})$

that for the case where A_{s_i} is smaller than A_{s_0} the coupling terms 22 & 21 of the panel outboard of the fuselage side must be corrected:



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Centre Section - Spar-Panel Couplingi.e. term to be corrected is $2KV_2 J_{m_0} (\sigma_{n_{22}} + \sigma_{n_{21}})$

and that for the mixed case (i.e. panels 114 & 124) one term from each panel must be corrected.

i.e. (in the case in question) terms $2KV_3 J_{m_i} \sigma_{n_{11}}$ (panel 124) $2KV_2 J_{m_0} \sigma_{n_{22}}$ (panel 114)

The first & third cases only apply here.

From the work of sheet 3-20, for the first case (involving panels 125 & 126

$$\sigma_{n_{21}} = \sigma_{n_{20}} \frac{A_{s_{20}}}{A_{s_{21}}} \quad \sigma_{n_{11}} = \sigma_{n_{10}} \frac{A_{s_{10}}}{A_{s_{11}}} \quad (\text{both panels})$$

For the third case (involving panels 114 & 124)

$$\sigma_{n_{11}} = \sigma_{n_{10}} \frac{A_{s_{10}}}{A_{s_{11}}} \quad \text{panel 124}$$

$$\sigma_{n_{22}} = \sigma_{n_{20}} \frac{A_{s_{20}}}{A_{s_{22}}} \quad \text{panel 114}$$

From this the table on sht. 3-24 may be set up to determine the corrected coupling elements.



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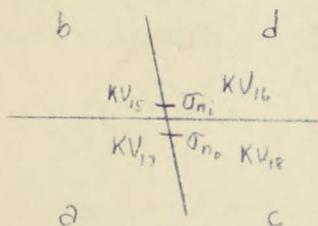
Centre Section - Poisson's Ratio

Since the Poisson's ratio energy terms in this region have been calculated (sht 3-18) on the assumption that spar stresses are based on the existence of two spar areas at the fuselage side (ref. sht. 3-19), these terms will have to be corrected to read in terms of stress based on the smaller area.

The correction is determined as follows:

From the basic equations:

$$2V = 2\sigma_n \bar{\sigma}_y (KV_{17a} + KV_{15b} + KV_{18c} + KV_{16d}) \quad \text{ref. 7/0510/2 sht. 1-67}$$



a, b, c & d are panels

As determined on sht. 3-18

$$2V = 2\sigma_{n0} \bar{\sigma}_y (KV_{17a} + KV_{18c}) + 2\sigma_{ni} \bar{\sigma}_y (KV_{15b} + KV_{16d})$$

From this, for A_{Si} smaller than A_{S0} (element 117-127)

$$2V = 2\sigma_{ni} \bar{\sigma}_y \frac{A_{Si}}{A_{S0}} (KV_{17a} + KV_{18c}) + 2\sigma_{ni} \bar{\sigma}_y (KV_{15b} + KV_{16d}) \quad \text{since } \sigma_{n0} = \sigma_{ni} \frac{A_{Si}}{A_{S0}}$$

and, for A_{S0} smaller than A_{Si} (elements 118-119, 120-121, 122-123)

$$2V = 2\sigma_{n0} \bar{\sigma}_y (KV_{17a} + KV_{18c}) + 2\sigma_{n0} \bar{\sigma}_y \frac{A_{S0}}{A_{Si}} (KV_{15b} + KV_{16d}) \quad \text{since } \sigma_{ni} = \sigma_{n0} \frac{A_{S0}}{A_{Si}}$$

These corrections are made and the elements are summarized on sht. 3-30



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Inner Wing Poisson's Ratio Terms Required for Centre Section Calculations.

These figures are derived from report 7/0510/7 sht. 2-21 and are factored to correct for the change in inner wing skin thickness.

$$\text{Correction factor is } \frac{\text{new } t}{\text{old } t} = \frac{.150}{.204} = .73529411$$

ref. sht. 3-6

old Coeff.

New Coeff.

Panel	KV_{17} $\times 10^6$	KV_{18} $\times 10^6$	KV_{17} $\times 10^6$	KV_{18} $\times 10^6$
114	- .76776	1.67964	- .56453	1.23503
115	-3.03600	- .76776	-2.27647	- .56453
116	-4.89864	-3.03600	-3.60194	-2.27647

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7	8	9	10	11	12	13	14	15	16	17	18	19
KV _{5/16} x 10 ⁴	(6) + (-)	Cross Product Element x 10 ⁶	Element	KV _{5/16} x 10 ⁶	KV _{6/16} x 10 ⁶	(10) + (12)	Cross Product Element x 10 ⁶	Element	KV _{5/16} x 10 ⁶	KV _{6/16} x 10 ⁶	(11) + (13)	Cross Product Element x 10 ⁶
20.4993	36.18348	—	120-120	14.41522	19.7347	34.2092	—	122-122	9.56076	12.8409	22.40166	—
—	—	9.22312	120-131	—	—	—	8.96605	122-133	—	—	—	5.72831
21.44779	40.41664	—	131-131	19.24487	21.75932	41.00319	—	133-133	12.01388	13.58323	25.59711	—
—	—	10.51255	131-146	—	—	—	10.67016	133-141	—	—	—	6.61304
23.10657	23.16737	—	146-146	—	23.43612	23.43612	—	141-141	—	14.42769	14.42769	—



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Centre Section - Coupling

Summary of Coupling Elements.

	KV x 10 ⁶		KV x 10 ⁶
124-127	13.48598	136-128	14.68718
124-117	13.48598	136-141	15.88825
124-128	14.68712	136-140	15.88825
124-130	14.68712	136-142	15.88825
124-129	14.68712	136-143	15.88825
124-119	13.48598	136-130	14.68718
124-118	12.83474	136-129	14.68718
125-119	9.84724	137-130	10.72428
125-118	9.37172	137-129	10.72428
125-130	10.72428	137-142	11.60138
125-129	10.72428	137-143	11.60138
125-132	10.72428	137-145	11.60138
125-131	10.72428	137-146	11.60138
125-121	9.84924	137-132	10.72428
125-120	8.92002	137-131	10.72428
126-121	6.21412	138-132	6.76755
126-120	5.62900	138-131	6.76755
126-132	6.76754	138-145	7.32104
126-131	6.76754	138-146	7.32104
126-134	6.76754	138-148	7.32104
126-133	6.76754	138-149	7.32104
126-123	6.21412	138-134	6.76755
126-122	5.75521	138-133	6.76755
114-117	13.16665		



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Kip.

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Introduction

In this section of the report the redundant stress coefficients for the complete wing are calculated.

No redundancies occur in the wing tip analysis, hence there are no wing tip calculations here.

Since there were no section property changes in the outer wing, elements of the Kip matrix may be taken directly from report 7/0510/2. However it should be noted that with the removal of the outboard bay from the outer wing, redundancies 1-7, inclusive, of report 7/0510/2 no longer exist.

With the addition of some flexibility for the transport joint triangle (cell 83), a further redundancy has been added on the outer wing face of this triangle. This redundancy has been given the index 7, and coefficients for it are calculated in this section.

Redundant stresses at the transport joint are revised in accordance with the revised approach to this problem given in section 7.

Elements of the inner wing and centre section wing (other than those mentioned above) are obtained by factoring the figures taken from report 7/0510/2 to account for the changes in skin thickness and rib & spar cap areas.

Note that redundant stresses at the fuselage centre line require special treatment.

Since the completion of the work of this section, several changes have been made in panel thicknesses and spar and rib cap areas. As a result, the matrix derived from these calculations must be factored by an appropriate set of correction factors before being used. These factors are calculated and tabulated in section 6.



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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO 7/0510/7

SHEET NO 4-2

AIRCRAFT.

C105

Kip

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DATE

D. J. Jones

17 June 55

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DATE

Redundant Stress Coefficients

It should be noted that the redefinition of the problem (to wing only) while work was in process cancelled some stress points and redundancies. Where possible work involving these was removed from the report, but this was not always possible. Hence reference to non-existent indices may be found throughout this section. See fig. 8 for the final numbering code.

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J.R. Dunbar

28 April '55

REDUNDANT GROUP M_7 (CONT.)

$$\sigma_{70} = (K_{S_2})_{70} M_7$$

$$= .042317 M_7 \quad \text{REF. REPORT 7/0510/2 SHT 1-52}$$

$$\sigma_{72} = -\left(\frac{1}{h \cos \theta A_{S_1}}\right)_{72} M_7 + \text{A TERM FOR } M_{33}$$

$$= (K_{S_1})_{72} M_7 + \dots$$

$$= -.018200 M_7 + \dots \quad \text{REF. REPORT 7/0510/2 SHT 1-52}$$

THE EFFECTS OF REDUNDANT GROUP M_7 ON STRESS POINTS $i = 71 \& 74$ WILL BE CONSIDERED BELOW

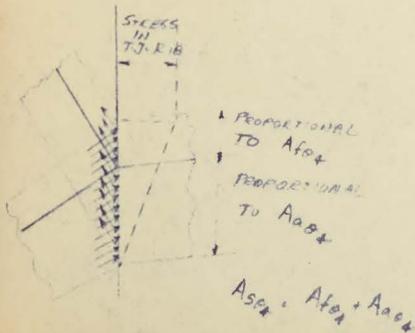
$$\sigma_{71} = \left(\frac{\cot \alpha - \tan \theta_4}{h A_r}\right)_{71} M_7 + \text{A TERM FOR } M_{32}$$

see sketch on previous sheet.

$$= \frac{1}{.824445} - .26699 M_7 + \dots$$

$$= \frac{1}{9.4312} = 4.6468 M_7 + \dots$$

$$= .021585 M_7 + \dots$$



DUE TO THE SPREADING OF THE LUMPED SPAR & RIB AREAS (OVER WING) THE STRESS AT RIB POINT $i = 74$ IS AS FOLLOWS

$$\sigma_{74} = \left(1 - \frac{A_{r4}}{A_{s4}}\right) \frac{M_{74}^*}{(h A_r)_{74}} = .650739 \frac{M_{74}^*}{(h A_r)_{74}}$$

(SEE FIGURE AT LEFT)

M_{74}^* IS THE PORTION OF M_{74} DUE TO M_7

TECHNICAL DEPARTMENT (Aircraft)

REPORT No.	7/0510/7
SHEET No.	4-6
PREPARED BY	DATE
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H. J. JAMES	28 April 55

AIRCRAFT:	
C-105	Kip

REDUNDANT STRESSES AT THE T.J. RIB BETWEEN INNER & OUTER WINGS

WITH THE NUMBERING SYSTEM, USED IN THIS REPORT, OF THE REDUNDANT GROUPS AT THE T.J. THE STRESSES AT ALL STRESS POINTS OF THE OUTER WING COORDINATE SYSTEM (L = 14 TO 72) ARE FOUND IN THE REGULAR MANNER FOR THE OUTER WING (SEE SHEET 1-39 REPORT 7/0510/2) WITH THE EXCEPTION OF THE STRESSES PRODUCED BY THE REDUNDANT GROUP MF₇. THESE LATTER STRESSES WERE DEALT WITH EARLIER IN THIS SECTION. SEE SHEETS 4-3 & 4-4 & 4-4a

TO CALCULATE THE STRESSES IN THE SPAR & RIB STRESS POINTS L = 73, 74, 75, 76, 78, 79, 81 & 82 THE FOLLOWING TRANSFORMATION MUST BE MADE.

$$M_H = \frac{h_{11}b_2}{h_{11}b_2 + h_{22}b_1} \frac{MF_{x_2} \cos(\alpha + \theta_2)}{\cos \theta_2} + \frac{h_{22}b_1}{h_{11}b_2 + h_{22}b_1} \frac{MF_{x_1} \cos(\alpha + \theta_1)}{\cos \theta_1} + \frac{h_{11}b_2}{h_{11}b_2 + h_{22}b_1} \frac{MF_{\theta_2} \sin \alpha}{\cos \theta_2} + \frac{h_{22}b_1}{h_{11}b_2 + h_{22}b_1} \frac{MF_{\theta_1} \sin \alpha}{\cos \theta_1}$$

$$M_{R_2} = \frac{A_{\theta_2}}{A_{\theta_2}} \left\{ \frac{MF_{x_2}}{\cos \theta_2} \sin(\alpha + \theta_2) + \frac{MF_{\theta_2}}{\cos \theta_2} \cos \alpha \right\}$$

$$M_{R_1} = \frac{A_{\theta_1}}{A_{\theta_1}} \left\{ \frac{MF_{x_1}}{\cos \theta_1} \sin(\alpha + \theta_1) + \frac{MF_{\theta_1}}{\cos \theta_1} \cos \alpha \right\}$$

REF

SEE FIGURE ON NEXT SHEET FOR DEFINITIONS

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C-105

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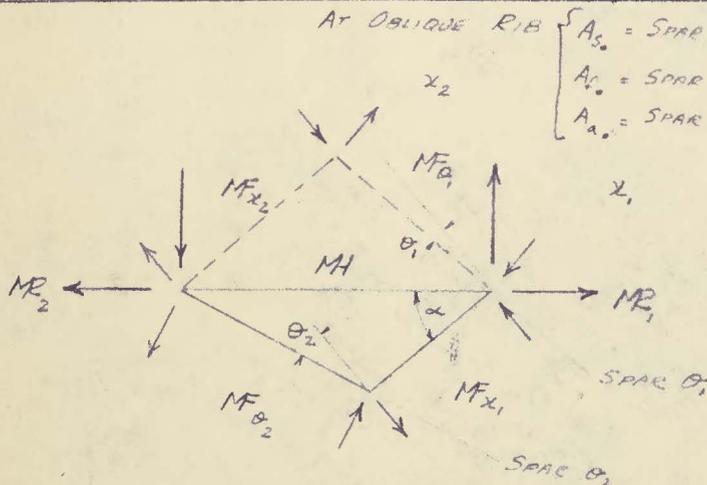
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DATE

J.P. Turner

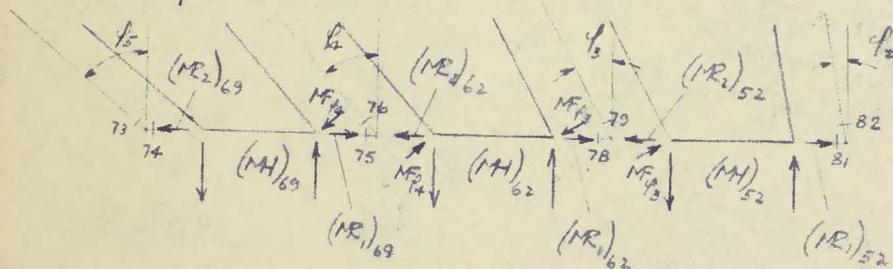
RM

28 April '55



A_s = SPAR AREA OF SPAR •
 A_{θ_1} = SPAR AREA FWD OF WEB OF SPAR •
 A_{θ_2} = SPAR AREA AFT OF WEB OF SPAR •

THESE REDUNDANT GROUPS M_H , M_{R_2} & M_{R_1} PRODUCE STRESSES AS OUTLINED BELOW



STRESS IN A TYPICAL SPAR STRESS POINT

$$\sigma_m = \frac{1}{h \cos \phi} A_s \left\{ (M_H)_{\phi-} - (M_H)_{\phi+} \right\}$$

STRESS IN A TYPICAL RIB STRESS POINT

$$\sigma_y = \frac{1}{h A_r} \left[(M_{R_2})_{\phi-} + (M_{R_2})_{\phi+} + \frac{\cos \phi}{A_s} \left\{ A_{\theta_1} (M_H)_{\phi-} + A_{\theta_2} (M_H)_{\phi+} \right\} - \frac{1}{\cos \phi} M_H \right]$$

WHERE THE EFFECT OF THE M_H GROUPS ARE ACCORDING TO THE FOLLOWING TYPICAL INTERPRETATION

A. V. ROE CANADA LIMITED
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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 4-9

AIRCRAFT:

C-105

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PREPARED BY

DATE

E. N. SHEARLY

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DATE

J. J. Turner

RMS

28 April 55

STRESS IN A TYPICAL PANEL STRESS POINT OF INNER WING IS FOUND
IN THE REGULAR MANNER FOR THE INNER WING
USING THE APPROPRIATE MA GROUP FOR THE MF₁
GROUP AND CONSIDERING THAT THE MR GROUP
AFFECTS THE RIB ONLY.

A. V. ROE CANADA LIMITED

MALTON, ONTARIO
TECHNICAL DEPT. (AIRFRAME)

REPORT NO. 7/25-17

SHEET 4-12

DATE JAN 18/55

PREPARED BY R. H. S. [Signature]

AIRCRAFT C-119

WEIGHT _____

C. G. POSITION _____

THE RECORD
178, 218,

4-10 50 60 70 80

7	8	9	10	11	12	13	14	15	16	17	18	19
$\frac{h_1 b_2 - h_2 b_1}{h_1 b_2 + h_2 b_1}$	$\frac{h_1 b_2}{h_1 b_2 + h_2 b_1}$	$\frac{h_2 b_1}{h_1 b_2 + h_2 b_1}$	θ_1	θ_2	$\theta_1 + \theta_2$	$\theta_1 - \theta_2$	$\cos \theta_1$	$\cos \theta_2$	$\cos(\theta_1 + \theta_2)$	$\cos(\theta_1 - \theta_2)$	$\sin(\theta_1 + \theta_2)$	$\sin(\theta_1 - \theta_2)$
$\frac{b_1}{b_2}$	$\frac{b_2}{b_1}$	$\frac{b_1}{b_2}$	*	*	*	*	*	*	*	*	*	*
329.033	453278	540702	4.32°	-2.03°	44.32°	37.41°	.796463	.999225	.715402	.794273	.698707	.607521
426.234	493553	516431	10.41°	4.82°	42.91°	44.32°	.793540	.996463	.645946	.715402	.765111	.419767
415.131	519291	480109	14.95°	10.41°	54.45°	42.91°	.766151	.103540	291266	143946	25642	725071
26	27	28	29	30	31	32	33	34	35	36	37	38
KJ ₂	KJ ₄	KJ ₅	KJ ₆	KJ ₇	KJ ₈							
(21) $\frac{b_1}{b_2}$	(21) $\frac{b_2}{b_1}$	(22) * (13)	(22) $\frac{b_1}{b_2}$	(23) * (10)	(23) $\frac{b_2}{b_1}$							
.293207	.344185	.350574	.387162	.128367	.163022							
.319227	.323297	.288939	.392247	.350574	.397162							
.342304	.310522	.294129	.278925	.398939	.392247							

A. V. ROE CANADA LIMITED
MALTON · ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT No. 7/0510/7

SHEET No. 4-13

AIRCRAFT:

C-105

Kip

PREPARED BY

DATE

R.N. SHEARLY

JAN. 20/55

CHECKED BY

DATE

H. J. JAMES

29 April 55

REDUNDANT GROUPS MH_1, MR_2 & MR_1 IN TERMS OF
REDUNDANT GROUPS MF_{37} & MF_{38}

$$(MH)_{52} = .329752 MF_{37} + .429751 MF_{21} + .293209 MF_{24} + .344185 MF_{38}$$

$$(MH)_{62} = .323151 MF_{35} + .363591 MF_{27} + .319227 MF_{29} + .323299 MF_{36}$$

$$(MH)_{67} = .312836 MF_{33} + .314338 MF_{31} + .342304 MF_{32} + .310522 MF_{34}$$

$$(MR_2)_{52} = -.350594 MF_{37} + .387162 MF_{24}$$

$$(MR_1)_{52} = -.128367 MF_{21} + .163022 MF_{38}$$

$$(MR_2)_{62} = -.388938 MF_{35} + .392249 MF_{29}$$

$$(MR_1)_{62} = -.350594 MF_{27} + .387162 MF_{36}$$

$$(MR_2)_{67} = -.294129 MF_{33} + .278925 MF_{32}$$

$$(MR_1)_{67} = -.388938 MF_{31} + .392249 MF_{34}$$

COEFFICIENTS FROM SHT. 4-12

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 4-14

AIRCRAFT:

C-105

Kip

PREPARED BY

DATE

R. N. SNEARLY

JAN. 19/55

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DATE

J. J. Linn

RS. 29 April '55

CALCULATIONS OF THE COEFFICIENTS RELATING SPAR STRESSES
AT THE OBLIQUE RIB (AT SPAR SPOTS $i = 73, 76, 79, \& 82$) IN
TERMS OF THE REDUNDANT GROUPS $(M)_i$ & $(M)_{i+1}$
SEE SH 4-10 FOR EQUATIONS

	1	2	3	4	5	6
SPAR SPOT	h	$co. of$	$h co. of$ ① × ②	A_s	$h co. / A_s$ ③ × ④	KK_1 ⑤ / ⑥
73	7.4312	.824438	7.7754	6.0210	46.8157	.0213604
76	9.3858	.885334	8.3152	5.7035	47.4257	.0210856
79	8.3414	.940707	7.8468	5.8420	45.8881	.0217921
82	6.4011	.931019	6.2796	4.4141	27.7188	.0360766

ref. Fig. 6

NOTE $KK_2 = -KK_1$

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REPORT No. 7/25/10/7

SHEET No. 4-16

AIRCRAFT:

C-105

Kip

PREPARED BY

DATE

R. N. SHERWIN

JAN 12/55

CHECKED BY

DATE

Mr. [unclear] MR

29 April 55

S-CESSES A- SPOOR SPOORS 63 74, 76, 77 & 82 IN TERMS OF
REDUNDANT GROUPS MH

$$S_{73} = .0213604 (M)_{69}$$

$$S_{74} = .0210956 (M)_{62} - .0210856 (M)_{69}$$

$$S_{77} = .0217921 (M)_{52} - .0217921 (M)_{62}$$

$$S_{82} = -.0360766 (M)_{52}$$

Ref. 5-4-14

S-CESSES A- RIB SPOORS 63 74, 75, 78 & 81 IN TERMS OF
REDUNDANT GROUPS MH, MR & MF

$$S_{74} = .00999934 (MR)_{69} + .00239741 (M)_{69}$$

$$S_{75} = .0136791 \{ (MR)_{62} + (MR)_{69} \} + .00352075 \{ (M)_{62} + (M)_{69} \} - .01544031 F_{39}$$

$$S_{78} = .0178165 \{ (MR)_{52} + (MR)_{62} \} + .00321231 \{ (M)_{52} + (M)_{62} \} - .01893951 F_{40}$$

$$S_{81} = .0249406 (MR)_{52} + .0414090 (M)_{52}$$

Ref. 5-4-15

S-CESSES A- PANEL SPOORS 63 84, 85 & 86 IN TERMS OF
REDUNDANT GROUPS MH + Ref. 7/25/10/2
5-4-16

$$S_{84} = -\left(\frac{b_2}{a_2 u_1}\right)_{84} (M)_{63} + = -.013583 \times \frac{.204}{.150} (M)_{69} + = -.0154473 (M)_{69} +$$

$$S_{85} = -\left(\frac{b_2}{a_2 u_1}\right)_{85} (M)_{62} + = -.0123098 \times \frac{.204}{.150} (M)_{62} + = -.0167413 (M)_{62} +$$

$$S_{86} = -\left(\frac{b_2}{a_2 u_1}\right)_{86} (M)_{52} + = -.0150554 \times \frac{.204}{.150} (M)_{52} + = -.0204760 (M)_{52} +$$

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 4-17

PREPARED BY

DATE

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JAN. 20/55

CHECKED BY

DATE

J.D. Turner R78

29 April 55

AIRCRAFT:

C-105

Kip

COMBINING THE INFORMATION ON SHTS 4-13 & 4-16 YIELDS
STRESSES AT SPAR SPOTS L= 73, 76, 79 & 82 IN TERMS
OF REDUNDANT GROUPS MF_{x_0} 's & MF_{θ} 's

$$\sigma_{73} = .0213604 (.312836 MF_{33} + .314338 MF_{31} + .342304 MF_{32} + .310522 MF_{34})$$

$$\sigma_{76} = .0210856 (.323151 MF_{35} + .363591 MF_{27} + .319227 MF_{29} + .323299 MF_{36}) -$$

$$-.0210856 (.312836 MF_{33} + .314338 MF_{31} + .342304 MF_{32} + .310522 MF_{34})$$

$$\sigma_{79} = .0217921 (.329752 MF_{37} + .429751 MF_{21} + .293209 MF_{24} + .344185 MF_{38}) -$$

$$-.0217921 (.323151 MF_{35} + .363591 MF_{27} + .319227 MF_{29} + .323299 MF_{36})$$

$$\sigma_{82} = -.0360766 (.329752 MF_{37} + .429751 MF_{21} + .293209 MF_{24} + .344185 MF_{38})$$

STRESSES AT RIB SPOTS L= 74, 75, 78 & 81 IN TERMS OF
REDUNDANT GROUPS MF_{x_0} 's, MF_{θ} 's & MF_{ϕ} 's

$$\sigma_{74} = .0099934 (-.294129 MF_{33} + .278925 MF_{32}) +$$

$$+.00239741 (.312836 MF_{33} + .314338 MF_{31} + .342304 MF_{32} + .310522 MF_{34})$$

$$\sigma_{75} = .0136791 (-.388938 MF_{35} + .392249 MF_{29} - .388938 MF_{31} + .392249 MF_{34}) +$$

$$+.00358075 (.323151 MF_{35} + .363591 MF_{27} + .319227 MF_{29} + .323299 MF_{36}) +$$

$$+.00358075 (.312836 MF_{33} + .314338 MF_{31} + .342304 MF_{32} + .310522 MF_{34}) -$$

$$-.0154408 MF_{37}$$

$$\sigma_{78} = .0178165 (-.350594 MF_{37} + .387162 MF_{24} - .350594 MF_{27} + .387162 MF_{36}) +$$

$$+.00321231 (.329752 MF_{37} + .429751 MF_{21} + .293209 MF_{24} + .344185 MF_{38}) +$$

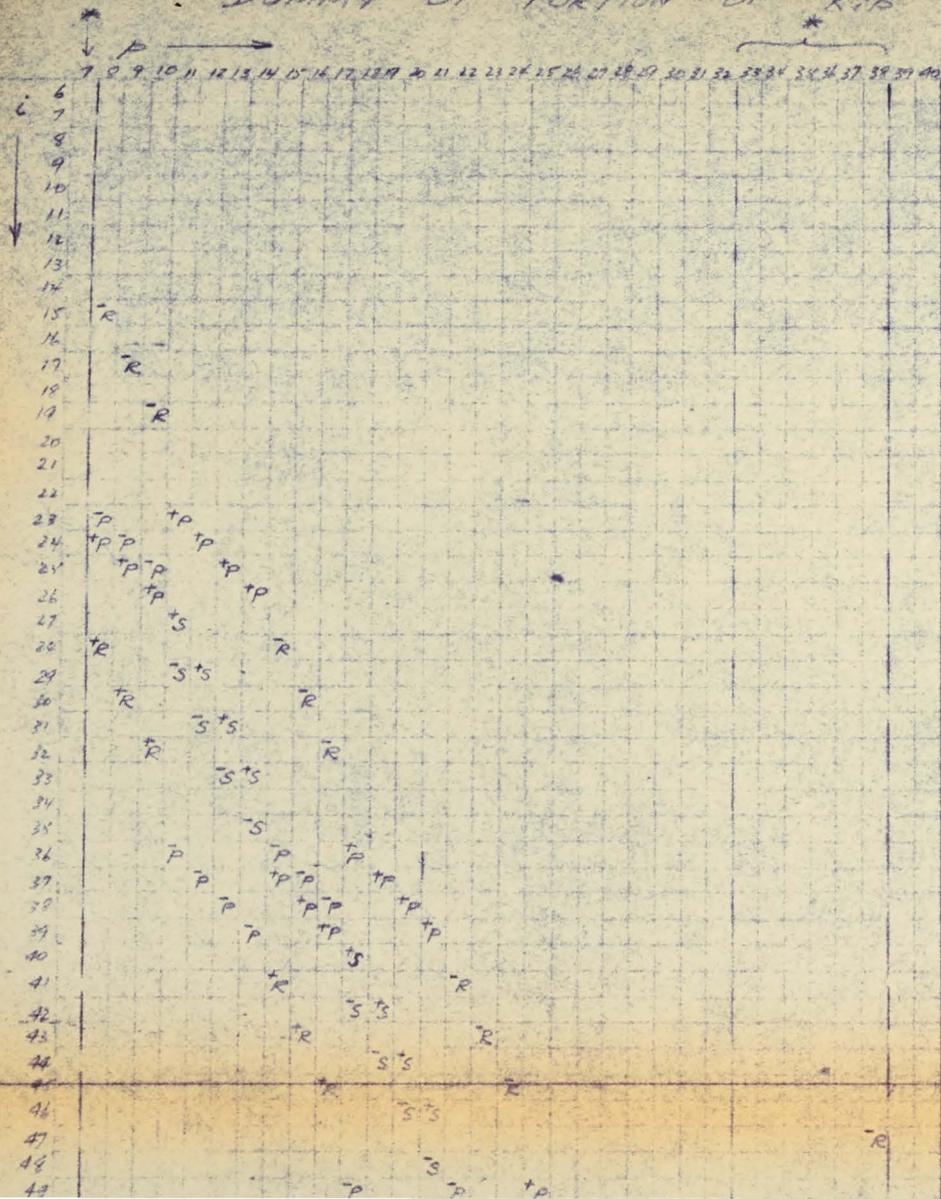
$$+.00321231 (.323151 MF_{35} + .363591 MF_{27} + .319227 MF_{29} + .323299 MF_{36}) -$$

$$-.0189395 MF_{40}$$

$$\sigma_{81} = .0249406 (-.128367 MF_{21} + .163022 MF_{38}) +$$

$$+.00104090 (.329752 MF_{37} + .429751 MF_{21} + .293209 MF_{24} + .344185 MF_{38})$$

DUMMY OF PORTION OF KIP MATRIX



CODE

- S SPAC TERMS } SIGNS
- R RIB TERMS } NOTED
- P PANEL TERMS }
- NEW TERMS FOR THIS REPORT
- * THESE VALUES OF P ARE NEW FOR THIS REPORT

SOURCE OF COEFFICIENTS

(1) THE COEFFICIENTS IN THE PORTION $l=6$ TO 12 & $p=8$ TO 32 ARE TAKEN FROM THE KIP MATRIX IN REPORT 7/OSIO/2. NOTE! THE FOLLOWING COEFFICIENTS, ALTHOUGH APPEARING IN THE MATRIX OF REPORT 7/OSIO/2 DO NOT APPEAR AT LEFT DUE TO THE REVISED NUMBERING OF THE REDUNDANT GROUPS AT THE T.J. RIB.

Kip For $l=47$ & $p=24$

	58	29
{SEE NOTE (4)}	59	21, 24
	66	32
	67	27, 29
	72	31, 32

(2) THE COEFFICIENTS IN THE PORTION, $l=6$ TO 72 & $p=33$ TO 38 ARE TAKEN FROM TABLE ON SLIDE 1-57

27,29
67
72
73

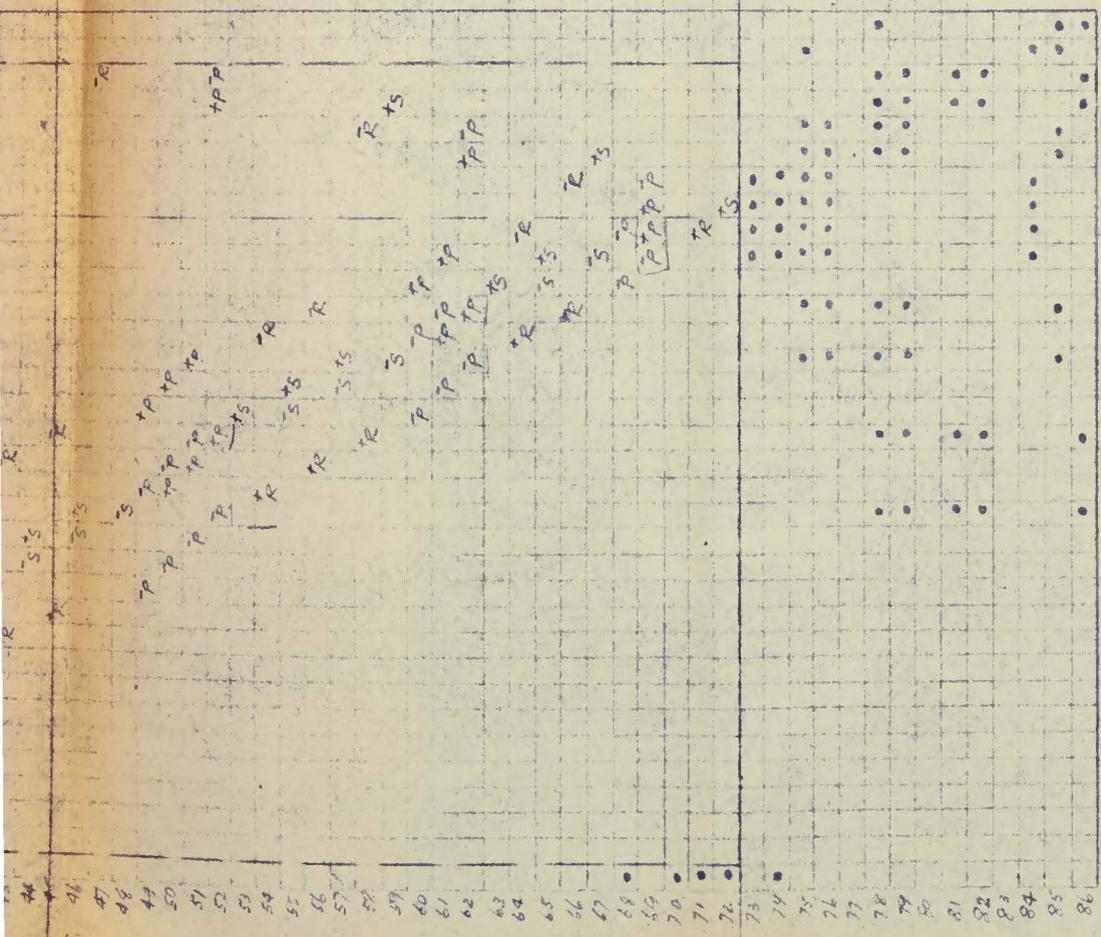
(2) THE COEFFICIENTS IN THE PORTION 60-6 TO 72 & P=33 TO 38 ARE TAKEN FROM TABLES ON SHEETS 1-51 & 1-52 OF REPORT 7/0510/2 IN ACCORDANCE WITH THE EQUATIONS OF SHEET 1-39 ON THE SAME REPORT.

(3) THE COEFFICIENTS SHOWN THUS * ARE COMPUTED IN THE SHEETS (A-2 & 304).

(4) KIP FOR L=52 4P=21,24
62 27,28
69 31,32
MOST BE FORMED AS THE COEFFICIENTS DESCRIBED IN NOTE (2).

REPORT 7/0510/2
SHEET 4-21

R. N. SHERMAN
JAN 20/55



86
85
84
83
82
81
80
79
78
77
76
75
74
73

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO.

7/0510/7

SHEET NO.

4-22

PREPARED BY:

V.F. GARDENER

DATE:

FEB 11 '55

CHECKED BY:

R.N. SHEARL

DATE:

AUG 27/55

AIRCRAFT

C.105

INNER WING

REDUNDANT STRESS COEFFS.

SINCE THE ELEMENTS OF THE K_{ip} (STRESS - REDUNDANT MOMENT) MATRIX ARE A FUNCTION OF WING GEOMETRY, WHICH IS UNCHANGED FROM PREVIOUS ONE, AND RIB, SPAR AREAS & PANEL THICKNESS, THE NEW VALUES CAN BE OBTAINED SIMPLY BY MULTIPLYING THE OLD VALUES BY THE RATIO OF OLD TO NEW AREA - (FOR SPARS AND RIBS) AND THICKNESS (FOR PANELS)

THESE RATIOS FOR EACH STRESS POINT ARE GIVEN IN p. 4-23

Inner Wing - Kip

Multiplying Factors for Converting Report 7/0510/2 Values

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MALT
TECHNICAL

AIRCRAFT
WEIGHT
C. G. POSITION

STRESS POINT	1	2	3	4	5	6	7	8	9	10	11	
	OLD AREA	NEW AREA	OLD A / NEW A		STRESS POINT	OLD AREA	NEW AREA	OLD A / NEW A		STRESS POINT	OLD AREA	
73	6007	6000	.84654		31	37069	27256	13650		106	204	
74	4000	106038	.37722		32	6443	47385	135971		107	6177	500
75	42266	77888	.54265		33	37069	27256	13600		108	11376	700
76	3066	87035	.158955		34	204	150	13600		109	45401	300
78	28036	67288	.43003		35	204	150	13600		110	11594	100
79	917	58480	156806		36	204	150	13600		111	45401	300
81	17536	62638	.28092		37	5779	56839	101673		112	7377	500
82	6118	4441	138601		38	10538	60850	150853		113	45401	300
84	204	150	13600		39	41024	30165	13600		114	204	150
85	204	150	13600		40	10708	71626	143499		115	204	150
86	204	150	13600		41	41024	30165	13600		116	204	150
87	5422	66091	.52038		42	6838	50876	134142		117	6609	500
88	3766	62121	154719		43	41024	30165	13600		118	12307	800
89	37069	27256	13600		44	204	150	13600		119	61176	400
90	901	64700	152121		45	204	150	13600		120	12571	800



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 4-26

AIRCRAFT:

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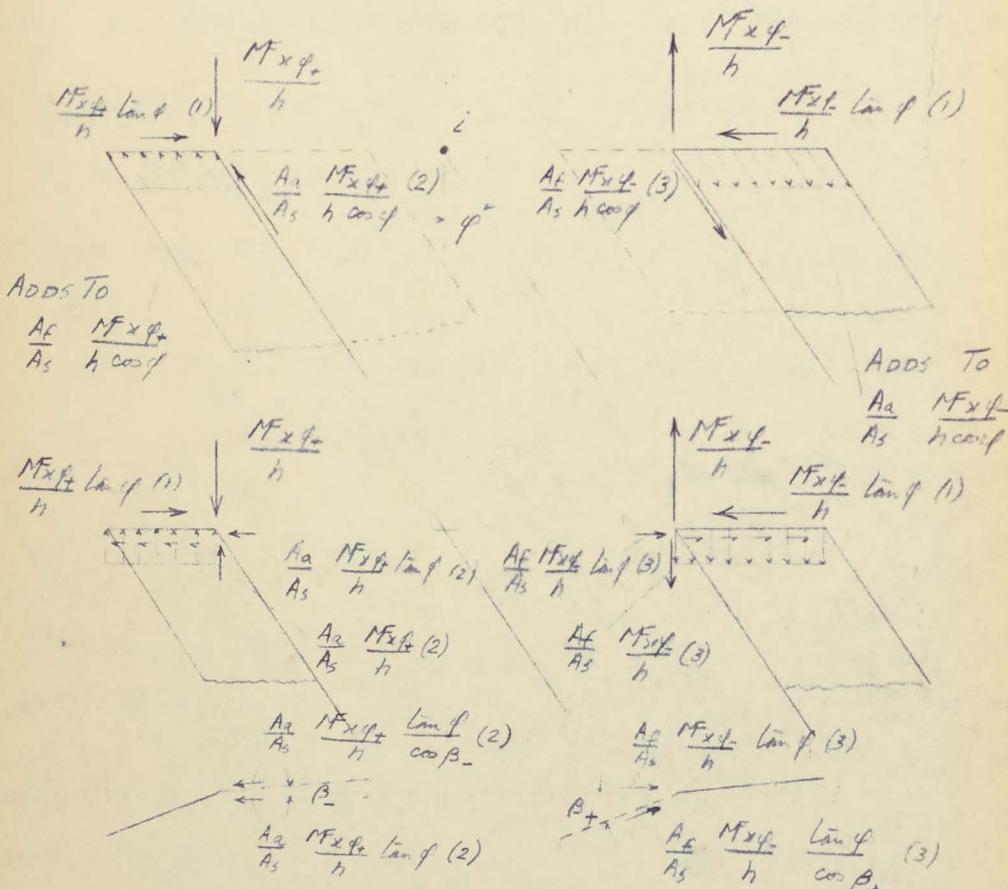
R.N. SHEARLY

DATE

MAR. 8/55

CHECKED BY

DATE



NOTES (1) FROM RIB FLANGE (2) FROM SPAR FLANGE AFT OF SPOT i (3) FROM SPAR FLANGE FORWARD OF SPOT i

RIB FLANGE AREA = A_R (ONE SIDE OF ϕ)

STRESS IN RIB FLANGE

FORWARD OF i

AFT OF i

$$-\left(\frac{Aa}{As} \frac{Mx\phi \tan \phi}{h \cos \beta_-}\right) \frac{1}{A_R}$$

$$-\left(\frac{Ac}{As} \frac{Mx\phi \tan \phi}{h \cos \beta_+}\right) \frac{1}{A_R}$$

TOTAL STRESS IN RIB

SEE SHEET 7.3.5

$$-\frac{\tan \phi}{h A_R A_S} \left(\frac{Aa Mx\phi}{\cos \beta_-} + \frac{Ac Mx\phi}{\cos \beta_+} \right)$$

REDUNDANT STRESS TESTS - PANEL

$$Z_m = KP_1 MF_{x_2} + KP_2 MF_{x_1} + KP_3 MF_{x_2} + KP_4 MF_{x_1}$$

$$\frac{.204}{150} = 1.36$$

A. V. RO

TEC

AIRCRAFT

WEIGHT

C. G. POSIT

PANEL	1	2	3	4	5	6	7	8	9	10	11
	VALUES FROM $\frac{7/8 \times 1/2}{b \times 4R}$				KP_1	KP_2	KP_3	KP_4			
	KP_1	KP_2	KP_3	KP_4	136 (D)	136 (D)	136 (D)	136 (D)			
124	.0056429	.0060510	.004448	.004149	.0076813	.0083634	.0080227	.0047394			
125	.007162	.0071500	.0046006	.0041250	.0096770	.01034	.009712	.008236			
126	.00877	.008211	.005595	.0050187	.037140	.0149354	.007689	.006414			
136	.0082310	.0086657	.004976	.004672	.0071226	.0077054	.0041364	.0040354			
137	.0067729	.0073733	.0038407	.0036171	.0092193	.007733	.0052234	.0042173			
138	.007737	.010245	.0052335	.005021	.0134826	.0145333	.0071937	.008981			

REPORT 7/25/10/7 5+4-3

PN SHERIDY MAR 8/55

SOURCE SURS 4-28, 4-29, 4-30

74

73

72

71

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114

115

116

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0076414

0071226

0092193



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-0

AIRCRAFT:

C105

Tia

PREPARED BY

DATE

D. Turner

17 June 55

CHECKED BY

DATE

Introduction

In this section of the report, calculations are made to determine the elements of the T_{ia} matrix for all wing components except the wing tip, which is covered in section 2.

Except for T_{ia} elements due to the interaction loads between the wing (as defined for this report) and other components of the aircraft, all elements calculated in this section are determined through operations carried out on the I.B.M. automatic computer. The method used is outlined in shts. 5-1 et seq.*

The calculations for the interaction loads between the wing and other components of the aircraft appear on shts. 5-98 et seq.

Due to last minute changes in some panel thicknesses, rib & spar areas, the matrix made up from the results of the calculations of this section must be factored by an appropriate set of correction factors before being used. These factors are calculated & tabulated in section 6.

* See report 7/0510/7 Vol II for instructions to the computation centre and results of this computation.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-1

AIRCRAFT:

C105

Tia

PREPARED BY

DATE

D. J. Turner

8 June '55

CHECKED BY

DATE

DJO

Statically Determinate Stresses

Due to the large amount of routine calculation involved in developing the T_{ia} matrix for the structure, (as exemplified in report 7/0510/2), it has been decided to set up a system, making use of the I.B.M. automatic computer, which will eliminate as much of this routine work as possible.

The method is outlined below:

- (1) Construct matrices T_1, T_2, T_3 & T_4 ,

where T_1 is the matrix made up of the coefficients of the equations relating stresses in the wing tip to the unit loads applied to the wing tip.

T_2 relates stresses in the outer wing to the unit loads applied to the outer wing.

T_3 relates stresses in the inner wing to the unit loads applied to the inner wing.

T_4 relates stresses in the centre section wing to the unit loads applied to the centre section wing.

These matrices are all portions of the required T_{ia} matrix (see sketch on sht. 5-5)

- (2) Construct matrices G_1, G_2 & G_3 ,

where G_1 is the matrix made up of the coefficients of the equations relating unit loads on the wing tip to interaction loads (designated P_1) between the wing tip and the outer wing.

G_2 relates unit loads applied to the outer wing to interaction loads (designated P_2) between the outer & inner wing.



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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-2

AIRCRAFT:

C105

 T_{1a}

PREPARED BY

DATE

D.H. Turner

27 April 55

CHECKED BY

DATE

R.M. SHEPHERD 30 MAY 1955

Statically Determinate Stresses.

G_3 relates unit loads applied to the inner wing to interaction loads between the inner wing and centre section

(3) Construct matrices H_1 & H_2 .

where H_1 is the matrix made up of the coefficients of the equations relating the interaction loads P_1 to interaction loads P_2 .

H_2 relates interaction loads P_2 to interaction loads P_3 .

(4) From this data, values of P_1 , P_2 & P_3 may be determined in terms of the actual applied loads (Q_a) as follows:

$$P_1 = G_1 Q_1$$

$$P_2 = G_2 Q_2 + H_1 P_1$$

$$P_3 = G_3 Q_3 + H_2 P_2$$

where Q_1 , Q_2 , Q_3 and Q_4 are those parts of Q_a applied to the wing tip, outer wing, inner wing and centre section respectively (ref. sht. 5-5)

(5) Construct matrices T_1' , T_2' & T_3' .

where T_1' is the matrix made up of the coefficients of the equations relating stresses in the outer wing to interaction loads P_1 .

T_2' relates stresses in the inner wing to interaction loads P_2 .

T_3' relates stresses in the centre section wing to interaction loads P_3 .



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REPORT No. 7/0510/7

SHEET No. 5-3

A

AIRCRAFT

C105

Tia

PREPARED BY

DATE

D. L. Turner

8 June 55

CHECKED BY

DATE

M.D.

Statically Determinate Stresses.

(6) From this data, values of $\dot{S}_1, \dot{S}_2, \dot{S}_3$ & \dot{S}_4 may be determined in terms of the actual applied loads (Q_0) as follows:

$$\dot{S}_1 = T_1 Q_1$$

$$\dot{S}_2 = T_2 Q_2 + T_1' P_1$$

where P_1, P_2 & P_3 are determined from (4)

$$\dot{S}_3 = T_3 Q_3 + T_2' P_2$$

$$\dot{S}_4 = T_4 Q_4 + T_3' P_3$$

$\dot{S}_1, \dot{S}_2, \dot{S}_3$ & \dot{S}_4 are the stresses in the wing tip, outer wing, inner wing and centre section, respectively, (see sketch on sht. 5-4) due to all loads Q_0 .

It follows from the above that the overall T_{ia} matrix (where $\dot{S}_1 = T_{i1} = T_{ia} Q_a$ defines the T_{ia} matrix) may be constructed according to the chart on sht. 5-5.

In this section of the report, calculations are made to determine the elements of matrices $G_1, T_2, T_1', H_1, G_2, T_2', T_3, G_3, H_2, T_3'$ & T_4 . Matrix T_1 is covered in section 2 (wing tip)

For the sake of completeness, the instructions issued to the computer section on "Computation of Preliminary Matrices," which covers the computations outlined above, (report 7/0510/7 Vol II) should be referred to.

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REPORT No. 7/0510/7

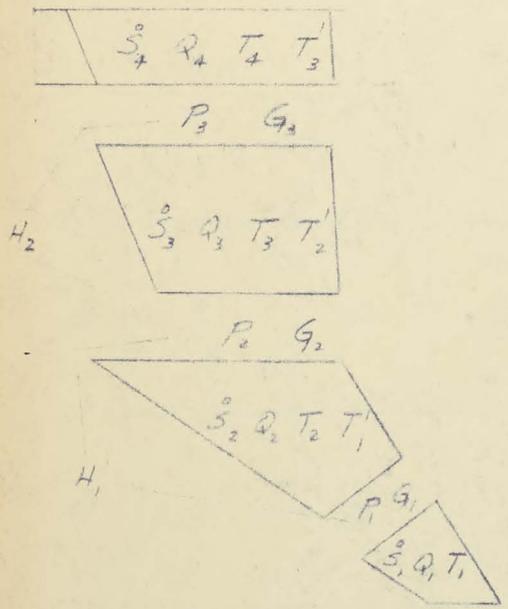
SHEET No. 5-4

AIRCRAFT:
C-105

Tia

PREPARED BY	DATE
R.N. SHERREY	FEB 16/55
CHECKED BY	DATE
R.N. SHERREY JD	MAY 5/55

The following is a copy of some preliminary work by Mr. A. GRZELZIELSKI



Q LOADS
P₁ P₂ P₃ INTERACTION LOADS
S STRESSES

$$\begin{aligned} S_1 &= T_1 Q_1 \\ S_2 &= T_2 Q_2 + T_1' P_1 \\ S_3 &= T_3 Q_3 + T_2' P_2 \\ S_4 &= T_4 Q_4 + T_3' P_3 \end{aligned}$$

$$\begin{aligned} P_1 &= G_1 Q_1 \\ P_2 &= G_2 Q_2 + H_1 P_1 \\ P_3 &= G_3 Q_3 + H_2 P_2 \end{aligned}$$



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REPORT NO. 7/0510/7

SHEET NO. 5-5

AIRCRAFT: C105

 T_{1a}

PREPARED BY

DATE

D.H. Turner

27 April '55

CHECKED BY

DATE

R.N. SHEARLY MD MAY 1955

Statically Determinate Stresses

Chart for constructing the T_{1a} matrix, given $T_1', T_2', T_3', G_1, G_2, G_3, H_1, H_2, T_1, T_2, T_3$ & T_4 .

The area outlined in heavy lines is that area built up from the computation of preliminary matrices.

The given matrices and the final T_{1a} matrix appear in the set of matrices accompanying this report.

	Q_4	0	0	0	T_4
	Q_3	0	0	T_3	$T_3' \times G_3$
	Q_2	0	T_2	$T_2' \times G_2$	$T_3' \times H_2 \times G_2$
$i \downarrow$	Q_1	T_1	$T_1' \times G_1$	$T_2' \times H_1 \times G_1$	$T_3' \times H_2 \times H_1 \times G_1$
$a \rightarrow$		S_1	S_2	S_3	S_4



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-6 & 7*

AIRCRAFT:

C105

Tia

PREPARED BY

DATE

D.L. Turner

8 June 55

CHECKED BY

DATE

D.L.

Statically Determinate Stresses

The stress points "i" and the load points "a" associated with each portion of the structure are tabulated below.

	Stress Points "i"	Load Points "a"
Tip	6-13 incl.	1-12 incl
Outer Wing	14-72 incl & 74*, 75*, 78*, 81* & 83.	13, 14, 20-33 incl., 35, 36 37, 39, 40 & 42
Inner Wing	73*, 74*, 75*, 76*, 78*, 79*, 81*, 82, 84-118 incl., 119*, 120* 121, 122 & 123.	15-19 incl., 34, 38, 41, 43-55 incl.
Centre Section	119*, 121* & 123*, 124-149 incl.	56-67 incl. except 58 & 63 also 81 & 82.

In the above table, the stress points marked i* are stress points which, in the preliminary calculations, are associated with two portions of the structure; e.g. outer wing & inner wing. In each case the two resulting parts of the Tia element must be combined to obtain the final Tia element.

Note that the interaction loads, a = 101-114 incl., do not appear in the preliminary calculations. Stresses due to these loads are calculated separately.

Note also that; stress points 77, 80, 127 & 147 appear only in the interaction load calculations; stress point 83 serves only as a panel identification; and load points 58, 63 and 68-80 do not exist.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT No. 7/0510/17

SHEET No. 5-8 *

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

J.P. Owen

17 May 55

CHECKED BY

DATE

R.N. Shady

24/5

May 24/55

Statically Determinate Stress Coefficients

Calculations for determining the elements of the wing tip - outer wing interaction (G_i) matrix for use in calculating the stresses in the remainder of the structure due to wing tip loads (see shts. 5-1 et seq.)

On sht. 2-15, equations are given relating the shear, moment and torque at the shear centre on rib 18 (the wing tip - outer wing boundary) to the wing tip applied loads.

The interaction loads between the wing tip and the outer wing consist of bending moments (M_{01} , M_{02} , M_{03} , M_{04} & M_{05} , +ve for tension in top surface) acting on each spar (vectors perp. to spar); a torque (nose up +ve), T_{tip} , acting around rib 18 between the front and rear spars; and vertical shears (+ve down) (P_{01} , P_{02} , P_{03} , P_{04} & P_{05}) acting at each spar at rib 18.

Values of these interaction loads may be found by distributing the moment and shear given on sht. 2-15 according to the equations of . Interaction torque is already given by the torque equation of sht. 2-15.

On sht. 5-9, values of the moment & shear distribution factors are determined (according to the equations of) and on sht. 5-10 the matrix elements are calculated and tabulated.

The matrix G_i may now be defined, using the notation of sht. 5-1 et seq., by means of the equation

$$P_i = G_i Q_i$$

where P_i denotes the matrix vector of the interaction loads, G_i the interaction matrix, and Q_i the matrix vector of applied loads (wing tip.)



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO 7/0510/7

SHEET NO 5-9 *

AIRCRAFT

C105

Wing Tip

PREPARED BY

DATE

D. J. Turner

17 May 55

CHECKED BY

DATE

R. H. Steady 20 MAY 24/55

Statically Determinate Stresses. G_1 Matrix

From ~~0.4~~ the proportions of the total moment and shear at rib 18 carried by each spar are:

$$\frac{M_i}{M} = \frac{I_i \cos^3 \theta_i}{\sum I_i \cos^3 \theta_i}$$

$$\frac{Q_i}{Q} = \frac{I_i \cos^3 \theta_i}{\sum I_i \cos^3 \theta_i}$$

(1)	(2)	(3)	(4)	(5)	
i	$I_i \cos^3 \theta_i$	$\frac{M_i}{M}$.00396926(2)	$I_i \cos^3 \theta_i$	$\frac{Q_i}{Q}$.00396926(4)	
θ_1	37.90989	.150474	37.88487	.150375	
θ_2	78.77599	.312682	78.49712	.311575	ref. sht. 1-3
θ_3	69.38028	.275388	68.23828	.270855	
θ_4	55.84000	.221643	53.94960	.214140	
θ_5	14.24606	.056546	13.36637	.053055	

$$\sum I_i \cos^3 \theta_i = 251.93624 \quad \text{sht. 1-3}$$

$$\frac{1}{\sum I_i \cos^3 \theta_i} = .00396926$$

Torque is not distributed in this calculation

Elements of the G_1 matrix are calculated from this data, and tabulated on sht. 5-10.

Matrix of Wing Tip - Outer Wing Interaction (G.) Matrix

6	7	8	9	10	11	12	13	14	15	16	17	18	19	20
Q_1	Q_2	Q_3	Q_4	Q_5	Q_6	Q_7	Q_8			Q_9	Q_{10}	Q_{11}	Q_{12}	Q_{13}
62.9670	62.9670	30.9670	30.9670	39.7227	29.9670	62.9670	30.9670			17.4811	20.2726	14.20006	14.20006	9.47
↑	↑	↑	↑	↑	↑	↑	↑			36.32702	42.12536	29.6447	29.6447	19.6
↑	↑	↑	↑	↑	↑	↑	↑			31.32425	37.10101	26.15277	26.15277	17.5
↑	↑	↑	↑	↑	↑	↑	↑			25.75022	29.86079	21.09877	21.09877	13.5
62.9670	62.9670	30.9670	30.9670	39.7227	29.9670	62.9670	30.9670			6.56945	7.61903	5.37000	5.37000	3.50
24.4552	20.2826	31.5942	26.1625	22.0766	29.4026	35.2826	41.1625			12.6661	7.0975	17.3656	14.4026	29.4
1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000			150375	150375	150375	150375	150375
↑	↑	↑	↑	↑	↑	↑	↑			211575	211575	211575	211575	211575
↑	↑	↑	↑	↑	↑	↑	↑			270855	270855	270855	270855	270855
↑	↑	↑	↑	↑	↑	↑	↑			214140	214140	214140	214140	214140
1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000			0.53055	0.53055	0.53055	0.53055	0.53055

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TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT

C105

Outer Wing

REPORT NO.

7/0510/7

SHEET NO.

5-11

PREPARED BY:

J.F. Durran

DATE:

4 Feb '55

CHECKED BY:

R.N. SHEARLY JR

DATE:

MAY /55

Statically Determinate Stresses

Determination of the elements of the T_2 (outer wing stress - outer wing load) matrix. (ref. skts 5-1 et seq.)

Since the geometry and section properties of the outer wing have not changed from those used in the analysis of report 7/0510/2, the elements of the T_2 matrix for these loads may be taken directly from the T_{10} matrix of report 7/0510/2. These loads are at $i = 13, 14, 20-33, 35-37, 39, 40 \text{ \& } 42$ and the unchanged stresses due to these loads occur at $j = 14-67, 63, 72$.

With the addition of redundancy 7, and the inclusion of the cell forward and inboard of this redundancy in this analysis loads applied to the front spar ($i = 20, 25, 30, 35 \text{ \& } 39$) will be carried through to load point 42 rather than 39. These loads will then be transferred to load point 43, through the structure added forward & inboard of redundancy 7, in the manner detailed in

Thus in this analysis, no stress will be generated in panels 64 & 63, and stresses will be generated at stress point 70 of:

$$\sigma_{70} = \frac{MQ_{42}}{I_{xx}A_{70}}$$

where MQ_{42} represents the moment at load point 42 due to loads 20, 25, 30, 35 & 39.

Hence

$$\sigma_{70} = .033704(103.3146 Q_{20} + 91.7639 Q_{25} + 71.4322 Q_{30} + 47.6219 Q_{35} + 23.8108 Q_{39})$$

$$\sigma_{70} = 4.340227 Q_{20} + 3.693399 Q_{25} + 2.836164 Q_{30} + 1.830780 Q_{35} + 1.095389 Q_{39}$$

The value of $\frac{1}{I_{xx}A_{70}}$ derives from rep. 7/0510/2 skt 4-41, moment arms from skt 4-45.

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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-12

PREPARED BY:

DATE:

AIRCRAFT

C105

Outer Wing

D. Turner

4 Feb. '55

CHECKED BY:

DATE:

E.N. SHEARLY

MAY / 55

Statically Determinate Stresses

Expressions for the stresses developed at stress points 71, 74, 75, 78 & 81 due to loads 20, 25, 30, 35, 39 & 42 (i.e. stresses developed as a result of the transfer of these loads from load point 42 to load point 43) are developed in

According to this work:

$$M_{74} = -MQ_{42} \frac{c}{a} + [Q_{42} b \cos \alpha + MQ_{42} \frac{b}{a} \cos \alpha]$$

$$M_{71} = MQ_{42} \frac{b}{a} + Q_{42} b.$$

where M_{74} represents the moment in the transport joint rib at stress point 74, M_{71} represents the moment in the outer wing rib at stress point 71. Here again MQ_{42} & Q_{42} represent the moment and load at load point 42 due to loads at $a = 20, 25, 30, 35, 39$ & 42. The meaning of the constants in these expressions, together with their numerical values are given on sht. 5-13.

The term bracketted in the expression for M_{74} represents the contribution to M_{74} from the outer wing rib. The remainder represents the moment transferred through the transport joint rib.

Now, from the work of sht. 7-2 et seq. all of M_{74} will not cause a rib stress at stress point 74. In this work, it is shown that all of the portion of the moment transferred through the transport joint rib causes stress at stress point 74, but that only .349276 of the moment transferred through the outer wing rib will cause stress.

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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7
SHEET NO. 5-13

AIRCRAFT C105

Outer Wing

PREPARED BY:

D. J. Turner

DATE:

4 Feb. '55

CHECKED BY:

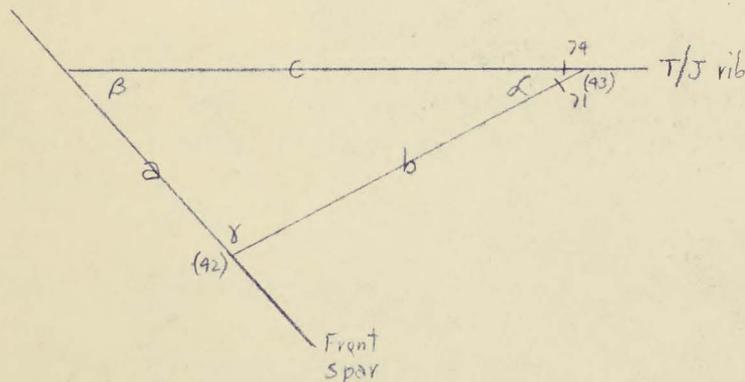
R. N. SHEARLY

DATE:

11/1 /55

Statically Determinate Stresses.

Structure added forward & inboard of redundancy 7.



$$a = 35.4527$$

$$\alpha = 39.5^\circ$$

$$\cos \alpha = .77162$$

$$b = 28.0825$$

$$c = 52.2944$$

$$\frac{c}{a} = 1.475047$$

$$\frac{b}{a} = .792112$$

$$b \cos \alpha = 21.669019$$

$$\frac{b}{a} \cos \alpha = .611209$$

Ref. Figs. 5 & 6

Shts. 1-62 & 1-63

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REPORT NO. 7/0510/7

SHEET NO. 5-14

TECHNICAL DEPARTMENT (Aircraft)

PREPARED BY:

DATE:

D. D. Turner

4 Feb. 55

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DATE:

R. N. SHEARLY

MAY / 55

AIRCRAFT

C105

Outer Wing

Statically Determinate Stresses

Hence:

$$\sigma_{74} = \frac{1}{h_{74} A_{74}} \left\{ -M_{Q_{42}} \frac{c}{a} + 0.349276 [Q_{42} b \cos \alpha + M_{Q_{42}} \frac{b}{a} \cos \alpha] \right\}$$

From this same work, the proportions of each of these two parts of M_{74} causing stress at stress points 75, 78 & 81 are obtained. (Note that these factors are the same for each of these two parts)

Hence:

$$\sigma_{75} = \frac{1}{h_{75} A_{75}} \times 0.633101 M_{74} \quad \sigma_{81} = 0$$

$$\sigma_{78} = \frac{1}{h_{78} A_{78}} \times 0.287453 M_{74}$$

A table of these proportions is reproduced on sht. 5-17 for reference.

Values of the coefficients of the applied loads for these stresses are determined in the table on sht. 5-15.

Stress at stress point 71 derives directly from the moment equation, hence:

$$\sigma_{71} = \frac{M_{71}}{h_{71} A_{71}} = \frac{1}{h_{71} A_{71}} (M_{Q_{42}} \frac{b}{a} + Q_{42} b)$$

where the value of $\frac{1}{h_{71} A_{71}}$ is obtained from report 7/0510/2 sht 4-41.

Coefficients of the applied loads for this stress are determined on sht. 5-16.

Statically Determinate Stress Coefficients at Stress Points 71, 74, 75, 78 & 81 due to loads at load points 20, 25, 30, 35, 39 & 42.

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AIRCRAFT
WEIGHT
C. G. POSITION

	1	2	3	4	5	6	7	8	9	10	11	12	
	Q_{20}	Q_{25}	Q_{30}	Q_{35}	Q_{39}	Q_{42}							
(1) Q_{20}	1	1	1	1	1	1							
(2) MQ_{20}	102.3196	91.7639	71.4327	47.6219	23.8102	0				Ref Report 7/25/62	slt		
$M^1 - M_{01} \frac{S}{b}$													
(3) $-1.25(47.6)$	161.2442	135.3561	105.3666	70.2445	35.1220	0				These values of M^1 are			
$Q_{42} b$													
(4) $21.6690(1)$	21.669019	21.669019	21.669019	21.669019	21.669019	21.669019							
MQ_{25}													
(5) $.64209 \times (2)$	66.8141	56.0869	43.6603	29.1069	14.5584	0							
(6) = (4) + (5)	88.4831	77.7559	65.3293	50.7759	36.2224	21.6690							
M_{-4}													
(7) $(3) + (6)$	72.7611	57.6002	40.0373	19.9676	1.1004	21.6690							
(8) $1.000 \times (5)$	161.2442	135.3561	105.3666	70.2445	35.1220	0							
(9) $.349276(6)$	30.9924	27.1583	22.8150	17.7892	12.6516	7.5625							
(10) $(8) + (9)$	130.3392	108.1978	82.5486	52.5337	22.4799	7.5625							
σ_{74}										At Stress Point 74	h_{15}	A_{15}	h_A
(11) $.002292 \times (10)$	1.30262	1.081870	.825403	.525044	.224682	.075627				74	9.4312	10.6038	100.0
σ_{75}													
(12) $.008660(10)$.630111	.498818	.391223	.168598	.009529	.187654				75	9.3558	7.7888	73.10
σ_{78}													
(13) $.005122(10)$.322682	.235028	.205071	.097718	.005636	.110959				78	8.3414	6.7288	56.12
σ_{81}													
(14) $0:(7)$	0	0	0	0	0	0				81	6.4011	6.2638	40.08

A.V.ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-16

PREPARED BY:

DATE:

D. Turner

4 Feb. '55

CHECKED BY:

DATE:

R. N. SHEARLY

MAY / 55

AIRCRAFT

C105

Outer Wing

Statically Determinate Stresses

	Q_{20}	Q_{30}	Q_{30}	Q_{35}	Q_{39}	Q_{42}
(1) $M_{Q_{42}}$	109.3146	91.7639	71.4327	47.6219	23.8108	0
(2) Q_{42}	1	1	1	1	1	1
(3) $M_{Q_{42}} \frac{b}{s}$	86.5824	72.6873	56.5827	37.7219	18.8608	0
792112(1)						
(4) $Q_{42} b$	28.0825	28.0825	28.0825	28.0825	28.0825	28.0825
28.0825(2)						
(5) M_{31}^*	114.6719	100.7658	84.6652	65.8097	46.2433	28.0825
(3)+(4)						
(6) σ_{31}	2.616583	2.299365	1.931891	1.501525	1.071152	.640786
.022515(6)						

Coefficients of Applied Loads Q_{20} , Q_{30} , Q_{35} , Q_{39} & Q_{42}
for stress σ_{31} .

* These values are used in calculating elements of the G_2 matrix

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

J. J. [unclear]

17 Feb 59

CHECKED BY

DATE

R. N. SHEARLY 360

11/9/59

Statically Determinate Stresses

In resolving the moments in the M/s, F/c/s, R/c/s & R/s, due to outer wing loads applied to these spars, into components perpendicular and parallel to the transport joint rib, stresses are generated in the transport joint rib at stress points 74, 75, 78 & 81.

These stresses are due to the redistribution of the torque components $M \cos \gamma$ resulting from this resolution (γ is the angle between the transport joint rib and the spar carrying M)

The determination of these moments, and their resolution into torque and moment components is done in determining the elements of the G_3 matrix. (ref. sht. 5-4E)

The torques are tabulated below (vectors prep to 7/3 rib)

$$T_{M/s} = 86.36771 Q_{21} + 72.50461 Q_{26} + 56.44045 Q_{31} + 37.62702 Q_{36} + 18.81343 Q_{41}$$

$$T_{F/c/s} = 62.40105 Q_{22} + 49.59246 Q_{27} + 34.75470 Q_{32} + 17.37743 Q_{37}$$

$$T_{R/c/s} = 40.58497 Q_{23} + 29.03910 Q_{28} + 15.66411 Q_{33}$$

$$T_{R/s} = 21.60718 Q_{34} + 11.51658 Q_{39}$$

From the work of shts. 7-10 & 7-11 the proportions of these torques causing stresses at each of stress points 74, 75, 78 & 81 are as in the upper table of sht. 5-17.

Stresses at these points are calculated using the equation

$$\sigma = \frac{kT}{hA}$$

where k is the proportion factor obtained as above.

Values of $\frac{1}{hA}$ are given on sht. 5-15

The computations as outlined above are carried out in the table on sht. 5-19

78 # 51 due to
 13, 16, 2, 3, 4, 5

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AIRCRAFT C105
 WEIGHT
 C. G. POSITION

REPORT NO. 7/084/1
 SHEET 5
 DATE 16 Feb 58
 PREPARED BY M. J. [Signature]

6	7	8	9	10	11	12	13	14	15	16	17	18	19
		$T_{7/15}$			$T_{7/15}$								
$\frac{k}{h}$		$\frac{k}{h}$			factor	$\frac{k}{h}$		2					
									$T_{7/15}$				
0		0	0		0	0		21	86.34771	.301526	.747299	.742305	0
001821		.36685	.065019		.36685	.065019		22	72.614	.25526	.627820	.371262	
0512-		.2024	.003727		.71247	.012695		31	56.7909	.122370	.428774	.252588	
0		0	0		.21137	.05266		32	32.62702	.13394	.325859	.122726	
								40	18.212	.065516	.122224	.09652	0
									$T_{7/15}$				
								22	62.915	0	.113632	.319518	0
								27	49.224	0	.070308	.254013	0
								32	32.740	0	.063288	.128014	0
								37	17.243	0	.031694	.082007	
									$T_{7/15}$				
								21	40.511	0	.209676	.153625	0
								28	22.520	0	.145747	.105571	0
								33	18.410	0	.078615	.059220	
									$T_{7/15}$				
								24	21.660	0	.101446	.271503	.119283
								23	11.52020	0	.051223	.147213	.01860

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

J. H. Turner

17 Feb '55

CHECKED BY

DATE

K. N. SHEPHERD

11/27 /55

Statically Determinate Stresses

In resolving the torque in the rear cell and the moment in the rear spar of the outer wing (due to loads 13 & 14) into components perpendicular and parallel to the transport joint rib, stresses are generated at stress points 74, 75, 78 & 81 in the transport joint rib. These stresses are due to the redistribution (within the transport joint rib) of the torque component resulting from this resolution.

The components in question are determined in the calculations for the G_2 matrix (shts. 5-48330) and are quoted below.

$$T_1 = 21.69718 Q_{13} + 11.52658 Q_{14} \quad (\text{torque comp. at rear spar})$$

$$T_{\text{cos } 52.50} = 11.57245 (Q_{13} + Q_{14}) \quad (\text{torque comp. at rear cell})$$

T_1 is identical to $T_{R/S}$ of the work of sht. 5-18 except that Q_{13} & Q_{14} replace Q_{24} & Q_{23} respectively. Hence:

$$\sigma_{74} = 0$$

$$\sigma_{75} = .108446 Q_{13} + .058203 Q_{14}$$

$$\sigma_{78} = .274303 Q_{13} + .147219 Q_{14}$$

$$\sigma_{81} = .113783 Q_{13} + .061004 Q_{14}$$

To be combined with values on sht. 5-22.

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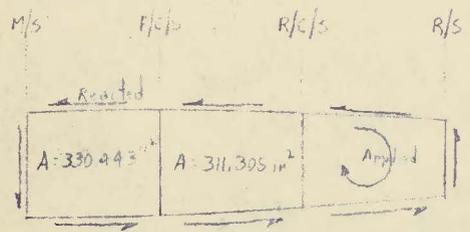
Outer Wing

PREPARED BY	DATE
<i>D. J. Jones</i>	17 Feb 55
CHECKED BY	DATE
<i>R. D. Searcy</i>	11/17/55

Statically Determinate Stresses

To determine transport joint rib stresses due to $T \cos 39.50^\circ$

This torque applied to the transport joint rib as a torque in the rear cell, is redistributed over the complete wing cell between the main spar and the rear spar as indicated below.



$A_c = 900.633 \text{ in}^2$
For areas see dit 7-9

Torque is $T \cos 39.50^\circ = 11.57445 (Q_{13} + Q_{14})$

From this it can be seen that bending moments in the rib are:

at M/S $B.M. = 0$

at R/c/s $B.M. = \frac{330.443}{900.633} \times 11.57445 (Q_{13} + Q_{14})$
 $= 4.246647 (Q_{13} + Q_{14})$

at F/c/s $B.M. = \frac{330.443 + 311.305}{900.633} \times 11.57445 (Q_{13} + Q_{14})$
 $= 8.247345 (Q_{13} + Q_{14})$

at R/s $B.M. = 0$

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REPORT NO. 7/0510/7
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C105

Outer Wing

PREPARED BY: M. Turner DATE: 21 Jan. 55
CHECKED BY: R. N. Sheppard DATE: 11 Feb. 1955

Statically Determinate Stresses.

Determination of the elements of the T_1 (Outer Wing Stress - Wing Tip Load) matrix (ref. sht. 5-1 et seq.)

The load set P_1 gives the interaction loads between the wing tip and the outer wing. These loads take the form of a set of spar moments and vertical shears acting at the spar-rib 18 intersections, and a torque acting on the complete wing cell at rib 18. (See sht 5-8)

To trace these loads through the outer wing structure, the first step is to resolve the torque at rib 18 into three separate torques acting in the three rear cells of the outer wing. This resolution will result in the generation of stresses at the stress points of rib 18.

Resolving the torque T_{Tip} of the set P_1 into three torques in the three rear cells of the outer wing at rib 18 gives:

$$T_R = \frac{121.5312}{320.8258} T_{Tip} = .378724 T_{Tip} \quad T_{R-} = \frac{89.6127}{320.8258} T_{Tip} = .279274 T_{Tip}$$

$$T_{R+} = \frac{109.7469}{320.8258} T_{Tip} = .342002 T_{Tip}$$

where torque is distributed according to cell area, and:

$$A_R = 121.5312 \text{ in}^2 \quad A_{R+} = 109.7469 \text{ in}^2 \quad A_{R-} = 89.6127 \text{ in}^2$$

$$A_R + A_{R+} + A_{R-} = 320.8258 \quad (\text{ref. sht. 1-18})$$

where T_R = Torque in rear cell
 T_{R+} = Torque in cell fwd of rear cell
 T_{R-} = Torque in cell aft of front cell
 No Torque in front cell

} Corresponding Cell Areas are $\left\{ \begin{array}{l} A_R \\ A_{R+} \\ A_{R-} \end{array} \right.$

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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-25

PREPARED BY:

DATE:

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DATE:

AIRCRAFT

C105

Outer Wing

D. Turner

21 Jan. '55

L. N. Shepley

AFJ

MAY 1955

Statically Determinate Stresses.

Since the torque T_{tip} applied to rib 18 (around the complete wing cell) is taken off into the outer wing through the rear three cells only, bending moments will arise in rib 18, ranging from zero at the front spar to a maximum at the M/S and dropping to zero again at the rear spar.

Rib 18 moment at the M/S will be:

$$M_{R_{ms}} = -\frac{A_f}{A_c} T_{tip} = -\frac{85.2331}{406.1289} T_{tip} = -.209867 T_{tip}$$

$A_f = 85.2331$, sht 1-18

= Area of front cell

$A_c = 406.1289$

= Area of complete wing cell

At the F/c/s

$$M_{R_{fcb}} = -\frac{A_f + A_{f-}}{A_c} T_{tip} + T_{f-} = -\left(\frac{174.8608}{406.1289} - .279274\right) T_{tip} = -.151256 T_{tip}$$

At the R/c/s

$$M_{R_{rck/s}} = -\frac{A_f + A_{f-} + A_{r-}}{A_c} T_{tip} + T_{f-} + T_{r-} = -\left(\frac{289.5077}{406.1289} - .279274 - .342002\right) T_{tip} = -.079481 T_{tip}$$

where M_R is moment in rib at spar denoted by further subscript.

Stresses at the corresponding stress points will be:

$$\sigma_{y_{18}}^+ = \frac{M_{R_{ms}}}{h_{ms} A_{r_{ms}}} = \frac{-.209867}{5.9584 \times 2.606} T_{tip} = -.013209 T_{tip}$$

$$\sigma_{y_{17}}^+ = \frac{M_{R_{fcb}}}{h_{fcb} A_{r_{fcb}}} = \frac{-.151256}{6.4481 \times 2.6512} T_{tip} = -.008848 T_{tip}$$

$$\sigma_{y_{19}}^+ = \frac{M_{R_{rck/s}}}{h_{rck/s} A_{r_{rck/s}}} = \frac{-.079481}{6.2826 \times 2.6182} T_{tip} = -.009832 T_{tip}$$

$$\sigma_{y_{21}}^+ = 0$$

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AIRCRAFT:

C105

Outer Wing

PREPARED BY

DATE

H. J. Dawson

2 Feb 55

CHECKED BY

DATE

R. N. Suber

28 Feb 55

1/55

Statically Determinate Stresses.

Consider now the moments (2) of sht. 5-26.

These moments; M_{01} , M_{02} , M_{03} , M_{04} & M_{05} , are applied at load points 20, 21, 22, 23 & 24 respectively. They are transmitted through their respective spars to the transport joint as constant moments, except for M_{05} , which is transferred through the front spar only as far as stress point 70. From here it is transferred to the transport joint in the same manner as M_{04} of

Consider now M_{05} inboard of load point 42.

This moment is carried through panel 83 to generate moments at stress points 71 & 74 as outlined in (and as was done for M_{04} in calculating the elements of the T_3 matrix).

From sht. 5-12.

$$M_{71} = M_{04} \frac{b}{a}$$

see sketch on
sht 5-28.

Since $M_{04} = M_{05}$ here, and $\frac{b}{a} = .792112$ (sht. 5-13.)

$$M_{71} = .792112 M_{05}$$

now $\sigma_{71} = \frac{M_{71}}{h_{71} A_{71}} \quad \frac{1}{h_{71} A_{71}} = .022818$ (sht. 5-16)

then $\sigma_{71} = .792112 \times .022818 M_{05}$
 $= .018075 M_{05}$

The stress at stress point 74 will be considered when stresses in the transport joint rib are calculated.

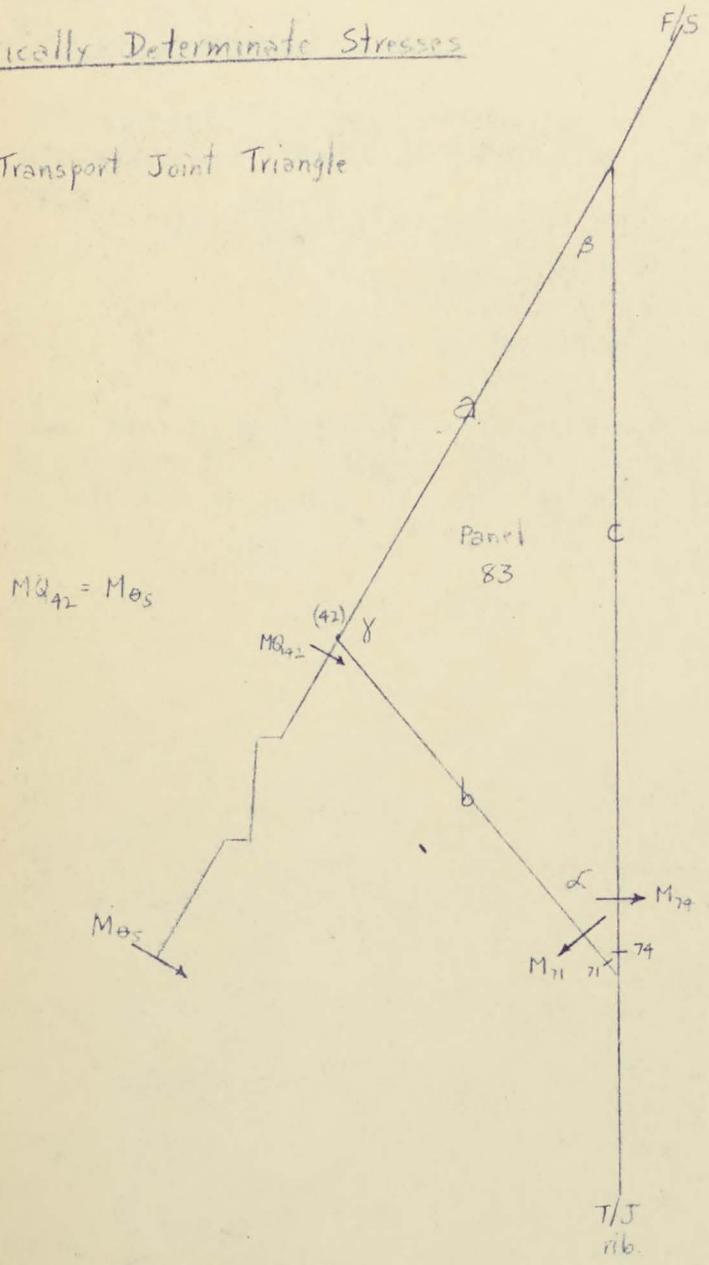
AIRCRAFT: C105

Outer Wing

PREPARED BY	DATE
<u>Dr. [Signature]</u>	<u>23 Feb '55</u>
CHECKED BY	DATE
<u>R. N. SHEARLY</u>	<u>24 11/11 / 55</u>

Statically Determinate Stresses

Transport Joint Triangle



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REPORT NO. 7/0510/7

SHEET NO. 5-31

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

J. F. Turner

11 Feb '55

CHECKED BY

DATE

R. N. SHERRELY

11/3

MAY 1955

Statically Determinate Stresses

These moments (sh. 5-30) are now resolved into components acting parallel and perpendicular to the transport joint ribs as was done for the moments due to the vertical shears (sh. 5-26)

From (1) $T'_{M15} = 772112 M_{05} \sin 50.5^\circ = 772112 \times .77162 M_{05}$
 $= 597209 M_{05}$
 $M'_{M15} = 772112 M_{05} \cos 50.5^\circ = 772112 \times .63608 M_{05}$
 $= 492847 M_{05}$

Note up T_{M15}
Tension in top of wing M tube

(2) $T_{M15} = M_{04} \sin 54.45^\circ = .81361 M_{04}$
 $M_{M15} = M_{04} \cos 54.45^\circ = .58147 M_{04}$

$T_{M15} = M_{03} \sin 49.91^\circ = .76503 M_{03}$
 $M_{M15} = M_{03} \cos 49.91^\circ = .64353 M_{03}$

$T_{M15} = M_{02} \sin 49.32^\circ = .69867 M_{02}$
 $M_{M15} = M_{02} \cos 49.32^\circ = .715996 M_{02}$

$T_{M15} = M_{01} \sin 37.41^\circ = .60782 M_{01}$
 $M_{M15} = M_{01} \cos 37.41^\circ = .73430 M_{01}$

(3) $T''_{M15} = 1.475097 M_{05}$

Stresses will arise in the transport joint rib due to the redistribution of the concentrated torques through the rear three cells of the wing.

These stresses are determined in the same manner as was done for the T_2 matrix (ref sh. 5-18 et seq.)

Calculations are done on sh. 5-32

T'' is torque due to portion of M_{05} transferred to load pt 43 through 7/5 rib
 T'_{M15} } are torque components, vectors acting parallel to 7/5 rib, acting at $M15$
 M'_{M15} } are moment components, vectors acting parallel to 7/5 rib, acting at $M15$
 due to moment at stress point 21

T_{M15} } are torque components, vectors acting parallel to 7/5 rib, acting at $M15$ due to moment
 M_{M15} } are moment components, vectors acting parallel to 7/5 rib, acting at $M15$ due to moment
 at stress point 22

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Outer Wing

PREPARED BY

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D. J. Turner

9 Feb. 55

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DATE

R. N. SHERRY

20? MAY 1955

Statically Determinate Stresses

This results in a set of loads at the transport joint consisting of:

- (1) A torque of $-1.475097 M_{0x} + 6.11209 M_{0y} + 8.1361 M_{0z} + 7.76503 M_{0x}$
 $+ 6.2867 M_{0y} + 6.0712 M_{0z}$ (nose up torque)
- (2) Moments of $.503847 M_{0x}$, $.5819 M_{0y}$, $.64327 M_{0z}$, $.715946 M_{0x}$
and $.79430 M_{0y}$, acting at the M/S, L/S, R/S & R/S respectively
(vertices parallel to 7/1 cell, tension in top + x)

Consider now the torques (3) of sht. 5-26.

These torques, consisting of:

- (1) $.378724 T_{tip}$ in rear cell
- (2) $.342062 T_{tip}$ in rear centre cell
- (3) $.279279 T_{tip}$ in forward centre cell

will remain constant during transfer inboard to the transport joint. During this transfer they will generate stresses in the outer wing panels as follows:

- (1) panels 26, 30 & 32
- (2) panels 25, 38, 51 & 62
- (3) panels 29, 37, 50, 52 & 60

The equation used to determine the stresses in these panels is found in report 7/0510/2 Sht 4-5, and is:

$$T_{ms} = \frac{T}{t(h_a b_1 + h_b b_2)}$$

where T is the appropriate torque as defined above; t is the panel skin thickness, and h & b are cell heights & widths as defined on sht. 5-35 & fig 5

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REPORT NO. 7/0510/7
SHEET NO. 5-34

AIRCRAFT C105

Outer Wing

PREPARED BY:

D. J. Turner

DATE:

25 Jan 55

CHECKED BY:

E. D. SHERLOCK

DATE:

MAY 1 1955

Statically Determinate Stresses

For the rear cells, values of the constants $\frac{1}{t(h_{12}b_1 + h_{11}b_2)}$ are obtained from report 7/0510/2 sht 4-42. These values, when multiplied by the factor .378724, (the proportion of T_{10} carried by these cells), may be entered in the T_1' matrix.

(1)	(2)	(3)
Panel	$\frac{1}{t(h_{12}b_1 + h_{11}b_2)}$.378724(2)
26	.0232132	.008791
39	.0183889	.006964
52	.0143602	.005439

Since, in the calculations of report 7/0510/2, no torque was carried through the rear centre and forward centre cells, values of the constants for these cells must be calculated here. This is done, together with the final calculation of the elements of the T_1' matrix, in the table on sht. 5-35.

From here these figures are entered directly into the T_1' matrix.

This leaves a torque (vector perp to 7/0 rib)

$$T_{10} \cos 60 = T_7 \cos 32.50^\circ = .77163 T_{10} \quad (\text{nose up})$$

and a moment of (vector parallel to 7/0 rib)

$$-T_{10} \sin 60 = -.83614 T_{10} \quad \text{acting at the transport joint.}$$

Note: 32.50° is the angle between the o/w ribs & the 7/0 ribs

Determination of the Elements of the T_1 Matrix Due to
Rear Centre and Forward Centre Cell Torques.

Outer Wing

$$T_m = \frac{1}{t(h_{22} b_1 + h_{11} b_2)} T$$

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Cell	1	2	3	4	5	6	7	8	9	10	11
	t	b ₁	b ₂	h ₁₁	h ₂₂	h ₂₂ b ₁ (2) × (1)	h ₁₁ b ₂ (1) × (2)	(2) × (2)	(1) × (1)	X ₁₀	
25	.164	17.2913	18.8291	6.2826	7.5511	121.57013	118.6098	240.1799	32.3825	.025387	
38	.172	18.8291	20.7769	6.8693	7.7916	146.31978	142.6285	289.6090	42.7687	.020117	
51	.152	20.7769	22.9389	7.5462	8.5677	178.0060	173.5143	351.5271	63.9862	.015628	
62	.192	22.9389	25.2209	8.3415	9.2273	215.9589	210.3760	426.2349	81.5320	.012219	
24	.166	14.4469	15.8192	6.4981	7.169	94.1360	102.0032	196.1328	32.5922	.030713	
37	.174	15.8192	17.4020	7.0501	7.1619	113.2958	122.7826	236.0981	41.0729	.029347	
50	.184	17.4020	19.2709	7.7496	7.2183	137.8407	149.3418	287.1215	52.8432	.018924	
61	.195	19.2709	21.1328	8.5677	8.6748	167.1712	181.0595	348.2307	67.0050	.014726	
69	.204	21.1328	22.9246	9.3728	9.4312	199.3077	215.8227	415.1309	84.6866	.011808	
23	.167	17.6435	19.3195	5.2524	4.0513	71.4791	115.1133	186.5924	31.1609	.032091	
	Data from fig 5										

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

J. Danner

10 Feb '55

CHECKED BY

DATE

R. N. SHERRILL 20/3 MAY /55

Statically Determinate Stresses

The moment is broken down into three parts, acting on the three cells as follows:

(1) $-378724 \times .63614 \text{ Trip} = -240922 \text{ Trip}$ rear cell

(2) $-342002 \times .63614 \text{ Trip} = -217561 \text{ Trip}$ r/c cell

(3) $-279279 \times .63614 \text{ Trip} = -177657 \text{ Trip}$ f/c cell

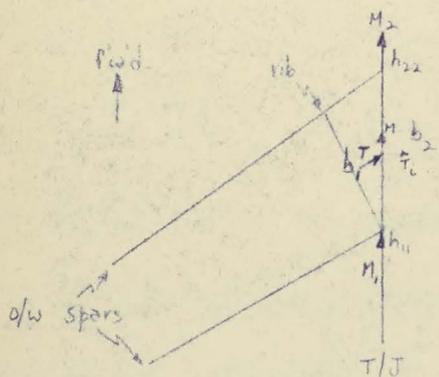
These three moments are distributed between the spars bounding their respective cells according to the following:

(ref.

$$M_2 = \frac{h_{12} b_1}{h_{12} b_1 + h_{11} b_2} M$$

$$M_1 = \frac{h_{11} b_2}{h_{12} b_1 + h_{11} b_2} M$$

where M_1 is the proportion in the after spar, M_2 is the proportion in the forward spar, and other data is as defined in the sketch below.



- h are heights
- b are lengths
- T is appropriate proportion of T_{rip} .
- T_1 is component of T giving torque inboard of T/J rib.
- M is component of T giving bending moment on inner wing
- $M_1 + M_2 = M$

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

R.H. Turner

11 Feb 56

CHECKED BY

DATE

R.N. SHEPHERD

247 11/1 /55

Statically Determinate Stresses

Summary of T, elements calculated in this section

Rib 18 stresses due to T_{tip}

$$\sigma_{15} = -.013204 T_{tip}$$

$$\sigma_{17} = -.008848 T_{tip}$$

$$\sigma_{19} = -.004832 T_{tip}$$

ref sht. 5-25

From Moments

ref sht. 5-32.

$$\sigma_{74} = -.012615 M_{05} - .002841 M_{04}$$

$$\sigma_{75} = -.007481 M_{05} - .007046 M_{04} - .001335 M_{03} + .003507 M_{02} + .003049 M_{01}$$

$$\sigma_{78} = -.004424 M_{05} - .004167 M_{04} - .003318 M_{03} + .002646 M_{02} + .007712 M_{01}$$

$$\sigma_{81} = .003139 M_{04}$$

$$\sigma_{71} = .018075 M_{05}$$

From Torques

ref sht 5-35

$$T_{25} = .008682 T_{tip}$$

$$T_{38} = .006880 T_{tip}$$

$$T_{51} = .005345 T_{tip}$$

$$T_{62} = .004179 T_{tip}$$

$$T_{34} = .008577 T_{tip}$$

$$T_{37} = .006799 T_{tip}$$

$$T_{50} = .005285 T_{tip}$$

$$T_{61} = .004113 T_{tip}$$

$$T_{69} = .003298 T_{tip}$$

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Outer Wing

PREPARED BY

DATE

J. L. Turner

11 Feb '55

CHECKED BY

DATE

R. N. SHEARLY

27 MAY 1955

Statically Determinate Stresses

Summary of Loads at Transport Joint

From Vertical Shears

$$T = 161.2442 P_{05} - 88.4831 P_{05} + 86.3677 P_{04} + 62.4010 P_{03} + 40.5850 P_{02} + 21.6072 P_{01} \quad (\text{rear three bays, nose up +ve})$$

$$M_{43} = 72.9405 P_{05} + 61.7217 P_{04}$$

at M/s

$$M_{41} = 32.5282 P_{03}$$

at F/c/s

$$M_{38} = 41.5595 P_{02}$$

at R/c/s

$$M_{34} = 28.2502 P_{01}$$

at R/s

tension in top +ve

$$V_{43} = P_{03} + P_{04}$$

* ref. sht. 5-15

$$V_{41} = P_{03}$$

+ ref. sht. 5-48 via sht. 5-18

$$V_{38} = P_{02}$$

+ ref. sht. 5-18

$$V_{34} = P_{01}$$

** ref. sht. 5-33

From Moments

$$T = 1.475047 M_{05} + .611202 M_{05} + .81361 M_{04} + .76503 M_{03} + .61867 M_{02} + .60752 M_{01} \quad (\text{rear three bays, nose up +ve})$$

$$M_{43} = .503847 M_{04} + .58141 M_{03}$$

at M/s

$$M_{41} = .64399 M_{03}$$

at F/c/s

$$M_{38} = .715446 M_{02}$$

at R/c/s

tension in top +ve

AIRCRAFT: C105

Outer Wing

Statically Determinate Stresses

Determination of Matrix H_1

The elements of the H_1 matrix consist of the coefficients of the set P_1 , for P_2 written in terms of P_1 .

The set P_2 consists of a torque T_0 at the transport joint acting on the inner wing (vector perpendic. to T/S rib, nose up +ve), moments $M_{\phi_{50}}$, $M_{\phi_{41}}$, $M_{\phi_{31}}$ & $M_{\phi_{21}}$ (vectors parallel to T/S rib, tension in top surface +ve) acting at the M/S, F/C/S, R/C/S & R/S respectively, and vertical shears $P_{\phi_{50}}$, $P_{\phi_{41}}$, $P_{\phi_{31}}$ & $P_{\phi_{21}}$ (down +ve) acting at the M/S, F/C/S, R/C/S & R/S respectively.

From the equations of shts 5-41 & 42 it can be seen that T represents T_0 ; M_{43} , M_{41} , M_{36} & M_{34} represent $M_{\phi_{50}}$, $M_{\phi_{41}}$, $M_{\phi_{31}}$ & $M_{\phi_{21}}$ respectively; and that V_{43} , V_{41} , V_{36} & V_{34} represent $P_{\phi_{50}}$, $P_{\phi_{41}}$, $P_{\phi_{31}}$ & $P_{\phi_{21}}$ respectively.

Thus we may write:

$$T_0 = 72.7611 P_{\phi_5} + 86.3677 P_{\phi_4} + 62.4010 P_{\phi_3} + 40.5850 P_{\phi_2} + 21.6072 P_{\phi_1} \\ + 863838 M_{\phi_5} + 81361 M_{\phi_4} + 76503 M_{\phi_3} + 62867 M_{\phi_2} + 60752 M_{\phi_1} \\ + 77163 T_{tip}$$

$$M_{\phi_{50}} = 72.9405 P_{\phi_5} + 61.7217 P_{\phi_4} + 503897 M_{\phi_5} + 58191 M_{\phi_4} - 085295 T_{tip}$$

$$M_{\phi_{41}} = 52.5282 P_{\phi_3} + 64399 M_{\phi_3} - 202542 T_{tip}$$

$$M_{\phi_{31}} = 41.5095 P_{\phi_2} + 715446 M_{\phi_2} - 237648 T_{tip}$$

$$M_{\phi_{21}} = 28.2502 P_{\phi_1} + 79430 M_{\phi_1} - 110655 T_{tip}$$

$$P_{\phi_{50}} = P_{\phi_5} + P_{\phi_4}$$

$$P_{\phi_{41}} = P_{\phi_1}$$

$$P_{\phi_{31}} = P_{\phi_3}$$

$$P_{\phi_{21}} = P_{\phi_2}$$

The elements of this matrix are tabulated on sht 5-44.

Elements of H_1 Matrix

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AIRCRAFT . . .
WEIGHT . . .
C. G. POSITION . . .

	1	2	3	4	5	6	7	8	9	10	11	12
$P_1 \rightarrow$												
$P_2 \downarrow$	M_{01}	M_{02}	M_{03}	M_{04}	M_{05}	T_{06}	P_{07}	P_{08}	P_{09}	P_{10}	P_{11}	P_{12}
M_{01}	503847	.58141	—	—	—	.085225	12.9495	61.7217	—	—	—	—
M_{02}	—	—	.64329	—	—	.202542	—	—	52.5252	—	—	—
M_{03}	—	—	—	.715446	—	.237695	—	—	—	41.5525	—	—
M_{04}	—	—	—	—	.70430	.110655	—	—	—	—	28.2502	—
T_{06}	863838	81261	.76503	.69867	.60752	.77163	72.7611	86.3677	62.4610	40.3850	21.6072	—
P_{07}	—	—	—	—	—	—	1.00000	1.00000	—	—	—	—
P_{08}	—	—	—	—	—	—	—	—	1.00000	—	—	—
P_{09}	—	—	—	—	—	—	—	—	—	1.00000	—	—
P_{10}	—	—	—	—	—	—	—	—	—	—	1.00000	—
P_{11}	—	—	—	—	—	—	—	—	—	—	—	1.00000
Chord (in)	1.36765	1.32702	1.47720	1.47116	1.45720	1.35470	1.61706	1.41089	1.15222	1.21445	1.50857	—

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/2

SHEET NO. 5-45

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

J. H. Turner

11 Feb. 55

CHECKED BY

DATE

R. N. SHEGRIE #12

11 MAY 1955

Statically Determinate Stresses

Determination of the G_2 Matrix.

The G_2 matrix consists of the coefficients of the loads on the outer wing (Q_{ow}), for P_2 written in terms of Q_{ow} .

The set P_2 consists of a torque T_0 at the transport joint acting on the inner wing (vector perp. to T/S rib, nose up +ve), moments M_{ps} , M_{fs} , M_{rs} & M_{ts} (vectors parallel to T/S rib, tension in top surface +ve) acting at the M/s, F/c/s, R/c/s & R/s respectively, and vertical shears P_{ps} , P_{fs} , P_{rs} & P_{ts} (down +ve) acting at the M/s, F/c/s, R/c/s & R/s respectively.

For Q_{ow} applied at load points on the M/s, F/c/s, R/c/s & R/s, elements of the G_2 matrix may be calculated as follows:

- (1) Determine the spar moment at the T/S due to each unit load Q . (These moment arms may be obtained from report 7/0510/2 sht 4-45)
- (2) Resolve these moments into components perpendicular & parallel to the T/S rib. This gives the values of moments & torques at the T/S due to these loads.

This calculation is done in the table on sht. 5-48.

Note: The appropriate angles and their sin & cos values are given in fig. 5

Q_{ow} applied to the front spar are carried along the front spar to load point 42, from whence they are transferred across the forward triangular panel of the outer wing to load point 43. The moments at load point 43 due to this transfer were calculated during the computation of the elements of the T_2 matrix, the results being tabulated on shts. 5-48 & 49. These results give a torque M' (vector perp to T/S) and a moment M_{11} (vector perp to fwd i/s rib of o/w)

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/2510/7

SHEET NO. 5-46

AIRCRAFT: C105

Outer Wing

PREPARED BY

DATE

J. J. [unclear]

14 Feb 55

CHECKED BY

DATE

R. J. SHARPLEY

20

MAY

1955

Statically Determinate Stresses.

The required matrix elements may be obtained by resolving M_{21} into components parallel & perpendicular to the T/S rib, and combining the latter (torque) component with M' .

This calculation is done in the table on sht. 5-49.

For Q_{13} applied aft of the rear spar (load points 13 & 14).

These loads are applied 15 in. aft of the rear spar. From their load points they are transferred forward along their respective ribs to the rear spar, giving rise to torques

$T'_{13} = 15,000 Q_{13}$ & $T'_{14} = 15,000 Q_{14}$ at load points 29 & 28 resp.

These torques travel to the T/S through the rear wing cells (cells 26, 39 & 52) to the T/S, where they are resolved into components perpendicular & parallel to the T/S rib. The torque components ($T' \cos 39.50^\circ$) of this resolution are carried directly to the inner wing. The wing bending components ($T' \sin 39.50^\circ$) are distributed between load points 39 & 38 according to the distributions given on sht. 5-36. of seq. where it is shown that:

$$M_{38} = -1.5407018 M$$

$$M_{24} = -.4592982 M$$

} sht. 5-37

where $M = T' \sin 39.50^\circ$

& subscript on M indicates moment at load point divided by subscript.

The loads, after transfer to the rear spar, travel inboard along the rear spar to the T/S, resulting in a vertical shear at the R/S - T/S intersection of $Q_{13} + Q_{14}$, and a bending moment at the R/S (vector perp. to R/S, tension in top fiber) of:

$$M = 35.5662 Q_{13} + 19.0884 Q_{14}$$

see load 24 & 29
moment arms, sht. 5-48

Resolving this into components perpendicular and parallel to the T/S rib gives:

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REPORT NO. 7/0500/7

SHEET NO. 5-47

AIRCRAFT: C105

Outer Wing

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DATE

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14 Feb 55

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DATE

R. H. ...

4/50

19/1 155

Statically Determinate Stresses

$$M_1 = 28.25023 Q_{13} + 15.16192 Q_{14}$$

$$T_1 = 21.60718 Q_{13} + 11.59658 Q_{14}$$

Note: This resolution was previously carried out for loads 29 & 29. Results here are taken from sht. 5-48.

Thus, at load point 34

$$M_{34} = -.4592982 T' \sin 39.50 + 28.25023 Q_{13} + 15.16192 Q_{14}$$

$$= -.4592982 \times 15,000 Q_{13} \sin 39.50 + 28.25023 Q_{13} \\ - .4592982 \times 15,000 Q_{14} \sin 39.50 + 15.16192 Q_{14}$$

& at load point 38

$$M_{38} = -.5407018 T' \sin 39.50$$

$$= -.5407018 \times 15,000 Q_{13} - .5407018 \times 15,000 Q_{14}$$

$$T = T' \cos 39.50$$

$$= 15,000 Q_{13} \cos 39.50 + 15,000 Q_{14} \cos 39.50$$

M_{34} & M_{38} +ve produce tension in top skin (vector parallel to T/S rib.)

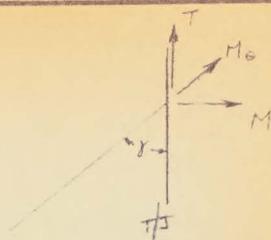
T +ve denotes nose up torque (vector perp. to T/S)

These calculations are carried out on sht. 5-50.

The G_2 matrix resulting is tabulated on sht. 5-51.

G₂ MATRIX

FORCES & MOMENTS AT T/S
 DUE TO LOADS ON OUTSIDE WINGS



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TECH

AIRCRAFT

WEIGHT

C. G. POSITION

LOAD POINT	1	2	3	4	5	6	7	8	9	10	11
	FORCE AT POINT	MOMENT ARM	cos Y	sin Y	M ①-④	T ③-⑤					
21	43 (1/2)	106.1587	.81361	.58141	61.72173	86.36771					cos
26	"	83.1147		"	51.81213	72.50461					
31	"	63.3704		"	40.35264	56.44045					M/S
36	"	46.2470			26.88847	37.62702					
40	"	23.1234			13.44418	18.81343					
22	41 (1/2)	81.5688	.76553	.64333	52.52810	62.46105					
27	"	64.8242			41.74614	43.53246					F/c/s
32	"	45.4292			23.25535	34.75470					
37	"	22.7147			14.62804	17.37743					
23	38 (1/2)	58.0829	.63867	.71544	41.55847	40.58497					
28	"	41.5634			23.73637	23.03310					R/c/s
33	"	22.4199			16.04023	15.66411					
24	34 (1/2)	35.5622	.60752	.79430	28.25023	21.60718					R/s
29	"	19.0884			15.16192	11.59658					

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-53

AIRCRAFT:

C-105

Innery Wing

PREPARED BY

DATE

R. N. SHEARLY

FEB 7/55

CHECKED BY

DATE

R. H. SHEARLY

FEB 11/55

DETERMINATION OF T_2 MOMENT (CONT)

DUE TO SPAR KINK MOMENT AT RK/S

M/S	- .360600 × 0	=	0
F/C/S	- .360600 × .366 877	=	- .132374
S/C/S	- .360600 × .212 547	=	- .076644
R/S	- .360600 × 0	=	0

DUE TO SPAR KINK MOMENT AT R/S

M/S	- .197664 × 0	=	0
F/C/S	- .197664 × .366 877	=	- .072523
R/C/S	- .197664 × .712 547	=	- .140845
R/S	- .197664 × .211 137	=	- .041734

THE TORSIONAL MOMENT ACTING ON THE TRANSPORT JOINT RIB IS REACTED BY THE TORSIONAL MOMENTS IN THE CELLS BETWEEN THE M/S & R/S. CALLING THE CELL BETWEEN

M/S & F/C/S CELL 84
F/C/S & R/C/S CELL 85
R/C/S & R/S CELL 86

THEN SINCE THE SHEAR FLOW AROUND THE CELLS IS TO BE CONSTANT AT THE T.J.

$$\frac{T_{84}}{A_{84}} = \frac{T_{85}}{A_{85}} = \frac{T_{86}}{A_{86}} = \frac{(T)_0}{A_{84} + A_{85} + A_{86}}$$

WHERE A_{84} = AREA OF CELL 84
 A_{85} = " " " " 85
 A_{86} = " " " " 86
 T_{84} = TORQUE CARRIED BY CELL 84
 T_{85} = " " " " 85
 T_{86} = " " " " 86
 $(T)_0$ = TOTAL TORQUE

$A_{84} = 330.443$ $A_{85} = 311.305$ $A_{86} = 258.891$ Rev

$A_{84} + A_{85} + A_{86} = 900.639$ SHEET 7-9

* THIS PRODUCES STRESSES IN F.J. RIB (75479 SEE SHEET 5-120, 121, 122)

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-5A

AIRCRAFT:

C-105

Inner Wing

PREPARED BY

DATE

R.N. SHEARLY

FEB. 7/55

CHECKED BY

DATE

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870 11/1 1/55

DETERMINATION OF T_2 MATRIX (CONT.)

$$T_{84} = \frac{330.443}{900.639} (T)_0 = .366898 (T)_0$$

$$T_{85} = \frac{311.305}{900.639} (T)_0 = .345649 (T)_0$$

$$T_{86} = \frac{258.871}{900.639} (T)_0 = .287453 (T)_0$$

THE SPAR KINK MOMENTS (SEE SHEET 5-52) PRODUCE THE FOLLOWING TORSIONAL MOMENTS IN CELLS 84, 85 & 86

DUE TO SPAR KINK MOMENT AT M/S

$$\text{CELL 84} = -.686472 \times .366898 = -.251865$$

$$85 = -.686472 \times .345649 = -.237278$$

$$86 = -.686472 \times .287453 = -.197329$$

DUE TO SPAR KINK MOMENT AT F/C/S

$$\text{CELL 84} = -.523536 \times .366898 = -.192084$$

$$85 = -.523536 \times .345649 = -.180960$$

$$86 = -.523536 \times .287453 = -.150472$$

DUE TO SPAR KINK MOMENT AT F/R/S

$$\text{CELL 84} = -.360600 \times .366898 = -.132303$$

$$85 = -.360600 \times .345649 = -.124641$$

$$86 = -.360600 \times .287453 = -.103656$$

DUE TO SPAR KINK MOMENT AT R/S

$$\text{CELL 84} = -.197664 \times .366898 = -.072523$$

$$85 = -.197664 \times .345649 = -.068322$$

$$86 = -.197664 \times .287453 = -.056819$$

AIRCRAFT:

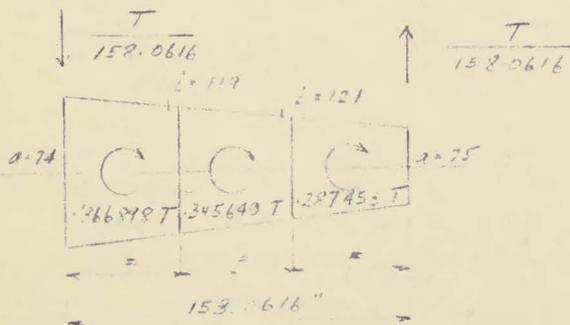
C-105

Inner Wing

DETERMINATION OF T_2' MATRIX (CONT.)

A UNIT TORQUE, T , APPLIED TO THE INNER WING AT THE TRANSPORT JOINT RIB DIVIDES INTO THE THREE TORQUES

$\left. \begin{array}{l} .366898 T \\ .345649 T \\ .287453 T \end{array} \right\}$ ACTING IN THE CELL BETWEEN $\left\{ \begin{array}{l} S/M/S \text{ \& } R/L/S \\ F/O/S \text{ \& } R/C/S \\ R/C/S \text{ \& } R/S \end{array} \right.$



AT THE FUSELAGE SIDE BEAM THE UNIT TORQUE IS REPLACED BY A COUPLE ACTING AT LOAD POINTS $\alpha = 74$ & 75 . THE RESULTING RIB MOMENTS ARE

$$M_{119} = \frac{153.0616}{3} \cdot \frac{T}{153.0616} - .366898 T = -.033565 T$$

$$M_{121} = \frac{2}{3} \cdot 153.0616 \cdot \frac{T}{153.0616} - .366898 T - .345649 T = -.045880 T$$

SOURCE	APPLIED TORQUE, T	M_{119}	M_{121}
		$-.033565 \cdot D$	$-.045880 \cdot D$
$(T)_2$	1.000000	.033565	-.045880
$(H_1)_0$	-.686472	.023041	.031495
$(H_4)_0$	-.523536	.017572	.024020
$(H_2)_0$	-.360600	.012104	.016544
$(H_3)_0$	-.177664	.006634	.007069



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-56

AIRCRAFT

C-105

Inner Wing

PREPARED BY

DATE

R.N. SHEARLY

FEB 23/55

CHECKED BY

DATE

R.N. SHEARLY

11/1 1955

DETERMINATION OF T_2' MATRIX (CONT.)

THE GENERALIZED UNIT FORCE $(P_{15})_0$ CAUSES A BENDING MOMENT AT STRESS POINTS, $i = 87, 97, 107 \& 117$ EQUAL TO THE MOMENT ARM BETWEEN THE LOAD POINT $a = 43$ & THE RESPECTIVE STRESS POINT (SEE REPORT 7/0510/2 SHT 4-46)

THE GENERALIZED UNIT FORCE $(P_{16})_0$ CAUSES A BENDING MOMENT AT STRESS POINTS, $i = 88, 91, 108 \& 118$ EQUAL TO THE MOMENT ARM BETWEEN THE LOAD POINT $a = 41$ & THE RESPECTIVE STRESS POINT (SEE REPORT 7/0510/2 SHT 4-46)

THE GENERALIZED UNIT FORCE $(P_{17})_0$ CAUSES A BENDING MOMENT AT STRESS POINTS, $i = 90, 109, 110 \& 120$ EQUAL TO THE MOMENT ARM BETWEEN LOAD POINT $a = 39$ & THE RESPECTIVE STRESS POINT (SEE REPORT 7/0510/2 SHT 4-46)

THE GENERALIZED UNIT FORCE $(P_{18})_0$ CAUSES A BENDING MOMENT AT STRESS POINTS, $i = 92, 107, 112 \& 122$ EQUAL TO THE MOMENT ARM BETWEEN LOAD POINT $a = 34$ & THE RESPECTIVE STRESS POINT (SEE REPORT 7/0510/2 SHT 4-46)

40
FACTORS

TABLE

5	6	7	8	9	10	11	12	13	14	15	16	17	18	19
	$\frac{1}{h A_R}$	$\frac{1}{150 \psi}$		S D	h	A _s	A _r	$\frac{1}{\psi'}$	$\frac{1}{h u_s}$	$\frac{1}{h A_R}$	$\frac{1}{150 \psi'}$		STRESS POINT	h
	.0093393			33	6.4011		27256				.05731637		112	6.4011
	.012791			34				.0011345			.00750333		113	6.4011
	.017815			35				.0012712			.00147467		114	
	.024726			36				.0016121			.01074733		115	
020				37	11.3242	5.6833			.01475449				116	
5044				38	10.8764	6.3856			.01316167				117	15.0010
3339				100	8.9040	7.1626			.01567933				118	12.7162
0184				102	6.4011	5.0876			.03064641				119	12.7162
	.0091407			103	6.4011		3.0165				.05178354		120	3.5984
	.0033067			104				.00032343			.00615600		121	3.5984
	.0121167			105				.0010846			.00723067		122	6.4011
456				106				.0014275			.00351667		123	6.4011
5592				107	13.3734	5.6050			.01334082					
285				108	11.7430	7.7310			.01101501					
230				110	3.8310	7.9269			.01366620					

DUMMY OF
T₂ MATRIX

REPORT 7/0510/7

SHT 5-10

RN. SNEARLY

800

FEB/55

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
74	x							
75	x	x	x	x				
78	x	x	x	x				
81					x			
73	.							
76	.							
77		.						
82			.					
84	o	o	o	o	.			
85	o	o	o	o	.			
86	o	o	o	o	.			
87	.			.	.			
88		
90			
92			
93			
94	o	o	o	o	.			
95	o	o	o	o	.			
96	o	o	o	o	.			
97		
98	
100	
102		
103			
104	o	o	o	o	.			
105	o	o	o	o	.			
106	o	o	o	o	.			
107		
108	
110	
112		
113			
114	o	o	o	o	.			
115	o	o	o	o	.			
116	o	o	o	o	.			
117		
118	
119	o	o	o	o	.	x	x	
120
121	o	o	o	o	.	x	x	
122
123			

PRELIMINARY T_2 MATRIX

i	$(M_{15})_i$	$(M_{14})_i$	$(M_{13})_i$	$(M_{12})_i$	$(T)_i$	$(P_{15})_i$	$(P_{14})_i$	$(P_{13})_i$	$(F_{12})_i$	STRESS FACTOR RSC SUP 5-59
74	.239768									.009999
75	.434606	.069683	.132304	.072523						.013679
78	.197328	.150492	.076644	.140845						.017816
81				.041734						.024941
73	1.21295									.017610
76		1.12875								.018680
79			1.06303							.020500
82				1.01935						.035332
84	.251865	.192084	.132303	.072523	.366898					.009141
85	.237278	.180960	.124641	.068322	.345649					.009307
86	.197329	.150492	.103656	.056819	.287453					.012117
87	1.21295					27.8986				.014255
88		1.12875					25.7619			.015696
90			1.06303					24.4503		.017949
92				1.01935					23.4156	.032969
93										.057317
94	.251865	.192084	.132303	.072523	.366898					.007503
95	.237278	.180960	.124641	.068322	.345649					.008475
96	.197329	.150492	.103656	.056819	.287453					.010747
97	1.21295					58.7740				.014754
98		1.12875					54.6940			.013162
100			1.06303					51.5095		.015630
102				1.01935					49.3929	.030646
103										.051790
104	.251865	.192084	.132303	.072523	.366898					.006156
105	.237278	.180960	.124641	.068322	.345649					.007231
106	.197329	.150492	.103656	.056819	.287453					.009517
107	1.21295					92.7429				.013341
108		1.12875					86.4919			.011015
110			1.06303					81.4560		.013666
112				1.01935					78.1089	.023430

85	237278	180960	124641	068322	345649			009907	002351	001793
86	197329	150492	103656	056819	287453			012117	002351	001824
87	121295					27.8986		014255	017251	
88	112875					25.9619		015696		017717
90		106303					24.4503	017949		
92			101935					032969		
93							23.4156	057317		
94	251865	192084	132303	072523	366898			007503	001830	001441
95	237278	180960	124641	068322	345649			008475	002014	001534
96	197329	150492	103656	056819	287453			010747	002121	001617
97	121295					58.7740		014754	017896	
98	112875					54.6940		013162		014857
100		106303					51.5095	015690		
102			101935					030646		
103							49.3929	051790		
104	251865	192084	132303	072523	366898			006156	001950	001182
105	237278	180960	124641	068322	345649			007231	001716	001309
106	197329	150492	103656	056819	287453			009517	001878	001432
107	121295					92.7429		013341	016182	
108	112875						86.4919	011015		012433
110		106303					81.4560	013666		
112			101935					023430		
113							78.1089	046797		
114	251865	192084	132303	072523	366898			005045	001271	001969
115	237278	180960	124641	068322	345649			006152	001460	001113
116	197329	150492	103656	056819	287453			008411	001660	001266
117	121295					130.7596		011235	013627	
118	112875						121.6826	009191		010374
119	023041	017572	012104	006634	033565		35.1148	017483	000403	000307
120		106303					114.5978	011876		
121	031495	024020	016544	009169	045880		17.5624	023161	000729	000556
122			101935					026323		
123							109.8888			

* N.B. THE C
(P₁), (P₂) & (P₃) OF
THE COEFFICIENTS TR
38 & 34 RESP.
CONSISTENT & ELIM

T₂ MATRIX

T₂ MATRIX

(M_{1/2}) (T) (P₅) (P₄) (P₃) (P₂)

STRESS FACTOR P₂ SUM 5-59 (M_{1/2}) (M₂) (M₃) (M₄) (T) (P₅)

.072523					
.140845					
.041734					
1.01935					
.072523	.366898				
.068322	.345649				
.056819	.287453				
	27.8986				
	25.7619				
	24.4503				
1.01935			23.4456		
.072523	.366898				
.068322	.345649				
.056819	.287453				
	58.7740				
	54.6940				
	51.5095				
1.01935			49.3929		
.072523	.366898				
.068322	.345649				
.056819	.287453				
	72.7429				
	86.4919				
	81.4560				
1.01935			78.1089		

.009999	.002397				
.013679	.005345	.000953	.001910	.000992	
.017816	.005516	.002681	.001365	.002509	
.024941				.001041	
.017610	.021360				
.018680		.021085			
.020500			.021782		
.035332				.036077	
.009141	.002302	.001756	.001209	.000668	.003354
.009307	.002351	.001793	.001235	.000677	.003424
.012117	.002391	.001824	.001256	.000688	.003483
.014255	.017251				.397695
.015636		.017717			
.017949			.019080		
.032969				.033607	
.057317					
.007503	.001830	.001441	.000993	.000544	.002753
.008475	.002014	.001534	.001056	.000579	.002929
.010747	.002121	.001617	.001114	.000611	.003089
.014754	.017896				.867152
.013162		.014857			
.015680			.016668		
.030646				.031239	
.051790					
.006156	.001550	.001182	.000814	.000446	.002259
.007231	.001716	.001309	.000901	.000494	.002499
.009517	.001876	.001432	.000986	.000541	.002736
.013341	.016182				.123936
.011015		.012433			
.013666			.014527		
.028430				.028980	

068322	345649		009307	002351	001793	001235	000677	003424	
056819	287453		012117	002391	001824	001256	000668	003423	
	27.9986		014255	017231					397695
	25.9619		015696		017717				40
	24.4503		017949			019080			
1.01935		23.4456	052969				033607		
			057317						
072523	366898		007503	001890	001441	000993	000544	002753	
068322	345649		008475	002011	000534	001056	000579	002929	
056819	287453		010747	002121	000617	001114	000611	003089	
	58.7740		014754	017896					867152
	54.6940		013162		014857				719
	51.5095		015680			016668			
1.01935		49.3929	030646				031239		
			051790						
072523	366898		006156	001550	001182	000814	000446	002259	
068322	345649		007231	001716	001369	000901	000494	002499	
056819	287453		009517	001878	001432	000986	000541	002736	
	92.7429		013341	016182					1.239365
	86.4919		011015		012433				35
	81.4560		013666			014527			
1.01935		78.1089	023430				028960		
			046797						
072523	366898		005045	001271	000969	000667	000366	001851	
068322	345649		006152	001460	001113	000767	000420	002126	
056819	287453		008411	001660	001266	000972	000478	002413	
	130.7596		011235	013627					1.469084
	121.6826		009191		010374				1.118
006634	033565	35.1248	017483	000403	000807	000212	000116	000687	614
		114.5978	011876			012625			
009069	045980	17.5624	023161	000729	000556	000383	000210	001063	40
1.01935		35.1248	026323				026832		
		109.2888							

* N.B. THE COEFFICIENTS TABULATED
 $(P_{10})_0$, $(P_{20})_0$ & $(P_{30})_0$ OF MATRIX T_1 ARE NOT
 THE COEFFICIENTS TABULATED IN T_3 MATRIX
 38 & 34 RESP. THIS WAS DONE TO KEEP
 CONSISTENT & ELIMINATES ROUNDING ERROR

	009907	002351	001783	001235	000677	003424		85
	012117	002391	001824	001256	000688	003423		86
	014255	017231				397695		87
	015696		017717			407498		88
4503	017949		019080			438858		90
23.4456	052969			033607			772378	92
	057317							93
	007503	001890	001441	000993	000544	002753		94
	008475	002011	001534	001056	000579	002929		95
	010747	002121	001617	001114	000611	003089		96
	014754	017896				867152		97
	013162		014857			719882		98
5095	015630			016668			207669	100
49.3929	030646			031239			1.513695	102
	051790							103
	006156	001550	001182	000814	000446	002259		104
	007231	001716	001369	000901	000494	002499		105
	009517	001878	001432	000986	000541	002736		106
	013341	014182				1.239966		107
	011015		012433			952702		108
4560	013666			014527			1.113178	110
78.1089	028430				028980		2.220636	112
	046797							113
	005045	001271	000969	000667	000366	001851		114
	006152	001460	001113	000767	000420	002126		115
	008411	001660	001266	000872	000478	002415		116
	011235	013627				1.469084		117
	009191		010374			1.118385		118
5624	017483	000403	000307	000212	000116	000587	614087 307043	119
15778	011876			012625			1.360963	120
1248	023161	000729	000556	000383	000210	001063	406763 813525	121
107.2888	026323				026832		2.892603	122
								123

* N.B. THE COEFFICIENTS TABULATED IN COLUMNS (P₁)₁, (P₂)₁ & (P₃)₁ OF MATRIX T₁ ARE NOT THESE BUT ARE THE COEFFICIENTS TABULATED IN T₃ MATRIX COLUMNS 2, 43, 41, 38 & 34 RESP. THIS WAS DONE TO KEEP THE COEFFICIENTS CONSISTENT & ELIMINATES ROUNDING ERRORS.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-62 *

AIRCRAFT

C105

Inner Wing - T₃

PREPARED BY

DATE

D. Turner

8 June '55

CHECKED BY

DATE

D.T.

Determination of the T₃ Matrix

The coefficients in the T₃ matrix are obtained by factoring the coefficients of the appropriate part of the T₁₂ matrix of report 7/0510/2 to account for the changes in panel thickness and spar & rib areas (ref. sht. 5-63), except for:

(a) The coefficients in rows $l = 119$ & 121 , which are calculated on sheets 5-63 & 5-64.

(b) The coefficients in the columns $a = 15, 19$ & 73 , which are calculated on sheets 5-65, 5-66 & 5-67, and tabulated in the summary on sheet 5-68.

A.V. ROE CANADA LIMITED
MALTON - ONTARIO

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT

C 105

INNER WING.

REPORT NO. 7/0510/7

SHEET NO. 5-63

PREPARED BY:

V.F. GARDENIER

DATE:

FEB. 11 '55

CHECKED BY:

R.N. SHEARL

DATE:

30 MAY '55

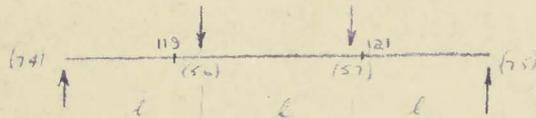
STATICALLY DETERMINATE STRESS

T_3 MATRIX

THE COEFFICIENTS OF THIS (T_3) MATRIX ARE OBTAINED BY FACTORIZING THE OLD VALUES BY THE RATIO OF THE OLD TO NEW AREAS.

THESE RATIOS ARE THE SAME AS THOSE USED FOR THE K_{ij} MATRIX, GIVEN IN p. 4-40

RIB AT FUSE. SIDE



$$l = 526872'$$

UNIT LOAD AT (56)

$$\text{STRESS } 119 = \frac{2}{3} \times \frac{526872}{127162 + 44982} = .61467$$

$$\text{STRESS } 121 = \frac{1}{3} \times \frac{526872}{95984 + 44982} = .406767$$

UNIT LOAD AT (57)

$$\text{STRESS } 119 = \frac{1}{3} \times \frac{526872}{127162 + 44982} = .3070347$$

$$\text{STRESS } 121 = \frac{2}{3} \times \frac{526872}{95984 + 44982} = .8153496$$

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/2510/7

SHEET NO. 5-65 X

AIRCRAFT:

C-405

Innov Wing

PREPARED BY

DATE

R.N. SHARLEY

FEB 16/55

CHECKED BY

DATE

R.N. SHARLEY

2/20 MAY 1/55

DETERMINATION OF THE T_2 MATRIX (CONT)

LOAD Q_{15} GIVES RISE TO AN EXTERNAL RIB
MOMENT AT LOAD POINT ($a=34$) = $30 Q_{15}$ (See 5-65)

THE RESULTING RIB MOMENTS = EXTERNAL RIB MOMENT x APPROPRIATE
DISTRIBUTION FACTOR

At M/S	$30 Q_{15} \times 0$	=	0
At F/C/S	$30 Q_{15} \times 366.899$	=	$11.0070 Q_{15}$
At R/C/S	$30 Q_{15} \times 712.547$	=	$21.3764 Q_{15}$
At R/S	$30 Q_{15} \times 1.000000$	=	$30.0000 Q_{15}$

THE RESULTING RIB STRESSES = $M \times \frac{1}{I \cdot A}$

At M/S	0	$\times .00999993$	=	0
At F/C/S	$11.0070 Q_{15}$	$\times .0136791$	=	$.150566 Q_{15}$
At R/C/S	$21.3764 Q_{15}$	$\times .0178165$	=	$.381853 Q_{15}$
At R/S	$30.0000 Q_{15}$	$\times .0249406$	=	$.748218 Q_{15}$

THE LOAD, Q_{15} PRODUCES

$$(T)_0 = 30 Q_{15}$$

$$(P)_0 = 1.010000 Q_{15}$$

WHICH WHEN USED IN CONNECTION WITH THE T_2 MATRIX
YIELD ELEMENTS IN THE T_2 MATRIX. SEE SUMMARY FOR RESULTS
SUMMARY ON SHEET 5-68.

Load Q_{19} will give rise to an EXTERNAL RIB
MOMENT AT LOAD POINT ($a=43$)
= $-52.2944 Q_{19}$ (See 5-67)

(See 5-67)

THE RESULTING RIB MOMENT = EX. RIB MOMENT x APPROPRIATE DISTRIBUTION
FACTOR

At M/S	$-52.2944 Q_{19}$	$\times -1.000000$	=	$52.2944 Q_{19}$
At F/C/S	"	$\times -.633101$	=	$33.1076 Q_{19}$
At R/C/S	"	$\times -.287453$	=	$15.0322 Q_{19}$
At R/S	"	$\times 0$	=	0



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-68 *

AIRCRAFT:

C-105

Inner Wing

PREPARED BY

DATE

R.M. SHEARLY

FEB 17/55

CHECKED BY

DATE

R.M. SHEARLY

11/11/55

DETERMINATION OF T_3 MATRIX (CONT.)
SUMMARY OF TERMS DUE TO LOADS Q_{15} & Q_{19}

a_2	15	19	73
74		.522907	.261454
75	.150566	.452882	.226441
78	.380853	.267821	.153910
81	.748218		
84	.100620	-.175395	-.087698
85	.102720	-.179056	-.089529
86	.104490	-.182141	-.091071
87		.397695*	.178849*
92	.772978		
94	.082590	-.143966	-.071983
95	.087970	-.153170	-.076585
96	.092670	-.161537	-.080769
97		.867152*	.433576*
102	1.513695		
104	.067770	-.118133	-.059066
105	.074970	-.130684	-.065342
106	.082080	-.143077	-.071539
107		1.239765*	.617982*
112	2.220636*		
114	.055530	-.096797	-.048398
115	.063780	-.111179	-.055589
116	.072540	-.126448	-.063224
117		1.469084*	.734542*
119	.017610	.030697	.015348
121	.031890	.055589	.027794
122	2.892603*		

$Q_{73} = 0$
since redefinition
of problem

* NB. THE COEFFICIENTS TABULATED IN COLUMNS 15, & 19 MARKED
THUS * ARE NOT THE VALUES TABULATED IN MATRIX T_3 INSTEAD
THE COEFFICIENTS OF COLUMNS 34, & 43 respectively
ARE TABULATED. THIS
WAS DONE TO BE CONSISTENT & TO ELIMINATE ROUNDING ERRORS.

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-62*

AIRCRAFT:

C-105

G₃

PREPARED BY

DATE

R.N. SHARPLEY

FEB 10/55

CHECKED BY

DATE

J.N. SHARPLEY

24/2 MAY 1/55

DETERMINATION OF THE G₃ MATRIX

THE G₃ MATRIX EXPRESSES THE INTERACTION GENERALIZED FORCES BETWEEN THE INNER WING AND THE CENTER SECTION IN TERMS OF THE UNIT LOADS APPLIED TO THE INNER WING. (THIS INCLUDES G₀ FOR $\alpha = 15$ TO 17 INCLUSIVE) AT THIS PARTICULAR PARTITION (1/11 TO 1/18) THE SHEAR FORCES AND TORSIONAL MOMENT TRANSFER THROUGH THE FUELAGE SIDE BEAM RIB TO THE REACTION POINTS ($\alpha = 81$ & 82) AND HENCE ONLY THE SPAR BENDING MOMENTS ARE TRANSMITTED FROM THE INNER WING TO THE CENTER SECTION. THE ELEMENTS OF THE MATRIX ARE SIMPLY THE APPROPRIATE MOMENT ARMS.

TO OBTAIN THE CORRECT MOMENT ARMS

- | | | |
|-----|---|--------|
| (1) | ALL LOADS ON THE $\left\{ \begin{array}{l} M/S \\ R/L \\ R/C \\ R/S \end{array} \right\}$ ARE ASSUMED TO CAUSE B.M. AT POINT (1/11) | (1/11) |
| (2) | | (1/12) |
| (3) | | (1/13) |
| (4) | | (1/14) |

(5) LOAD AT $\alpha = 9$ TRANSFERS TO LOAD POINT $\alpha = 43$ AS SHEAR FORCE AND TORSIONAL MOMENT. THE SHEAR FORCE IS DEALT WITH THE SAME AS LOAD AT $\alpha = 43$. THE TORSIONAL MOMENT HAS NO EFFECT ON THE INTERACTION GENERALIZED FORCES BETWEEN INNER WING AND CENTER SECTION.

(6) LOADS AT $\alpha = 15, 16, 17$ & 18 TRANSFER TO LOAD POINT $\alpha = 39, 47, 51$ & 55 RESP. AS SHEAR FORCE AND TORSIONAL MOMENT. THE SHEAR FORCE IS DEALT WITH THE SAME AS LOAD AT $\alpha = 39, 47, 51$ & 55 RESP. THE TORSIONAL MOMENT HAS NO EFFECT ON THE INTERACTION GENERALIZED FORCES BETWEEN INNER WING AND CENTER SECTION.

AIRCRAFT:

C-105

H₂

PREPARED BY

DATE

R. M. SHERRELL

FEB 10/55

CHECKED BY

DATE

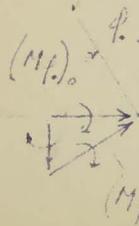
R. M. SHERRELL

28 MAY 1955

DETERMINATION OF THE H₂ MATRIX

THE H₂ MATRIX EXGRESSES THE INTERACTION GENERALIZED FORCES ACTING BETWEEN THE INNER WING AND THE CENTER SECTION, SUBSEQUENTLY IN THIS PARAGRAPH CALLED THE INNER INTERACTION FORCES IN TERMS OF THE UNIT INTERACTION GENERALIZED FORCES ACTING BETWEEN THE OUTER WING AND THE INNER WING, SUBSEQUENTLY IN THIS PARAGRAPH CALLED THE OUTER INTERACTION FORCES. THE UNIT MOMENTS OF THE OUTER INTERACTION FORCES $\{(M_{12})_0, (M_{14})_0, (M_{16})_0, (M_{18})_0\}$ MUST BE RESOLVED INTO A SPAR MOMENT AND A TORSIONAL MOMENT. THE SPAR MOMENT FOR ANY PARTICULAR SPAR OF THE INNER INTERACTION FORCES WILL SIMPLY BE THE PART THAT RESOLVES INTO THAT SPAR. THE PART THAT RESOLVES INTO THE TORSIONAL MOMENT DOES NOT AFFECT THE INNER INTERACTION FORCES. (SEE PREVIOUS WORK ON G₃ MATRIX) THE UNIT TORSIONAL MOMENT OF THE OUTER INTERACTION FORCES $\{(T)_{01}\}$ DOES NOT AFFECT THE INNER INTERACTION FORCES. (SEE PREVIOUS WORK ON G₃ MATRIX) THE UNIT SHEAR FORCES OF THE OUTER INTERACTION FORCES $\{(F_{23})_0, (P_{24})_0, (P_{26})_0, (P_{28})_0\}$ CAUSE A SPAR MOMENT THE SAME AS LOADS AT a-43, 41, 39 & 34 RESPECTIVELY. (SEE PREVIOUS WORK ON G₃ MATRIX)

Solve for

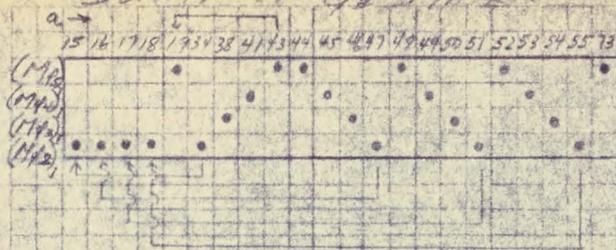


(73.85)

$$(M_{12})_1 = \frac{1}{\cos \alpha} (M_{12})_0$$

RN SHERREY FEB 10/55 RN 300

DUMMY OF G_0 MATRIX



DUMMY OF H_0 MATRIX



A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/2

SHEET NO. 5-79

AIRCRAFT:

C-105

Centre Section

PREPARED BY

DATE

R.H. SHEARLY

FEB 11/55

CHECKED BY

DATE

R.H.

DETERMINATION OF T_3' MATRIX (CONT.)

HAVING OBTAINED THE BENDING MOMENTS IN THE SPARS & RIBS, M_{nia} & M_{jia} , AND THE TORSIONAL MOMENTS IN THE CELLS T_m , (SEE PRELIMINARY T_3 MATRIX) THE AXIAL STRESSES IN THE SPARS & RIBS AND THE SHEARING STRESS IN THE PANELS ARE FOUND BY MULTIPLYING BY THE APPROPRIATE STRESS FACTOR

$$\sigma_{nia} = \frac{1}{h_i A_{si}} M_{nia}$$

$$\tau_{jia} = \frac{1}{h_i A_{si}} M_{jia}$$

$$\tau_m = \frac{1}{4t} T_m$$

REF. REPORT 7/0510/2 SHEET 4-5.

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT No. 7/0510/7

SHEET No. 5-83

AIRCRAFT:

C-105

Centre Section

PREPARED BY

DATE

R.M. SHEARLY

FEB 15/50

CHECKED BY

DATE

DA

DETERMINATION OF T_4 MATRIX

THIS MATRIX EXPRESSES THE STATICALLY DETERMINATE STRESSES OF THE CENTER SECTION WING IN TERMS OF THE LOADS ACTING ON THE CENTER SECTION WING.

TO UNDERSTAND THE INITIALLY ASSUMED LOAD PA-4 OF LOADS APPLIED BETWEEN THE FUSELAGE SIDE BEAMS, IT IS NECESSARY TO CONSIDER (A) ANY ONE SPAR AS A WHOLE, FROM ONE SIDE BEAM TO THE OTHER SIDE BEAM AND (B) THE LOADS ARE APPLIED SYMMETRICALLY ABOUT THE AIRCRAFT CENTER LINE. THEN THE SPAR BENDS AS A SIMPLE BEAM WITH THE EXCEPTION THAT THE CENTER LINE RIB APPLIES A TORQUE TO THE SPAR TO MAINTAIN EQUILIBRIUM. (SEE FIGURE BELOW)



THE LOADS AND MOMENTS ACTING ON THE LEFT HALF OF THE SPAR ARE SHOWN IN FIGURE ON NEXT SHEET.

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 10010/7

SHEET NO. 5-84

AIRCRAFT:

C-105

Centre Section

PREPARED BY

R. V. SHEPHERD

DATE

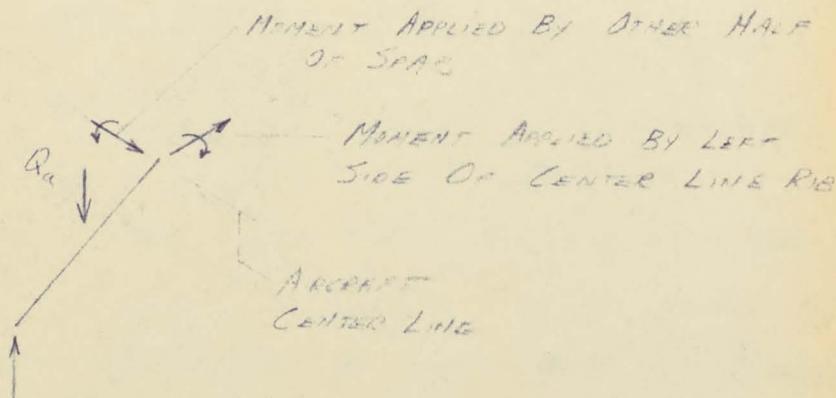
FEB 15/55

CHECKED BY

DATE

RS

DETERMINATION OF T_4 MATRIX (CONT.)



THE SPAR ACTS ON THE LEFT HALF OF THE CENTER LINE RIB WITH A MOMENT CALLED SPAR RIB MOMENT (EQUAL & OPPOSITE TO THE ONE SHOWN IN THE ABOVE FIGURE) WHICH CAUSES RIB MOMENTS (SEE SHEET 5-82890) AND TORSIONAL MOMENTS IN THE CELLS 136, 137 & 138 (SEE SHEET 5-91024). THESE TORSIONAL MOMENTS CAUSE RIB MOMENTS IN THE FUSELAGE SIDE BEAM RIB A- STRESS POINTS 1-119 & 121 (SEE SHEET 5-93) AND THE FUSELAGE SIDE BEAM RIB CARRIES THE LOADS TO THE SUPPORT POINTS A- 81 & 82.

AIRCRAFT:

C-105

Centre Section

PREPARED BY

DATE

P.M. SHERRET

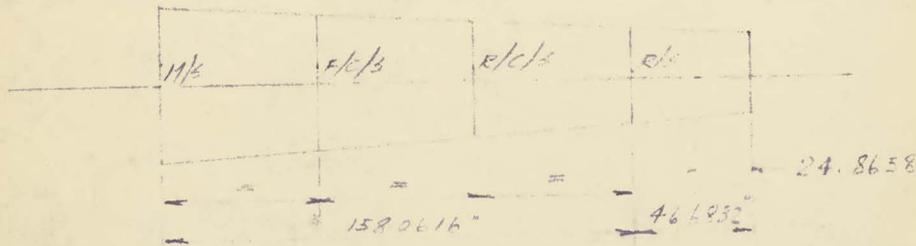
FEB 19/55

CHECKED BY

DATE

B/S

DETERMINATION OF T_4 MATRIX (CONT.)



SECTION THROUGH WING AT FUSELAGE SIDE RIB 119

$\frac{d}{q} = 17.5624$ $\frac{2d}{q} = 35.1248$ $\frac{e}{3} = 15.5611$ $\frac{2e}{3} = 31.1221$ $e = 46.6852$

i	h_i	A_{ci}	$h_i A_{ci}$	$\frac{1}{h_i A_{ci}}$	$\frac{d}{q} \frac{1}{h_i A_{ci}}$	$\frac{2d}{q} \frac{1}{h_i A_{ci}}$	$\frac{e}{3} \frac{1}{h_i A_{ci}}$	$\frac{2e}{3} \frac{1}{h_i A_{ci}}$	$\frac{e}{h_i A_{ci}}$
119	12.7162	44982	57.2000	.0174925	.307035	.614069	.272047	.544092	.816139
121	95984	44982	43.1755	.0231613	.406788	.813536	.360415	.720829	1.081244
123	6.404	59655	25.3836	.0393755	.691980	1.383959	.613037	1.226071	1.839109

THIS TABLE NOT REQUIRED FOR DETERMINATION OF PRELIMINARY T_4 MATRIX, MAY BE USED TO CHECK T_4 MATRIX

TECHNICAL DEPARTMENT (Aircraft)

REPORT No. 7/0510/7

SHEET No. 5-90

AIRCRAFT:

C-105

Centre Section

PREPARED BY

DATE

R.N. SHEARLY

FEB 15/55

CHECKED BY

DATE

JLS

DETERMINATION OF T_4 MATRIX (CONT.)

DUE TO SPAR KINK MOMENT AT R/S

DUE TO R/S	M/S	-5.6927	x	0	=	0
	F/C/S	"	x	.439284	=	-2.50071
	R/C/S	"	x	.774374	=	-4.40828
	R/S	"	x	.216583	=	-1.23294
DUE TO F/S	M/S	-11.3854	x	0	=	0
	F/C/S	"	x	.439284	=	-5.00142
	R/C/S	"	x	.774374	=	-8.81656
	R/S	"	x	.216583	=	-2.46588

DUE TO SPAR KINK MOMENT AT FALSE SPAR

DUE TO R/S	M/S	-1.5349	x	0	=	0
	F/C/S	"	x	.439284	=	-.67426
	R/C/S	"	x	.774374	=	-1.18859
	R/S	"	x	1.000000	=	-1.53490
DUE TO F/S	M/S	-3.0698	x	0	=	0
	F/C/S	"	x	.439284	=	-1.34851
	R/C/S	"	x	.774374	=	-2.37717
	R/S	"	x	1.000000	=	-3.06980
DUE TO F/S	F/S	"	x	0	=	0
	F/S	"	x	0	=	0



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

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C105

T10

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DATE

J. H. Munn

15 June '55

CHECKED BY

DATE

P. A. Stewart

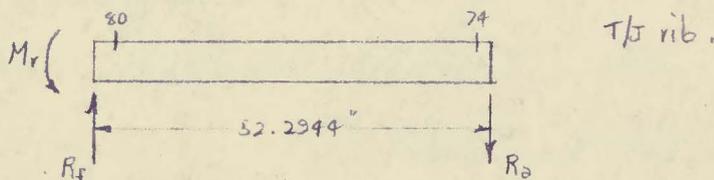
JUNE 15/55

Interaction Loads.

From these calculations

$$(1) \begin{cases} M_s = .909548 M_{102} - 1.76373 M_{103} \\ M_r = .103171 M_{102} + 1.98176 M_{103} \end{cases}$$

Now, replace M_r by a force acting down at load point 19 and an equal force acting up at load point 43.

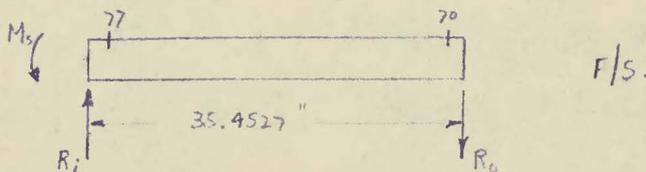


$$R_f = R_o = \frac{M_r}{52.2944} = .0191225 M_r$$

In making this substitution a stress is induced at stress point 80 of:

$$\sigma_{80} = \frac{M_r}{h_{80} A_{80}} = \frac{M_r}{6.5739 \times 8.2070} = .018534995 M_r$$

Now, replace M_s by a force acting down at load point 19, and an equal force acting up at load point 42.



$$R_i = R_o = \frac{M_s}{35.4527} = .028207 M_s$$



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AIRCRAFT:

C105

Tia

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D. Turner

15 June '55

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R. N. Stealy

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Interaction Loads.

In making this substitution a stress is induced at stress point 77 of

$$\sigma_{77} = \frac{M_s}{h_{77} A_{77}} = \frac{M_s}{6.8739 \times 5.05} = .030122120 M_s$$

Moments M_{102} & M_{103} have now been replaced by a set of forces

.0191225 M_r + .028207 M_s acting down at load point 19

.0191225 M_r acting up at load point 43

.028207 M_s acting up at load point 42

and stresses $\sigma_{80} = .018534995 M_r$

$$\sigma_{77} = .030122120 M_s$$

Substituting equations (1) of sht. 5-99 in these expressions gives loads:

$$.001973 M_{102} + .037896 M_{103} + .025656 M_{102} - .049750 M_{103} =$$

$$= .027629 M_{102} - .011859 M_{103} \quad \text{acting down at load point 19}$$

$$.001973 M_{102} + .037896 M_{103} \quad \text{acting up at load point 43}$$

$$.025656 M_{102} - .049750 M_{103} \quad \text{acting up at load point 42.}$$



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REPORT NO. 7/0510/7

SHEET NO. 5-101

AIRCRAFT

C105

 T_{10}

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DATE

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DATE

Interaction Loads

and stresses

$$\sigma_{80} = .001912274 M_{102} + .036731912 M_{103}$$

$$\sigma_{77} = .027397514 M_{102} - .053127287 M_{103}$$

Stresses in the remainder of the structure due to these substituted loads will be induced in the same manner as stresses due to Q_{101} , Q_{93} & Q_{62} .

Coefficients of the T_{10} matrix for these loads may therefore be determined according to:

$$\text{Coeff. of } M_{102} = .027629 \times \text{Coeff. of } Q_{101} - .001973 \times \text{Coeff. of } Q_{93} - .025656 \times \text{Coeff. of } Q_{62}$$

$$\text{Coeff. of } M_{103} = -.011854 \times \text{Coeff. of } Q_{101} - .037896 \times \text{Coeff. of } Q_{93} + .049750 \times \text{Coeff. of } Q_{62}$$

These coefficients are determined in the table on shts. $\begin{cases} 5-104 \\ 5-105 \\ 5-106 \end{cases}$

Data pertinent to these calculations is given on shts 5-102 & 5-103



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REPORT NO 7/0510/7

SHEET NO 5-103

AIRCRAFT:

C-105

Tia

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R.H. SHEARLY

DATE

MAR. 15/55

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A.L. [unclear]

DATE

2 May '55

Interaction Loads

VALUE OF CONSTANTS (Cont)

1	$1/L$	= .016555 -	
2	c/L	= .609517 -	
3	$1/\sin \beta$	= 1.98444 -	
4	$\sin \delta / \sin \beta$	= .103171 -	
5	$\cos \delta / \sin \beta$	= 1.98176 -	
6	$\sin (\beta - \delta) / \sin \beta$	= .909548 -	
7	$\cos (\beta - \delta) / \sin \beta$	= 1.76373 -	
8	c/a	= 1.47505 -	
9	b/a	= .792112 -	
10	$(\sin (\beta - \delta) / \sin \beta) \times c/a$	= 1.341629 -	(3) x (8)
11	$(\cos (\beta - \delta) / \sin \beta) \times c/a$	= 2.601590 -	(7) x (8)
12	$(\sin (\beta - \delta) / \sin \beta) \times b/a$	= .720464 -	(3) x (9)
13	$(\cos (\beta - \delta) / \sin \beta) \times b/a$	= 1.39707 -	(7) x (9)
14	$(\sin (\beta - \delta) / \sin \beta) \times \frac{b}{a} \cos \alpha$	= .555924 -	(12) x (10)
15	$(\cos (\beta - \delta) / \sin \beta) \times \frac{b}{a} \cos \alpha$	= 1.07801 -	(13) x (10)
16	$(\sin (\beta - \delta) / \sin \beta) \times \frac{b}{a} \sin \alpha$	= .459273 -	(12) x (11)
17	$(\cos (\beta - \delta) / \sin \beta) \times \frac{b}{a} \sin \alpha$	= .888648 -	(13) x (11)
18	$(\sin (\beta - \delta) / \sin \beta) \times (\frac{c}{a} - \frac{b}{a} \cos \alpha)$	= .785705 -	(10) - (12)
19	$(\cos (\beta - \delta) / \sin \beta) \times (\frac{c}{a} - \frac{b}{a} \cos \alpha)$	= 1.52358 -	(11) - (13)

Determination of Tie Elements for M_{102} & M_{103}

AIRCRAFT

WEIGHT

C. G. POS

	1	2	3	4	5	6	7	8	9	10	
i	Q_{i1}	Q_{i2}	Q_{i3}				Coeff of M_{102}				
				.5713(0)	.0256(6)	.0972(8)	.0972(8)		.011854	.041750(2)	.027
71		.64079			.0164401		.0164401			.0318703	
73		.38155			.0097820		.0097820			.0189821	
74	.52291	.11850		.0144475	.0030402		.0114073		.0061986	.0058954	
75	.45258	.29304		.012512	.0075368		.0049738		.0053684	.0146185	
77	-	-	-				*		.0223975		
78	.26782	.17380		.0073096	.0049590		.0029406		.0031747	.0086466	
80	-	-	-				*		.0019123		
84	.17539	.11380		.0048458	.0029197		.0019261		.0020791	.0056616	
85	.17206	.11619		.0043472	.0029810		.0019662		.0021226	.0057804	
86	.18214	.11818		.0050323	.0030320		.0020003		.0021591	.0058724	
87	.39770	.70656	.39770	.019981	.0181275	.0007847	.0079241		.0147143	.0351514	.015
94	.14397	.03341		.0039777	.0023965		.0015812		.0017066	.0046471	
95	.15317	.02239		.0042319	.0025499		.0016820		.0018157	.0043446	
96	.16154	.10483		.0044632	.0026895		.0017737		.0019149	.0052153	
97	.86720	.18657	.86720	.0232592	.0304503	.0017110	.0082014		.0102798	.0530468	.020
104	.1617	.07660		.0032638	.0019663		.0012975		.0014003	.0038128	

A. V. ROE CANADA LIMITED

MALTON, ONTARIO
TECHNICAL DEPT. (AIRFRAME)

REPORT NO. 7/5-1685

SHEET 5-104

DATE 15-2-46

PREPARED BY J/L

AIRCRAFT C105
WEIGHT _____
C. G. POSITION _____

6	7	8	9	10	11	12	13	14	15	16	17	18	19
	Coeff. of M_{102}					Coeff. of M_{102}							
$\frac{.073(x)}{(1) + (1)}$			$\frac{.011850}{(1)}$	$\frac{.041750(x)}{(2)}$		$\frac{.0375(x)}{(2)}$							
	.0164401			.0318773		.0318793							
	.0097890			.0189821		.0189821							
	.0114073		.0061986	.0058954		.0003032							
	.0049738		.0053684	.0146185		.0092501							
	*					*							
	.0273975					.0531273							
	.0029406		.0031747	.0086466		.0054719							
	*					*		*					
	.0019123					.0367319							
	.0019261		.0020791	.0056616		.0035825							
	.0019162		.0021226	.0057894		.0036578							
	.0020003		.0021591	.0058794		.0037203							
$\frac{.0007847}{(1)}$.0079241		.0647143	.3351514	.0150712	.0153659							
	.0015812		.0017066	.0046471		.0029905							
	.0016820		.0018157	.0049946		.0031282							
	.0017737		.0019149	.0052153		.0033084							
$\frac{.0017110}{(1)}$.0082014		.0103798	.0320968	.0328634	.0159036							
	.0012975		.0014003	.0038128		.0024125							

Note that these elements are to be multiplied by 100 since unit moment is ton-in. as 100 in. ft.

Determination of Tia Elements for M_{102} & M_{103}

A. V. R

AIRCRAF

WEIGHT

C. G. P

	1	2	3	4	5	6	7	8	9	10		
	Coefficients of Q_{01}			Coeff of M_{102}								
	Q_{01}	Q_{02}	Q_{03}									
				.027629	.025641	.051928	(.0117)		.01184	.049756	.03	
105	.13068	.08480		.0021106	.0021756		.0014352		.0015421	.0042188		
106	.14308	.09284		.0032532	.0023212		.0015713		.0016261	.0046188		
107	1.24000	1.52905	1.24000	.0312600	.0322293	.0024465	.0074158		.0146220	.0760702	.04	
114	.09380	.06281		.0026745	.0016114		.0010631		.0011475	.0031248		
115	.11118	.07215		.0030718	.0018511		.0012207		.0013179	.0035895		
116	.12645	.08205		.0034937	.0021051		.0013886		.0014782	.0040820		
117	1.46909	1.71251	1.46909	.0405725	.0439362	.0028485	.0062452		.0174146	.0851374	.05	
118												
119	.10634	.13782	.13764	.0029381	.0035872	.0002709	.0003195		.0012606	.0062560	.00	
121	.12904	.17918	.18463	.0035652	.0045970	.0003643	.0013261		.0015226	.0089142	.00	
124	.13522	.15852	.13522	.0032573	.0040670	.0002683	.0005780		.0016120	.0078864	.00	
125	.13115	.15288	.13115	.0036235	.0039223	.0002588	.0005576		.0015546	.0076058	.00	
126	.12514	.14987	.12514	.0034578	.0037424	.0002462	.0005318		.0014834	.0072570	.00	
128	1.16154	1.35400	1.16154	.0320922	.0347362	.0022217	.0049377		.0137689	.0673615	.04	
136	.11625	.13551	.11625	.0032119	.0034766	.0002294	.0004941		.0013780	.0067416	.00	



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

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DATE

J.H. James

14 June 55

CHECKED BY

DATE

R.H. Jones

June 1/55

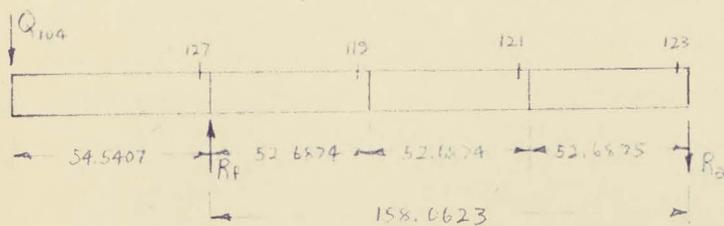
AIRCRAFT

C105

T10

Interaction Loads. (Q_{104})

Since this load is reacted at load points 81 & 82 it will cause stresses in the fuselage side rib only.



$$R_2 = \frac{54.5407}{158.0623} Q_{104} = .345058 Q_{104}$$

$$R_f = 1.345058 Q_{104}$$

$$M_{127} = 54.5407 Q_{104}$$

$$M_{119} = (54.5407 + 52.6874) Q_{104} - 52.6874 R_f$$

$$= 107.2281 Q_{104} - 52.6874 \cdot 1.345058 Q_{104} = 36.3605 Q_{104}$$

$$M_{121} = 52.6875 \cdot .345058 Q_{104} = 18.1802 Q_{104}$$

$$M_{123} = 0$$

now $\sigma = \frac{M}{hA}$

$$\sigma_{127} = \frac{54.5407}{15.0010 \times 4.4982} Q_{104} = .808280 Q_{104}$$

$$\sigma_{119} = \frac{36.3605}{12.0162 \times 4.4982} Q_{104} = .635673 Q_{104}$$

$$\sigma_{121} = \frac{18.1802}{9.5984 \times 4.4982} Q_{104} = .421077 Q_{104}$$

$$\sigma_{123} = 0$$



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AIRCRAFT.

C105

T1a

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D. J. Turner

14 June '55

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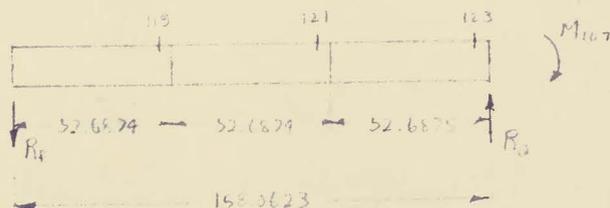
R. J. Allenby

June 22

Interaction Loads (Q_{105}, Q_{106})

The elements of loads Q_{105} & Q_{106} in the T_{1a} matrix will be identical to those of loads Q_{56} & Q_{57} respectively.

M_{107}
This load will cause stresses in the fuselage side rib only.



$$R_o = R_f = \frac{M_{107}}{158.0623} = .0063266 M_{107}$$

$$M_{123} = M_{107}$$

$$M_{121} = M_{107} - 52.6875 \times .0063266 M_{107} = .666667 M_{107}$$

$$M_{119} = .333333 M_{107}$$

now $\sigma = \frac{M}{hA}$

$$\sigma_{123} = \frac{1}{6.411 \times 3.2665} M_{107} = .03939557 M_{107}$$

$$\sigma_{121} = \frac{.666667}{9.5989 \times 4.4982} M_{107} = .01544085 M_{107}$$

$$\sigma_{119} = \frac{.333333}{12.7162 \times 4.4982} M_{107} = .00582750 M_{107}$$

Note: The coefficients here are to be multiplied by 100 for entry in the matrix, as unit M_1 is taken as 100 in. lb.



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AIRCRAFT

C105

Tia

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D.R. Turner

14 June '55

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P. J. Hillier

June 15/55

Interaction Loads. (Q_{108})

This load consists of a pair of equal loads, one acting down at the fuselage $\&$ (identified on fig. 8), the other acting up at the fuselage side at load point 104.

Hence the elements of the T_{ia} matrix for Q_{108} will consist of the sum of two sets, one set calculated for a down load at the fuselage $\&$, the other calculated for an up load at the fuselage side.

Consider the fuselage side component.

The stresses due to this component will be equal in value, but opposite in sign to those due to Q_{104} .

$$\text{Hence: } \sigma_{127} = -1.808280 Q_{108}$$

$$\sigma_{119} = -.635673 Q_{108}$$

$$\sigma_{121} = -.421077 Q_{108}$$

Consider the fuselage $\&$ component.

This portion of Q_{108} is transferred to load point 64, giving a shear at load point 64 and a bending moment in the fuselage $\&$ rib.

The moment on the rib at load point 64 will be:

$$T_1 = 15,000 Q_{108} \quad (\text{tension in top})$$

The shear is now transferred through the wing structure to reaction points 81 & 82, giving rise to stresses in the same way as does Q_{104} . The coefficients of Q_{108} due to this shear will therefore be the same as those of Q_{104} . These coefficients are tabulated on sh. 5-112.



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AIRCRAFT.

C105

T10

PREPARED BY

DATE

D. J. Turner

19 June 54

CHECKED BY

DATE

C. J. St. John

June 21/54

Interaction Loads

The moment T_1 applied to the fuselage & rib at the main spar (tension in top) will generate a system of stresses in the centre section wing in the same way that the moment $M_{d_{ST}} \sin \phi_s$ did in the T_3' calculations.

Referring to these calculations (sht 5-74 & 5-82) the following data are obtained:

Due to a moment, applied to the fuselage & rib at the main spar, of:

$$M = M_{d_{ST}} \sin \phi_s = .565953 M_{d_{ST}} \quad (\text{comp. in top. ref. sht. 5-74})$$

the following stresses are generated in the wing structure in transferring this moment to the main reaction points (81 & 82)

i Coeff. of M_0

119	-.001048
121	-.001412
124	-.001040
125	-.001003
126	-.000957
136	-.000889
137	-.000878
138	-.000864
141	
142	-.010141
145	-.005758

Note: For $i = 128$ & 140 , stresses due to $M_{d_{ST}}$ in the table on sht 5-82 are due to this moment being transferred inboard along the main spar before it is resolved at the ϕ . Since the moment due to Q_{10x} is applied at the ϕ rib, these stresses will be zero.

For $i = 141$, stress due to $M_{d_{ST}}$ is factored down in the table of sht 5-82 according to the work of sect 7. In the case under consideration, the full value of the stress is to be used, (ref sect. 7) hence it will be recalculated.

ref. sht. 5-82

For the case in question:

$$M = 15,0000 Q_{10x}$$

(tension in top or rib)



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C105

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DATE

D. J. Murray

14 June '55

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R. J. Murray

June 16/55

Interaction Loads.

Hence the above coefficients must be factored according to:

$$\text{Coeff. of } Q_{108} = -\frac{15,000}{.565953} \times \text{Coeff. of } M_{\phi_{57}}$$

$$= -26.5039665 \times \text{Coeff. of } M_{\phi_{57}}$$

These coefficients are computed in the table below:

(1)	(2)	(3)
i	Coeff. of $M_{\phi_{57}}$	Coeff. of Q_{108} $-26.5039665 \times (2)$
119	-.001098	.027776
121	-.001412	.037424
124	-.001040	.027564
125	-.001003	.026583
126	-.000957	.025364
136	-.000889	.023562
137	-.000878	.023270
138	-.000864	.022899
* 141		.386567
142	-.010141	.268777
145	-.005758	.152610

$$* \sigma_{141} = \frac{15,000 Q_{108}}{h_{141} A_{141}} = .386567 Q_{108}$$

$\frac{1}{h_{141} A_{141}}$ derives from
sht. 5-82

These coefficients combine with others tabulated on
sht. 5-112



AVRO AIRCRAFT LIMITED

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REPORT NO 7/0510/7

SHEET NO 5-112

AIRCRAFT: C105

Tia

PREPARED BY	DATE
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CHECKED BY	DATE
F. W. Kearley	June 15/55

Interaction Loads

Summary of stresses in wing due to load Q_{102}

Due to fus. & comp.

	Due to fus. comp	Due to shear at 64	Due to moment at 64	Total Coeff.
119	-.635673	.073239	.027776	-.534658
121	-.421077	.098639	.037424	-.285014
124		.072626	.027564	.100190
125		.070034	.026583	.096677
126		.066879	.025364	.092243
127	-.808280			-.808280
128		-.310312		-.310312
136		.062097	.023562	.085659
137		.061314	.023270	.084584
138		.060372	.022809	.083271
140		-.530446		-.530446
141		.283723	.386567	.670290
142		.768478	.268777	.977255
145		.402280	.152610	.554890



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5-113

AIRCRAFT:

C105

Tia

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D. J. Turner

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DATE

R. J. Turner

June 14/55

Interaction Loads (Q_{105})

This load consists of a pair of equal loads, one acting down at the fuselage Φ (identified on fig. 8), the other acting up at the fuselage side at load point 81.

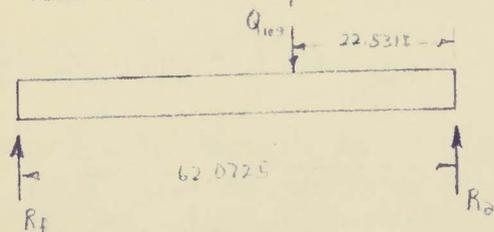
Hence the elements of the Tia matrix for Q_{105} will consist of the sum of two sets, one set calculated for a down load at the fuselage Φ , the other calculated for an up load at the fuselage side.

Consider the fuselage side component.

This component will cause no stress, as it is applied at main reaction point 81.

Consider the fuselage Φ component.

This load is split (for the purpose of calculating wing stresses) into loads at load points 64 & 65.



$$R_f = \frac{22.5312}{62.0725} Q_{105} = .362992 Q_{105} \quad R_a = .637008 Q_{105}$$

stresses due to R_f will be identical to those due to Q_{64} ,
stresses due to R_a will be identical to those due to Q_{65} .

Hence the Tia elements for the fuselage Φ component of Q_{105} will be:

$$\text{Coeff. of } Q_{105} = .362992 \times \text{Coeff. of } Q_{64} + .637008 \times \text{Coeff. of } Q_{65}$$

These are calculated in the table on sht. 5-118



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-114

AIRCRAFT:

C105

Tia

PREPARED BY

DATE

D. J. Jones

14 June '55

CHECKED BY

DATE

R. A. Smith

June 15/55

Interaction Loads. (Q_{110})

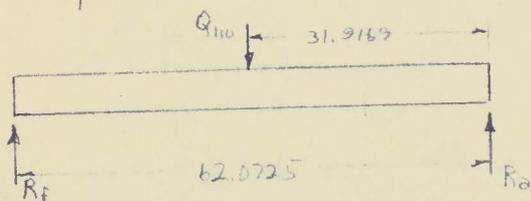
This is the same type of load as Q_{109} , and is handled in the same way.

Consider the fuselage side component.

Stresses due to this component will be equal in value but opposite in sign to those due to Q_{56} . These are tabulated in the table on sht 5-118

Consider the fuselage Φ component

This load is split into loads at load points Q_{65} & Q_{66} .



$$R_f = \frac{31.9162}{62.0725} Q_{110} = .514187 Q_{110} \quad R_a = .485813 Q_{110}$$

Stresses due to R_f will be identical to those due to Q_{65} , stresses due to R_a will be identical to those due to Q_{66} .

Hence the Tia elements for the fuselage Φ component of Q_{110} will be:

$$\text{Coeff. of } Q_{110} = .514187 \times \text{Coeff. of } Q_{65} + .485813 \times \text{Coeff. of } Q_{66}$$

These are calculated in the table on sht. 5-118 Φ combined with the fuselage side component values.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT:

C105

Tia

REPORT NO. 7/0510/7

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PREPARED BY

DATE

D. L. Dwyer

14 June 55

CHECKED BY

DATE

R. J. Stanley

June 15/55

Interaction Loads (Q_{111})

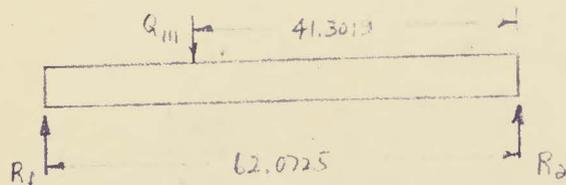
This is the same type of load as Q_{110} and is handled in the same way.

Consider the fuselage side component

Stresses due to this component will be equal in value but opposite in sign to those due to Q_{57} . These are tabulated in the table on sht. 5-118

Consider the fuselage Φ component.

This load is split into loads at load points Q_{66} & Q_{67}



$$R_1 = \frac{41.3013}{62.0725} Q_{111} = .665382 Q_{111} \quad R_2 = .334618 Q_{111}$$

Stresses due to R_1 will be identical to those due to Q_{66}
 stresses due to R_2 will be identical to those due to Q_{67} .

Hence the Tia elements for the fuselage Φ component of Q_{111} will be:

$$\text{Coeff. of } Q_{111} = .665382 \times \text{Coeff. of } Q_{66} + .334618 \times \text{Coeff. of } Q_{67}$$

These are calculated in the table on sht. 5-118 & combined with the fuselage side component values.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 5-116

AIRCRAFT:

C105

Tia

PREPARED BY

DATE

D.H. James

15 June 55

CHECKED BY

DATE

R. N. Sherry

June 15/55

Interaction Loads (Q_{112})

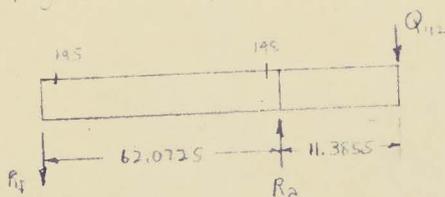
This load consists of a pair of equal loads, one acting down at the fuselage $\frac{1}{2}$ (identified on fig. 8), the other acting up at the fuselage side at load point 82.

Hence the elements of the T_{ia} matrix for Q_{112} will consist of the sum of two sets, one set calculated for a down load at the fuselage $\frac{1}{2}$, the other calculated for an up load at the fuselage side.

The fuselage side component will cause no stress in the wing, as it is applied at main reaction point 82.

Consider the fuselage $\frac{1}{2}$ component.

This portion of the load is split (for the purpose of calculating wing stresses) into loads at load points 66 & 67.



$$R_1 = \frac{11.3855}{62.0725} Q_{112} = .183423 Q_{112} \quad R_2 = 1.183423 Q_{112}$$

This splitting results in a stress at stress point 148, which is neglected as it is considered that load 112 will transfer from load point 112 to load points 66 & 67 via the fin rather than the rib (remaining wing stresses being unchanged in value); a down load at load point 67 of $1.183423 Q_{112}$; and an up load of $.183423 Q_{112}$ at load point 66.

Hence the elements of the T_{ia} matrix for this load, in addition to T_{148} as defined above, will be formed according to:

$$\text{Coeff of } Q_{112} = 1.183423 \times \text{Coeff. of } Q_{67} - .183423 \times \text{Coeff. of } Q_{66}$$

These computations are carried out on sht. 5-118

Q₁₁ & Q₁₂

A. V
AIRC
WEI
C. G

7	8	9	10	11	12	13	14	15	16	17	18	19	20
Coef. of Q ₁₁	Due to P ₁₁ side comp.	.51487 x(1)	.48513 x(2)	Total Coef. of Q ₁₁ (.51487 + .48513) = 1.0		Coef. of Q ₁₂	Due to P ₁₂ side comp.	.66382 x(7)	.33618 x(13)	Total Coef. of Q ₁₂ (.66382 + .33618) = 1.0		.118423 x(13)	-.175423 x(2)
.26856	.61467	.28122	.73097	.19658		.02100	.30703	.17869	.00726	.13390		.02456	.04321
.76172	.40677	.17047	.37005	.18725		.02590	.81353	.50683	.00350	.31630		.02361	.13772
.03815		.02848	.01853	.04701		.02091		.02538	.10760	.03228		.02974	.00760
.03682		.02799	.01752	.04537		.02018		.02950	.00528	.03125		.02358	.00675
.03513		.02623	.01707	.04330		.01926		.02337	.00699	.02381		.02279	.00614
		.13188		.13188									
.32261			.15673	.15673				.21466		.21466			.05917
						.68653			.22772	.22772		.86535	
.03262		.02435	.01585	.04020		.01788		.04170	.00528	.02762		.02116	.00122
.03221		.02444	.01565	.03762		.01765		.02193	.00521	.02759		.02083	.00521
.03171		.02367	.01541	.03708		.01738		.02110	.00582	.02692		.02057	.00582
.29156		.03078	.19164	.11156		.15222		.12900	.05348	.21748		.18213	.05348
		.22831		.22831									
.25627		.15775	.12484	.03291		.39225		.17028	.13303	.30901		.47017	.04713
.57702			.25032	.25032				.38324		.38324			.10554
						.17835			.05968	.05968		.21126	
						1.23568			.41348	.41348		1.45233	



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

REPORT No 710510/7

SHEET No 5-119

AIRCRAFT

C-125

T.O.

PREPARED BY

DATE

P.N. SHEPHERD

JULY 5/55

CHECKED BY

DATE

DUE TO AN ERROR IN SHT 5-80 WHICH GIVES $\frac{1}{1504}$ FOR STRESS POINT $\epsilon = 124$ AS .00418124 INSTEAD OF .00413380 ALL ELEMENTS IN THE T.O. MATRIX FOR $\epsilon = 124$ WERE CALCULATED IN ERROR. (DIRECTLY FOR UNIT LOADS & INDIRECTLY FOR INTER ACTION LOADS)

THE SIMPLEST WAY TO CORRECT THIS IS TO FACTOR THESE ELEMENTS BY THE FACTOR $.00413380 / .00418124 = 1.00420$ TO OBTAIN THE CORRECT ELEMENTS. THE ONLY PLACE THESE CORRECT ELEMENTS APPEAR IS ON THE FINAL MATRIX.



AIRCRAFT

C-105

T₁₀

PREPARED BY

DATE

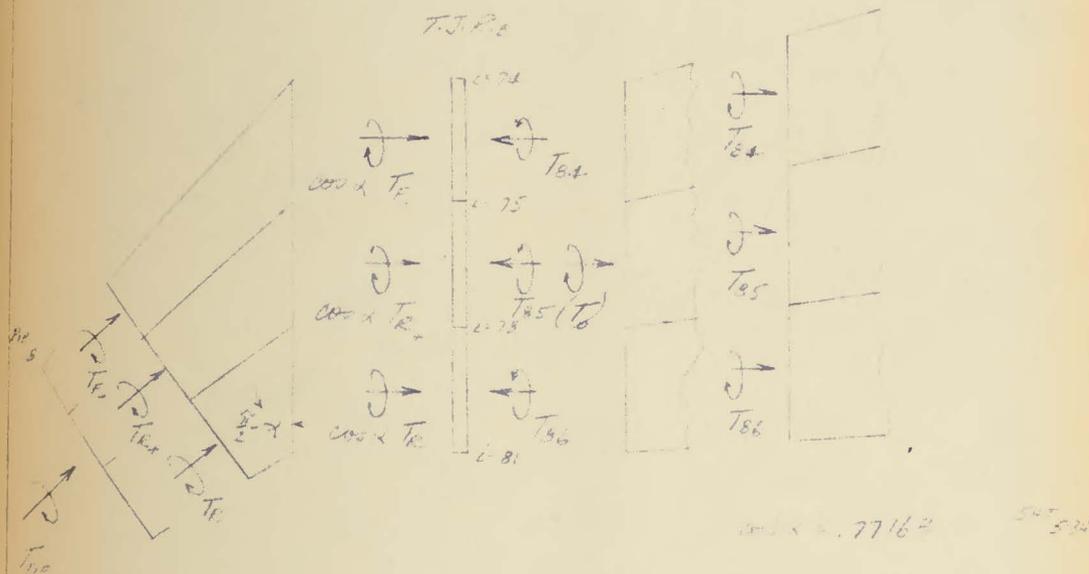
P. H. SHEPHERD

16/1 19/52

CHECKED BY

DATE

THE CHECK AT THE T.J. RIB (See 1-44g - 7-44 l) GOING TO LIGHT AN ERROR IN COMPUTATION; THE RESULTS DETERMINE STRESSES AT STRESS POINTS 75 & 76. THE CORRECTION IS COMPUTED BELOW & APPLIED DIRECTLY TO THE T₁₀ WING.



$$T_E = .279274 T_{T10} \quad T_{R+} = .342002 T_{T10} = .378724 T_{T10} \quad \text{SET } 5-14$$

$$\cos \alpha T_E = .215496 T_{T10} \quad \cos \alpha T_{R+} = .263877 T_{T10} \quad \cos \alpha T_{R-} = .292235 T_{T10}$$

$$T_{84} = .366878 (T_{T10}) \quad T_{85} = .345649 (T_{T10}) \quad T_{86} = .287453 (T_{T10}) \quad \text{SET } 5-14$$

$$(T_{T10}) = .77163 T_{T10} \quad \text{SET } 5-44$$

$$T_{84} = .283110 T_{T10} \quad T_{85} = .266713 T_{T10} \quad T_{86} = .221207 T_{T10}$$

THE TORQUE T_{T10} APPLIED TO THE OUTER WING AT RIB 13 IS DISTRIBUTED INTO THE THREE REAR CELLS OF THE OUTER WING IN THE REAR OF THE CELL APPLICABLE AT RIB 13. THESE PORTIONS OF THE TORQUE REMAIN CONSTANT TO THE



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT:

C105

Wing Analysis

REPORT NO. 7/0510/7

SHEET NO. 6-1

PREPARED BY

J.P. James

DATE

17 June 55

CHECKED BY

DATE

The calculations of this report determined the elements of the T_{ia} and K_{ip} matrices according to the geometry of figures 3-8 inclusive. Since these calculations were made, areas and panel thicknesses in some regions have again been changed (see figure 10 for revised data.) The T_{ia} & K_{ip} matrices (now termed preliminary matrices) have therefore been factored to produce the final matrices. The factors used are determined on sht. 6-2.

Changes in elements of the C_{in} matrix due to these geometry changes have been calculated, and are tabulated at the end of section 3 of this report.

FACTORS TO CONVERT ELEMENTS OF
PRELIMINARY Tie & Rip MATRICES INTO
ELEMENTS OF FINAL Tie & Rip MATRICES
(FOR CENTER SECTION)

A. V. I.

AIRCRA

WEIGHT

C. G.

STRESS POINT i	1	2	3	4	5	6	7	8	9	10
	PRELIMINARY AREA OR THICKNESS	NEW AREA OR THICKNESS	FACTOR $\frac{1}{2}$					STRESS POINT i	PRELIMINARY AREA OR THICKNESS	NEW AREA OR THICKNESS
117	5.9353	5.5293	1.073065					132	4.3200	4.4640
118	8.5560	8.5560	1					133	6.7313	6.7366
119	4.4982	4.5702	.984246					134	4.3200	0
120	8.7727	8.7727	1					136	.150	.155
121	4.4982	4.5702	.984246					137	.150	.155
122	5.9348	5.9348	1					138	.150	.155
123	3.9655	3.0000	1.321933					140	7.3318	6.1037
124	.150	.155	.967742					141	2.1600	1.0000
125	.150	.155	.967742					142	2.1600	2.2320
126	.150	.155	.967742					143	10.0801	10.5715
127	4.4982	2.2520	1.997424					145	2.1600	4.0930
128	6.8278	5.7079	1.196133					146	10.3354	11.4098
129	9.3181	7.7908	.951720					147	—	—
130	4.3200	4.4640	.967742					148	2.1600	2.7400
131	9.5541	10.5472	.905842					149	7.4231	7.3251



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT C105

Miscellaneous.

REPORT NO. 7/0510/7

SHEET NO. 7-1

PREPARED BY

DATE

CHECKED BY

DATE

H. J. J. J.

5 May '55

Introduction

In this section of the report, individual calculations and derivations are made which are required for work in other sections of the report, but which, in themselves, do not belong in these other sections.

These consist of:

- (1) Calculations concerning boundary conditions for statically determinate stresses, where the spars and/or ribs change direction (e.g. wing transport joint, fuselage $\&$)
- (2) The development of expressions for the stress energy in a single wing tip bay. (where a statically determinate stress system is assumed).
- (3) Formal checking techniques $\&$ calculations.

TECHNICAL DEPARTMENT (Aircraft)

REPORT No. 71051017

SHEET No. 7-8

AIRCRAFT:

C-105

Boundary Conditions

PREPARED BY

R. N. SHEPHERD

DATE

JAN 28/55

CHECKED BY

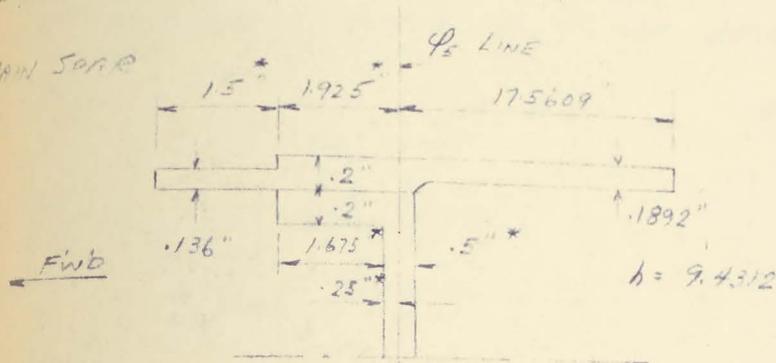
V. Gardner

DATE

June 20

SPAR AREAS AT THE T.J.

MAIN SPAR



* DIMENSIONS
MADE TO
MEASURED PART
TO SPAR.

AREA FORWARD

$$= 1.675 \times .2 + 1.925 \times .2 + 15 \times .136 + 4.7156 \times .25 = 2.1029$$

AREA AFT

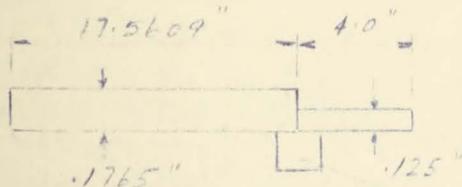
$$= 2.7392 + 4.7156 \times .25 = 3.9181$$

REF. SET 1-30 L-55

$$W_f = 17.5609 \times \frac{2.1029}{3.9181} = 9.4258$$

FLCS & R/C/S - SPAR AREAS FORWARD & AFT ARE EQUAL.

REAR SPAR



.90 SQ. IN. SPAR FLANGE

$$\text{AREA F'W'D} = (17.5609 \times .1765 + .40 \times .18107) \quad \text{AREA AFT} = (.4 \times .125 + .45) \times .18107$$

$$= 3.4921 \quad = .9320$$

$$W_a = 17.5609 \times \frac{.9320}{3.4921} = 4.7002$$

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 7-11

AIRCRAFT:

C-105

Boundary Conditions

PREPARED BY

DATE

R.N. SHERBOLT

JAN. 27/55

CHECKED BY

DATE

O. J. Gardner

June 55

CALCULATION OF THE COEFFICIENTS RELATING RIB CAP MOMENT
TO EXTERNAL RIB MOMENT AT T.J.

EXTERNAL RIB MOMENT M_F, M_R (+)
RIB MOMENT M_{R_i}

$$M_{R_i} = K_F(i) M_F + K_R(i) M_R$$

i	1	2	3	4
$K_F(i)$	-1.000000	-.633101	-.287453	0
$K_R(i)$	0	.366899	.712547	1.000000

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/2510/1

SHEET NO. 7-13 & 7-14

AIRCRAFT:

C-105

Boundary Conditions

PREPARED BY

DATE

R.N. SHERIDAN

JAN 31/55

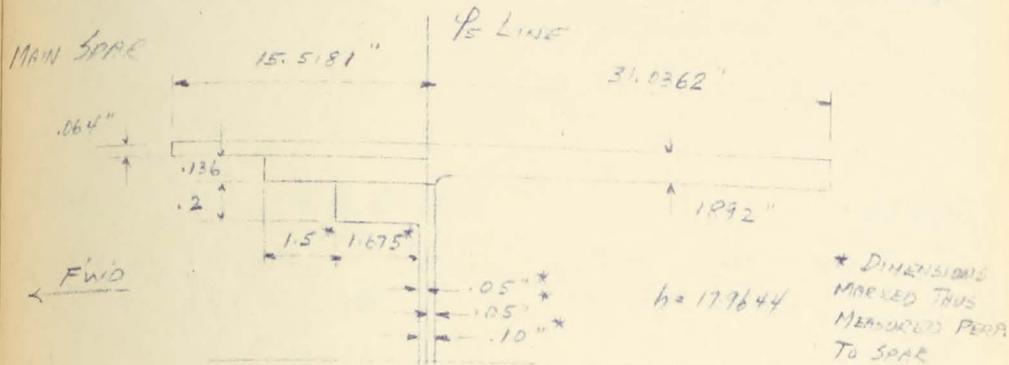
CHECKED BY

DATE

Officer

JUNE 1956

SPAR AREAS AT THE CENTER LINE OF AIRCRAFT



AREA FORWARD

AREA AFT

$$\left\{ 15.5181 \times 0.064 \right\} \cdot 824438 + (1.5 + 1.725) \cdot 0.136 + 1.675 \cdot 0.2 + \frac{17.9644}{2} \times 0.05 = 2.04140'$$

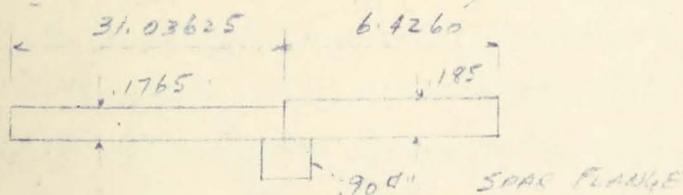
$$\left\{ 31.0362 \times 0.1892 \right\} \cdot 824438 + \frac{17.9644}{2} \times 0.05 = 5.2904'$$

TOTAL AREA = 7.3318'

$$W_f = 31.0362 \times \frac{2.0414}{5.2904} = 11.9759''$$

FWD CENTER SPAR } SPAR AREAS FORWARD & AFT ARE
REAR CENTER SPAR } EQUAL.

REAR SPAR



$$\text{AREA FWD} = (31.03625 \times 0.1765 + 0.45) \cdot 981019 = 5.8154'$$

$$\text{AREA AFT} = (6.4260 \times 0.185 + 0.45) \cdot 981019 = 1.6077'$$

TOTAL AREA = 7.4231'

$$W_r = 31.03625 \times \frac{1.6077}{5.8154} = 8.5802''$$

TECHNICAL DEPARTMENT (Aircraft)

REPORT No. 7/0510/7

SHEET No. 7-17

AIRCRAFT:

C-105

Boundary Conditions

PREPARED BY

DATE

R. H. SHEARLY

JAN 26/55

CHECKED BY

DATE

J. Gardner

JAN 26

CALCULATION OF THE COEFFICIENT RELATING RIB CAP MOMENT
TO EXTERNAL RIB MOMENT AT ξ

EXTERNAL RIB MOMENT M_E, M_E $\rightarrow +$
RIB MOMENT M_{R_i}

$$M_{R_i} = K_F(i'') M_E + K_C(i'') M_E$$

i''	1	2	3	4
$K_F(i'')$	-1.000000	-.560716	-.225626	0
$K_C(i'')$	0	.439294	.774374	1.000000

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7SHEET NO. 7-25AIRCRAFT C105

Wing Tip

PREPARED BY:

L. J. Munro

DATE:

14 Jan '55

CHECKED BY:

DATE:

Similarly, considering the last term gives the expression:

$$V_{M_2} = \frac{L}{6} \frac{M_2^2 \Delta \delta}{EI_{x_1}}$$

Consider now the middle term of the integral:

$$\begin{aligned} & 2 \int_{\xi_1}^{\xi_2} \frac{(\xi - \xi_1)(\xi_2 - \xi)}{\xi^3} d\xi \\ &= 2 \int_{\xi_1}^{\xi_2} \frac{-\xi^2 + \xi(\xi_1 + \xi_2) - \xi_1 \xi_2}{\xi^3} d\xi \\ &= 2 \left[-\log_e \frac{\xi_2}{\xi_1} + (\xi_1 + \xi_2) \left(\frac{1}{\xi_1} - \frac{1}{\xi_2} \right) - \frac{1}{2} \xi_1 \xi_2 \left(\frac{1}{\xi_1^2} - \frac{1}{\xi_2^2} \right) \right] \\ &= 2 \log_e \frac{\xi_1}{\xi_2} + \left(1 + \frac{\xi_2}{\xi_1} - 1 - \frac{\xi_1}{\xi_2} \right) \\ &= 2 \log_e \frac{\xi_1}{\xi_2} + \left(\frac{\xi_2}{\xi_1} - \frac{\xi_1}{\xi_2} \right) \\ &= \left[\left(\log_e \frac{\xi_1}{\xi_2} \right) - \frac{\xi_1}{\xi_2} \right] + \left[\left(\log_e \frac{\xi_1}{\xi_2} \right) + \frac{\xi_2}{\xi_1} \right] \\ &= \left[\left(\log_e \frac{\xi_1}{\xi_2} \right) - \frac{\xi_1}{\xi_2} \right] - \left[\left(\log_e \frac{\xi_1}{\xi_2} \right) - \frac{\xi_2}{\xi_1} \right] \\ &= \left[\log_e \left(1 + \frac{\xi_2 - \xi_1}{\xi_1} \right) - \left(1 + \frac{\xi_2 - \xi_1}{\xi_2} \right) \right] - \left[\log_e \left(1 + \frac{\xi_2 - \xi_1}{\xi_1} \right) - \left(1 + \frac{\xi_2 - \xi_1}{\xi_1} \right) \right] \end{aligned}$$

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 7-27

AIRCRAFT C105

Wing Tip

PREPARED BY:

D.L. Turner

DATE:

19 Jan. '55

CHECKED BY:

DATE:

$$= \frac{(\xi_2 - \xi_1)^3}{3\xi_1^2\xi_2^2} \frac{\xi_2 + \xi_1}{2} \left[3 - 2 \frac{\xi_2^2 - \xi_1\xi_2 + \xi_1^2}{\xi_1\xi_2} \right]$$

$$= \frac{(\xi_2 - \xi_1)^3}{3\xi_1^2\xi_2^2} \frac{\xi_2 + \xi_1}{2} \left[3 - 2 \frac{\xi_2^2 - 2\xi_1\xi_2 + \xi_1^2 + \xi_1\xi_2}{\xi_1\xi_2} \right]$$

$$= \frac{(\xi_2 - \xi_1)^3}{3\xi_1^2\xi_2^2} \frac{\xi_2 + \xi_1}{2} \left[1 - 2 \frac{(\xi_2 - \xi_1)^2}{\xi_1\xi_2} \right]$$

hence:

$$V_{M_1 M_2} = \frac{M_1 M_2}{2} \frac{L}{EI_r \frac{t}{t_r}} \frac{\xi_{av}}{\Delta \xi^2} \frac{\Delta \xi^3}{3\xi_{gr}^2} \left(1 - 2 \frac{\Delta \xi^2}{\xi_{gr}^2} \right)$$

where $\xi_{gr}^2 = \xi_1 \xi_2$

$$V_{M_1 M_2} = \frac{M_1 M_2}{2} \frac{L}{EI_r \frac{t}{t_r}} \frac{\xi_{av} \Delta \xi}{3\xi_{gr}^2} \left(1 - 2 \frac{\Delta \xi^2}{\xi_{gr}^2} \right)$$

$$= \frac{1}{6} \frac{L}{EI_r} \frac{t_r}{t} \frac{\xi_{av} \Delta \xi}{\xi_{gr}^2} \left(1 - 2 \frac{\Delta \xi^2}{\xi_{gr}^2} \right)$$

Total bending energy then will be:

$$V = \frac{1}{6} \frac{L}{EI_r} \frac{t_r}{t} \left[\nu(\xi_2) M_2^2 + \nu(\xi_{2,1}) M_2 M_1 + \nu(\xi_1) M_1^2 \right]$$

where $\nu(\xi_2) = \frac{\Delta \xi}{\xi_2^2}$

$\nu(\xi_1) = \frac{\Delta \xi}{\xi_1^2}$

$\nu(\xi_{2,1}) = \frac{\xi_{av} \Delta \xi}{\xi_{gr}^2} \left(1 - 2 \frac{\Delta \xi^2}{\xi_{gr}^2} \right)$

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 7-29

AIRCRAFT C105

Wing Tip

PREPARED BY:

H. Turner

DATE:

14 Jan. '55

CHECKED BY:

DATE:

To put these energy expressions in terms of stresses at the designated stress points.

$$\sigma = \frac{M}{z_r \frac{t}{t_r} \xi^2} \quad \text{from sht. 7-21}$$

hence: $M = \sigma z_r \frac{t}{t_r} \xi^2$

substitute $z_r = \frac{2I_r}{h_r}$

then: $M = \frac{2I_r}{h_r} \frac{t}{t_r} \xi^2 \sigma$

$$\tau_{\text{gar}} = \frac{T}{\theta_r \frac{t}{t_r} \xi_{\text{gar}}^2} \quad \text{from sht. 7-21}$$

hence: $T = \tau_{\text{gar}} \theta_r \frac{t}{t_r} \xi_{\text{gar}}^2$

substitute $\theta_r = J_r \frac{b_r}{A_r}$

then: $T = J_r \frac{b_r}{A_r} \frac{t}{t_r} \xi_{\text{gar}}^2 \tau$

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7

SHEET NO. 7-30

AIRCRAFT C105

Wing Tip

PREPARED BY:

D. J. Turner

DATE:

19 Jan '55

CHECKED BY:

DATE:

Substituting this expression for M in the bending energy equation:

$$V = \frac{1}{6} \frac{L}{EI_r} \frac{t_r}{t} \left(\frac{2I_r}{hr} \frac{t}{t_r} \right)^2 \left[\frac{\Delta \xi}{\xi_{av}^2} \xi_{av}^2 \sigma_2^2 + \frac{\xi_{av} \Delta \xi}{\xi_{av}^2} \left(1 - 2 \frac{\Delta \xi^2}{\xi_{av}^2} \right) \xi_{av}^2 \sigma_1 \sigma_2 + \frac{\Delta \xi}{\xi_{av}^2} \xi_{av}^2 \sigma_1^2 \right]$$

$$= \frac{1}{6} \frac{L}{EI_r} \frac{t_r}{t} \frac{4I_r^2}{hr^2} \frac{t^2}{t_r^2} \left[\Delta \xi \xi_{av}^2 \sigma_2^2 + \xi_{av} \Delta \xi \left(1 - 2 \frac{\Delta \xi^2}{\xi_{av}^2} \right) \sigma_1 \sigma_2 + \Delta \xi \xi_{av}^2 \sigma_1^2 \right]$$

$$= \frac{1}{2} \frac{4LI_r}{3EI_r hr^2} \frac{t}{t_r} \Delta \xi \left[\xi_{av}^2 \sigma_2^2 + \xi_{av} \sigma_1 \sigma_2 + \xi_{av}^2 \sigma_1^2 \right]$$

$$\text{where } \bar{\xi}_{av} = \xi_{av} \left(1 - 2 \frac{\Delta \xi^2}{\xi_{av}^2} \right)$$

Substituting the expression for T in the torsional energy equation:

$$V = \frac{1}{2} \frac{L}{GJ_r} \frac{t_r}{t} \frac{\xi_{av} \Delta \xi}{\xi_{av}^2} \left(J_r \frac{br}{Ar} \frac{t}{t_r} \xi_{av}^2 T \right)^2$$

$$= \frac{1}{2} \frac{L}{GJ_r} \frac{t_r}{t} \frac{\xi_{av} \Delta \xi}{\xi_{av}^2} \frac{J_r^2 b^2}{Ar^2} \frac{t^2}{t_r^2} \xi_{av}^4 T^2$$

$$= \frac{1}{2} \frac{J_r b r L}{GA_r^2} \frac{t}{t_r} \xi_{av} \Delta \xi T^2$$

Summary of Energy Equations for a Single Bay

In terms of M & T

$$V = \frac{1}{2} \left\{ \frac{1}{3} \frac{L}{EI_r} \frac{tr}{t} \left[\nu(\xi_2) M_2^2 + \nu(\xi_{2,1}) M_1 M_2 + \nu(\xi_1) M_1^2 \right] + \frac{L}{GJ_r} \frac{tr}{t} K(\xi) T^2 \right\}$$

where $\nu(\xi_2) = \frac{\Delta \xi}{\xi_2^3}$ $\nu(\xi_1) = \frac{\Delta \xi}{\xi_1^3}$ $\nu(\xi_{2,1}) = \frac{\xi_{2,1} \Delta \xi}{\xi_1^3} \left(1 - 2 \frac{\Delta \xi}{\xi_2} \right)$

$$K(\xi) = \frac{\xi_{av} \Delta \xi}{\xi_{gr}^3}$$

In terms of stresses (σ & T)

$$V = \frac{1}{2} \left\{ \frac{4LI_r}{3Eh_r^3} \frac{t}{tr} \Delta \xi \left[\xi_2 \sigma_2^2 + \bar{\xi}_{av} \sigma_1 \sigma_2 + \xi_1 \sigma_1^2 \right] + \frac{J_r b r L}{GA_r} \frac{t}{tr} \xi_{av} \Delta \xi T^2 \right\}$$

where $\bar{\xi}_{av} = \xi_{av} \left(1 - 2 \frac{\Delta \xi}{\xi_{gr}} \right)$



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT

C105

Wing Analysis

REPORT No. 7/0510/7 Check

SHEET No. 7-32

PREPARED BY

J. L. Turner

DATE

CHECKED BY

24 May '55

DATE

Check on T_{ia} Matrix (Wing)

The T_{ia} matrix (wing) is checked, (except for rib stresses), according to the method outlined below. Note that the outer wing and inner wing are checked separately due to the change in coordinate systems.

First the torque, bending moment and shear, at each rib and the X (or X_0) axis, are calculated from the basic geometry, assuming unit loads applied at each load point.

Then, using the spar and panel stresses, (at the rib under consideration), as defined in the T_{ia} matrix, and again assuming unit loads, the torque bending moment and shear at the same points as above are calculated.

These two sets of loads should check against each other.

Rib stresses may be checked quickly by plotting them on the grid layout of the structure and checking visually.*

Note that this check can only be applied to the wing portion of the structure.

* A FURTHER CHECK IS MADE ON THE T.J,
ENVELOPE SIDE & CENTER LINE RIBS SEE SHY
7-44 a To 7-44 i

TECHNICAL DEPARTMENT (Aircraft)

REPORT No. 7/0510/7 Check

SHEET No. 7-34

AIRCRAFT

C105

Wing Analysis

PREPARED BY

DATE

J. H. Turner

23 June 50

CHECKED BY

DATE

Check on Cix Matrix

To date no mechanical means of checking the Cix matrix has been found other than by the following not too positive checks

1. Repeat the calculations
2. Check patterns on dummy matrix
3. Plot coefficients on the structural grid and check numerical trends across the structure.

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT:

C105

Wing Analysis

REPORT No. 7/0510/7 Check

SHEET No. 7-35

PREPARED BY

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23 June '55

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DATE

Matrix Checks

On the following pages, values of shear, torque & bending moment at the appropriate sections (as suggested on sheets 7-32 et seq.) are calculated from the basic geometry. These values are used for cross checking the T_{10} checks carried out on Check Figures 1 & 2.

On sheets 7-45 et seq. the redundancy check as suggested is carried out.

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7 Check

SHEET NO. 7-36

AIRCRAFT

C105

Wing Analysis
Outer Wing

PREPARED BY

J. H. Turner

DATE

23 June 55

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Check on Tie Matrix

Determination of torque, bending moment and shear at rib-X (or X₀) axis intersection from basic geometry for unit load at each load point.

Outer wing (X₀ axis) ref. fig. 5

At X₀ = 173.3489 (rib 18) Total shear = 12

$$B.M. = (173.3489 - 57.1701) + 2(173.3489 - 38.6262) + 3(173.3489 - 78.3819) + 3(173.3489 - 110.3819) + 3(173.3489 - 142.3819) = 952.3272$$

$$\text{Torque} = -\sum Y_0 = -(21.0826 - 1.4110 - 16.4110 + 28.2049 - 2.8633 - 17.8633 + 40.7055 - 4.0323 - 19.0323 + 52.5062 - 5.2012 - 2.2012) = -56.1836$$

Section	Shear Force	M. Arm	ΔM	M	-ΣY ₀ = ΔT	T
Rib 18 A	12			952.3272		56.1836
X ₀ = 189.8159 B	Q _A + Q ₁₃ + $\sum_{20}^{24} Q_0 = 18$	16.4670	206.4060	1248.7332	128.9232	185.1568
X ₀ = 208.8917 C	Q _B + Q ₁₇ + $\sum_{25}^{29} Q_0 = 24$	19.0758	457.8192	1706.5524	142.6496	327.8064
X ₀ = 231.2323 D	Q _C + $\sum_{30}^{34} Q_0 = 29$	22.3406	647.8774	2354.4298	181.1238	508.9302
X ₀ = 253.5731 E	Q _D + $\sum_{35}^{38} Q_0 = 33$	22.3408	737.2464	3091.6762	208.9414	717.8716
X ₀ = 275.9137 F	Q _E + $\sum_{39}^{41} Q_0 = 36$	22.3406	814.2616	3835.9378	207.7804	925.6520



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E.N. SHEARLL

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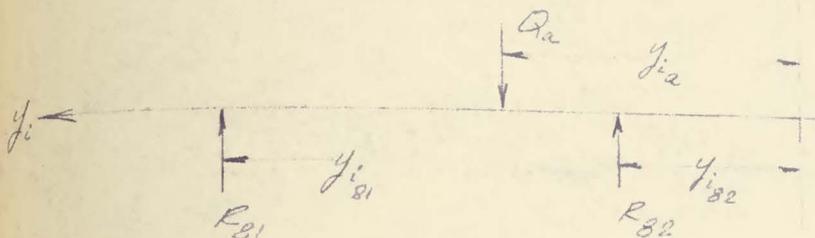
AIRCRAFT

C-105

Wing Analysis
Inner Wing &
Centre Section

Inner Wing (X axis) ref. fig. 10
DETERMINATION OF THE REACTIONS R_{B1} & R_{B2} IN
TERMS OF THE APPLIED LOADS Q_a FOR $a=1$ TO 67
EXCLUSIVE OF 59 & 63

CONSIDER THE PROJECTION OF ALL LOADS & REACTIONS
IN THE PLANE OF SYMMETRY OF THE AIRCRAFT.



MOMENTS ABOUT REACTION POINT OF R_{B2}

$$R_{B1} = \frac{1}{y_{i_{B1}} - y_{i_{B2}}} \sum (y_{i_a} - y_{i_{B2}}) Q_a = \sum r_{B1,a} Q_a$$

$$\text{WHERE } r_{B1,a} = \frac{y_{i_a} - y_{i_{B2}}}{y_{i_{B1}} - y_{i_{B2}}}$$

$$\text{SIMILARLY } R_{B2} = \sum r_{B2,a} Q_a \quad \text{WHERE } r_{B2,a} = 1 - r_{B1,a}$$

THE VALUES OF $r_{B1,a}$ ARE COMPUTED ON THE
FOLLOWING SHEET.

FROM THE FOLLOWING SHEET IT CAN BE SEEN THAT

$$\sum r_{B1,a} = 5.992751$$

$$\sum r_{B2,a} = 65 - \sum r_{B1,a} = 59.007249$$

} FOR UNIT VALUES
FOR Q_a

159.0623

A. V. R

ENG

AIRCRAFT

WEIGHT

C. G. POS

7	8	9	10	11	12	13	14	15	16	17	18	19	20	
159.0623	159.0623													
159.0623	159.0623		2	159.0623	159.0623	159.0623		2	159.0623	159.0623	159.0623			
6.7623	2.25847		31	91.5321	27.6127	174.710		46	96.1149	22.1077	121.867		61	26
1.7696	564.123		32	78.0955	14.727	109.722		47	47.15-2	16.7623	106.049		62	69
1.1625	228.786		33	62.0670	1.8591	111.705		48	191.289	117.3218	74.2258		63	
6.3527	922.652		34	42.6084	21.3087	134.812		49	133.2114	74.3043	47.0095		64	21
3.160	57.467		35	128.568	14.5017	408.634		50	75.2039	31.2267	197.129		65	11
3.378	01.1664		36	112.2112	46.4214	293.741		51	52.1963	11.7328	107.4216		66	13
4.655	085.177		37	95.4764	31.5513	191.664		52	202.5774	136.6603	264.599		67	7
7.174	16.7360		38	77.0309	13.8137	108.7394		53	105.4615	89.2527	563.492			
2.771	27.520		39	147.0757	25.1588	538.767		54	105.9122	4.4451	262.207			
4.57	16.7337		40	129.1608	65.2457	412.772		55	57.7646	6.1625	138.988			
5.500	173.72		41	112.8592	47.7361	309.600		56	49.2910	115.3749	166.667			
1.566	10.1154		42	119.6448	105.7277	162.891		57	112.2246	52.6975	133.303			
2.210	116.318		43	147.7734	24.0593	531.825		58						
1.060	208.124		44	163.7619	97.8478	631.699		59	104.7449	177.8326	112.5071			
2.207	278.22		45	124.8749	60.7778	325.783		60	124.7697	120.4526	782.058			



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0570/7 Check

SHEET NO. 7-39

AIRCRAFT

C-105

Inner Wing
& Centre Section

PREPARED BY

R.N. SHARPLEY

DATE

JUNE 13/55

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DATE

MOMENT, TORQUE & SHEAR FORCE ACTING ON
SECTIONS OF INNER WING, FOR UNIT $Q_{a1/2}$
(FOR $\alpha = 1-67$)SECTION G ($x = 215.5596$)

$$\text{TOTAL SHEAR FORCE} = \sum_{a=1}^{14} Q_a + \sum_{a=20}^{42} Q_a = 34 \quad (\text{Positive Down})$$

EXCLUDING 34, 38 & 41

$$\text{BENDING MOMENT} = Q_a (215.5596 - x_a) =$$

$$= 34 \times 215.5596 - 2 \times 80.2204 = 916120 \dots$$

$$\dots - 197.6952 = 1925.4084$$

(POSITIVE TENSION IN TOP)

$$\text{TORQUE} = -\sum y_a = -1453.1028 \quad (\text{POSITIVE NOSE UP})$$

	X	SHEAR FORCE (Pos. Down)	MOMENT PRIN	-DM	MOMENT (Pos. Tension in Top)	$Ey \cdot -\Delta T$	TORQUE (POSITIVE NOSE UP)
G	215 .5516	34			1925.4084		1453.1028
H	239 .5602	$Q_1 + Q_2 + Q_3 + Q_4 + Q_5 + Q_6 + Q_7 + Q_8 + Q_9 + Q_{10} + Q_{11} + Q_{12} + Q_{13} + Q_{14} = 40$	23.0006	920.0240	2845.9324	574.0460	2047.1488
J	264 .0150	$Q_1 + Q_2 + Q_3 + Q_4 + Q_5 + Q_6 + Q_7 + Q_8 + Q_9 + Q_{10} + Q_{11} + Q_{12} + Q_{13} + Q_{14} = 45$	25.4548	1145.4660	3991.3984	433.9942	2486.1430
K	292 .1859	$Q_1 + Q_2 + Q_3 + Q_4 + Q_5 + Q_6 + Q_7 + Q_8 + Q_9 + Q_{10} + Q_{11} + Q_{12} + Q_{13} + Q_{14} = 50$	28.1709	1408.5450	5399.9434	489.0077	2775.1617
L	323 .3626	$Q_1 + Q_2 + Q_3 + Q_4 + Q_5 + Q_6 + Q_7 + Q_8 + Q_9 + Q_{10} + Q_{11} + Q_{12} + Q_{13} + Q_{14} = 55$	31.1766	1714.7130	7114.6564	544.4186	3519.5803
M	352 .1625	$Q_1 + Q_2 + Q_3 + Q_4 + Q_5 + Q_6 + Q_7 + Q_8 + Q_9 + Q_{10} + Q_{11} + Q_{12} + Q_{13} + Q_{14} = 8$	28.8000	230.4000	6884.2564	485.9429	1296.3626
N	380 .9625	$Q_{11} + Q_{12} + Q_{13} + Q_{14} = -4$	28.8000	115.2000	6769.0564	622.7190	673.6436

$$R_{B1} = 5.992751 \text{ up}$$

$$R_{B2} = 51.007249 \text{ up}$$



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 110510/7 Check

SHEET NO. 7-90

AIRCRAFT

C-105

Inner Wing &
Centre Section

PREPARED BY

R. W. SHERRELL

DATE

JUNE 14/55

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DATE

DETERMINATION OF THE REACTIONS R_{B1} & R_{B2} IN TERMS OF THE INTERACTION LOADS Q_a FOR $a = 101$ TO 114 WHERE Q_a APPLIES TO LOADS, MOMENTS & TORQUES.

IN THIS WORK IT MUST BE REMEMBERED THAT THE INTERACTION LOADS ARE NOT NECESSARILY SINGLE LOADS ACTING AT A POINT BUT ARE IN FACT AS LISTED BELOW

TYPE (1) SINGLE LOAD ACTING AT A POINT [101], [104], [105], [106], [113] & [114].

TYPE (2) MOMENT ACTING AT A POINT [102], [103] & [107].

TYPE (3) GROUP OF LOADS MAKING UP ONE INTERACTION LOAD [108], [109], [110], [111] & [112].

CONSEQUENTLY THE DETERMINATION OF THE REACTIONS IN TERMS OF THE INTERACTION LOADS WILL HAVE TO BE MADE WITH CARE.

TYPE (1) SEE SHT.

MOMENTS ABOUT REACTION POINT OF R_{B2}

$$R_{B1} = \frac{1}{y_{B1} - y_{B2}} \sum (y_{ia} - y_{B2}) Q_a = \sum r_{B1,a} Q_a$$

$$\text{WHERE } r_{B1,a} = \frac{y_{ia} - y_{B2}}{y_{B1} - y_{B2}}$$

$$R_{B2} = \sum r_{B2,a} Q_a \quad \text{WHERE } r_{B2,a} = 1 - r_{B1,a}$$

a	y_{ia}	$y_{ia} - 63.7171$	$r_{B1,a} = \frac{y_{ia} - 63.7171}{153.0623}$
101	200.2693	136.5522	.892652
104	276.5201	212.8030	1.396558
105	169.2920	105.5749	.689867
106	116.6046	52.8875	.345533
113	137.3751	73.6580	.477441
114	75.3026	11.5855	.075832



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

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AIRCRAFT

C-105

Inner Wing &
Centre Section

PREPARED BY

DATE

R.H. SHEARLY

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TYPE (2)

THE COMPONENT OF THE MOMENT PERPENDICULAR TO THE LINE JOINING THE TWO REACTION POINTS WHEN DIVIDED BY THE DISTANCE BETWEEN THESE POINTS YIELDS THE VALUE OF THE REACTIONS.

a	COMPONENT	REACTION
102	.888739	.00562271
103	.458414	.00290021
107	1	.00632662

$$\beta = 27^{\circ} - 17.09'$$

$$\cos \beta = .888739$$

$$\sin \beta = .458414$$

FOR MOMENTS OF 100 IN THE ABOVE VALUES TABULATED IN THE COMPONENT & REACTION COLUMNS SHOULD BE MULTIPLIED BY 100

TYPE (3)

THIS TYPE HAS NO AFFECT ON THE REACTIONS. (ANOTHER AND PERHAPS BETTER WAY OF CONSIDERING IN THIS TYPE WILL BE DEALT WITH ON SHEET 7-41 R)

SUMMARY

$$R_{B1} = .862652 Q_{101} + .00562271 Q_{102} + .00290021 Q_{103} + 1.345058 Q_{104} + .666667 Q_{105} + .333333 Q_{106} - .00632662 Q_{107} + .464741 Q_{113} + .072032 Q_{114}$$

$$R_{B2} = .137348 Q_{101} - .00562271 Q_{102} - .00290021 Q_{103} - .345058 Q_{104} + .333333 Q_{105} + .666667 Q_{106} + .00632662 Q_{107} + .535259 Q_{113} + .927968 Q_{114}$$

FOR UNIT VALUES OF Q_a THESE EQUAL

$$R_{B1} = 3.746679$$

$$R_{B2} = 2.253321$$

FOR UNIT VALUES OF Q_1 FOR $a = 101, 104-106$ incl & $108-114$ incl AND VALUE OF MOMENTS Q_{102}, Q_{103} & Q_{107} EQUAL 100 INCH

$$R_{B1} = 3.964113$$

$$R_{B2} = 2.035887$$



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT:

C-105

INNER WING &
CENTER SECTION WING

REPORT NO. 7/0510/7 C-105

SHEET NO. 7-419

PREPARED BY

R.N. SHENRLY

DATE

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IF THE TYPE (3) INTERACTION LOADS ARE CONSIDERED
AS FOLLOWS THE FOLLOWING REACTIONS ARE OBTAINED.

THE COMPONENT OF $\left\{ \begin{matrix} 108 \\ 110 \\ 111 \end{matrix} \right\}$ ON THE
INTERACTION LOAD $\left\{ \begin{matrix} 104 \\ 105 \\ 106 \end{matrix} \right\}$ ON THE
FUSELAGE
SIDE BEAM
RIB CANCELS
INTERACTION
LOAD

AND THE COMPONENT OF INTERACTION LOADS 109
& 112 ON THE FUSELAGE SIDE BEAM RIB
IS IMMEDIATELY REACTED.

CONSEQUENTLY FOR UNIT LOADS & 100 " # MOMENTS

$$R_{81} = .862652 Q_{101} + .562271 Q_{102} + .290021 Q_{103} - .632662 Q_{107} + \\ + .1345058 Q_{108} + Q_{109} + .666667 Q_{110} + .333333 Q_{111} + \\ + .464741 Q_{113} + .072032 Q_{114} = 4.964113$$

$$R_{82} = .137348 Q_{101} - .562271 Q_{102} - .290021 Q_{103} + .632662 Q_{107} - \\ - .345058 Q_{108} + .333333 Q_{110} + .666667 Q_{111} + Q_{112} \\ + .535259 Q_{113} + .927968 Q_{114} = 3.035887$$



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SHEET NO. 7-92

AIRCRAFT

C-105

Inner Wing &
Centre Section

PREPARED BY

R.A. SHEPHERD

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DATE

SHEAR FORCE, MOMENT & TORQUE ACTING ON SECTIONS
OF INNER & CENTRE SECTION WING FOR UNIT
INTERACTION LOADS, Q_n FOR $n = 101$ TO 114

Section G ($x = 215.5596$)

TOTAL SHEAR FORCE = $Q_{101} = 1$ (POSITIVE DOWN)

BENDING MOMENT = $-\sin \beta Q_{102} + \cos \beta Q_{103} =$

$= -.458414 + .888739 = .430325$ (POSITIVE TEN. IN TOP)

TORQUE = $-\gamma_{101} Q_{101} - \cos \beta Q_{102} - \sin \beta Q_{103} =$

$= -200.2648 - .888739 - .458414 = -201.616953$ (POSITIVE NOSE UP)

FIG LOADS = 1 * & MOMENTS = 100 * * = -334.9851 (POSITIVE NOSE UP)

	X	SHEAR FORCE (Pos Down)	MOMENT ARM	ALL	MOMENT (Pos Tension in Top)	AT	TORQUE (POSITIVE NOSE UP)
G	215 .5596	1			430.325		-334 .9851
H	238 .5602	$Q_n = 1$	23.0006	23.0006	66.0331		-334 .9851
J	264 .2150	$Q_n = 1$	25.4548	25.4548	91.4879		-334 .9851
K	292 .1859	$Q_n = 1$	28.1709	28.1709	119.6588		-334 .9851
L	323 .3626	$Q_n = 1$	31.1766	31.1766	150.8354		-334 .9851
M	362 .1625	$Q_n - R_{01} - R_{02}$ $- Q_{101} - Q_{102} = -7$	23.8000	201.6000	50.7646	$4.96 + (3.48 \times 100) = 348.46$ $3.025 \times 100 = 302.5$ $+ 100$	1060 .9908
N	380 .9625	$Q_n = -7$	23.8000	201.6000	252.3646		1060 .9908

INCLUDING \pm LOADS

SHEAR FORCE = $Q_n + 7 = 0$

B.M. = $84 \times 7 = 252.3646$

$T = T_n - 1 \{ 276.5201 + 221.9794 + 119.2930 + 116.6046 + 137.3751 + 116.6046 + 75.3826 + 63.9171 \}$
 $= 1060.9908 - 1060.9909 \approx 0$



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT:

C-105

WING WING
CENTER SECTION
WING

REPORT NO 7/25/57 CHECK

SHEET NO 7-44a

PREPARED BY

R.H. SHARPLEY

DATE

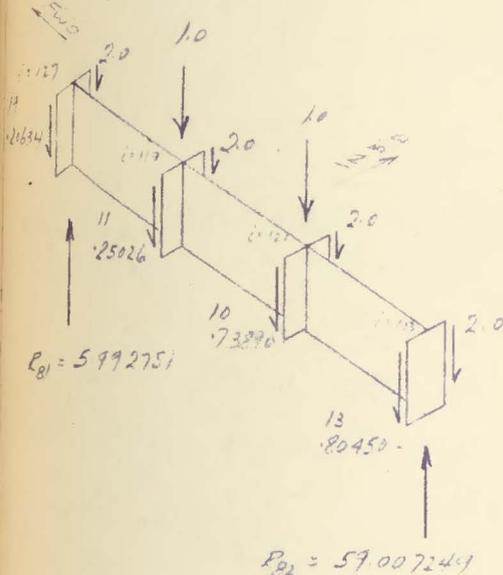
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July 7/55

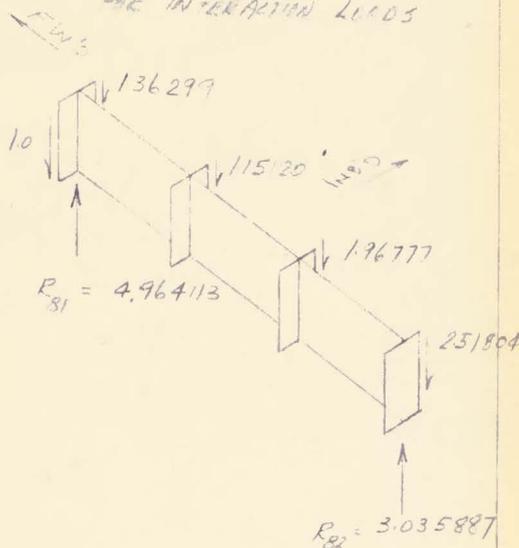
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THE FUSELAGE SIDE RIBS CAN CHECKED BY CON-
SIDERING THE RIB TO BE ISOLATED AND APPLYING
THE LOADS (SHEAR FORCES, LOADS, TORQUES) TO IT
AND OBTAIN MOMENTS AT STRESS POINTS $L=119\frac{1}{2}$ "
WHICH CHECK WITH THE VALUES OBTAINED BY
MULTIPLYING THE APPROPRIATE STRESS BY THE
APPROPRIATE RIB AREA & HEIGHT. LOADS & INTERACTION
LOADS EQUAL TO 1" & INTERACTION MOMENTS
EQUAL TO 100" USED THROUGH OUT.

FOR UNIT LOADS



FOR INTERACTION LOADS



VERTICAL LOADS, SHEAR FORCES
& REACTIONS ACTING ON RIB



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7 Check

SHEET NO. 7-446

PREPARED BY

R.H. SHERRILL

DATE

JULY 3/55

CHECKED BY

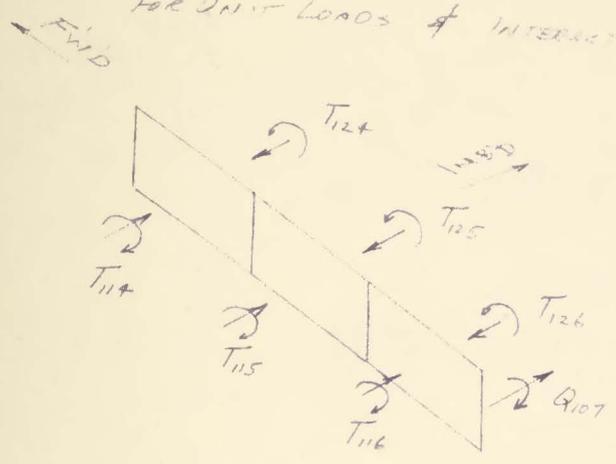
DATE

AIRCRAFT

C-105

INNER WING &
CENTER SECTION WING

FOR UNIT LOADS & INTERACTION LOADS



TORQUES

L	$\frac{1}{4} \frac{t_{mean}}{c}$ CHECK FIG. 2 502	α T ₁₀ IN INCH	$T = \frac{\alpha}{4} \frac{t_{mean}}{c}$
114	.0050449	1.85313	367.3274
115	.0061516	2.12778	345.9230
116	.0084107	3.17777	377.8247
124	.0040634	-5.20752	-1429.2268
125	.0051195	-5.57881	-1087.7177
126	.0072546	-5.32292	-733.7303

$Q_{107} = 100$ IN LB.

MOMENT AT (L = 123) = 100

MOMENT AT (L = 121) = $100 + 377.8247 + 733.7303 + (13.80450 + 2.0 + 2.51804 - 57.007249 - 3.035887) \times 21.6872 = 1021.9608$ IN LB.

MOMENT AT (L = 119) = $100 + 377.8247 + 345.9230 + 733.7303 + 1087.7177 + (13.80450 + 2.0 + 2.51804 - 57.007249 - 3.035887) \times 21.6872 + (10.73870 + 1.0 + 2.0 + 1.16777) \times 52.6872 = 1132.2754$ IN LB.

MOMENT AT (L = 127) = $100 + 377.8247 + 345.9230 + 367.3274 + 733.7303 + 1087.7177 + 1429.2268 + (-43.720596) \times 158.0623 + (57.0667) \times 2 \times 52.6872 + (11.25226 + 1.0 + 2.0 + 1.15120) \times 52.6872 = 6910.4906 - 6910.510 - 727^u$



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TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/2510/7 CHECK

SHEET NO. 7-44 d

AIRCRAFT:

C-105

CENTER SECTION
WING

PREPARED BY

R.N. SHEARLY

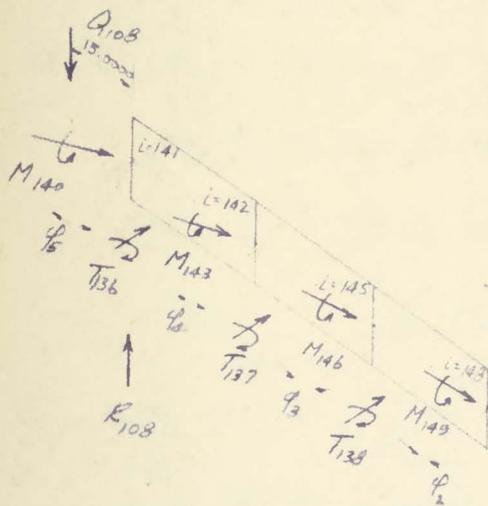
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THE AIRCRAFT CENTER LINE RIB CAN BE CHECKED BY CONSIDERING THE RIB TO BE ISOLATED AND APPLYING THE LOADS (SPAR MOMENTS, CELL TORQUES & INTERACTION LOAD Q_{108}) TO IT AND OBTAIN MOMENTS AT STRESS POINTS L-141, 142, 145 & 149 WHICH CHECK WITH THE VALUES OBTAINED BY MULTIPLYING THE APPROPRIATE STRESS BY THE APPROPRIATE RIB AREA & HEIGHT. LOADS & INTERACTION LOADS EQUAL TO 1. * & INTERACTION MOMENTS EQUAL TO 100 IN* USED THROUGH OUT.



R_{108} REPRESENTS THE REACTION TO INTERACTION LOAD Q_{108} WHICH IS IN FACT THE SHEAR FORCE IN THE MAIN SPAR WEB.

$$\left. \begin{aligned} \sin \phi_1 &= .565753 \\ \sin \phi_2 &= .463818 \\ \sin \phi_3 &= .339219 \\ \sin \phi_4 &= .193912 \end{aligned} \right\} \begin{array}{l} \text{EAC} \\ \text{FIG.} \\ 10 \end{array}$$

SPAR MOMENTS, CELL TORQUES & INTERACTION LOAD Q_{108} ACTING ON & RIB.

EQUILIBRIUM CHECK:

$$T_{136} + T_{137} + T_{138} + M_{108} + \sin \phi_1 M_{140} + \sin \phi_2 M_{143} + \sin \phi_3 M_{146} + \sin \phi_4 M_{149} = 0$$

WHERE $M_{108} = -15 Q_{108}$

OR $T_{136} + T_{137} + T_{138} + (M_{141})_F + (M_{141}) + (M_{142}) - (M_{145}) + (M_{148}) = 0$

SEE NEXT SHEET.



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/6510/7 CHECK

SHEET NO. 7-44 e

AIRCRAFT

C-105

CENTER SECTION
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PREPARED BY

R. N. SHEPHERD

DATE

JULY 14/55

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RIB MOMENT CHECK:

$$M_{141} = -1 \times (M_{141})_F - .164464 \times (M_{141})$$

$$M_{142} = -.560716 \{ (M_{141})_F + (M_{141}) \} - .060716 \times (M_{142}) + 437284 \{ (M_{145}) - (M_{143}) \}$$

$$M_{145} = -.225626 \{ (M_{141})_F + (M_{141}) + (M_{142}) \} + .274374 \times (M_{145}) - .774374 \times (M_{143})$$

$$M_{143} = .162736 \times (M_{143})$$

REF SNT 7-20

WHERE $(M_{141})_F = M_{108}$

$$(M_{141}) = \sin \phi_5 M_{140}$$

$$(M_{142}) = \sin \phi_4 M_{143}$$

$$(M_{145}) = \sin \phi_3 M_{146}$$

$$(M_{148}) = \sin \phi_2 M_{149}$$

$$t_{old}/t_{new} = .150/.155 = .967742$$

1	2	3	4	5	6	7	8	9
h	$\frac{A_5}{A_n}$	$\frac{h A_5}{h A_n}$	$\frac{1}{4 t_{old}}$	$\frac{1}{4 t_{new}}$	σ	τ	M	T
Fig. 10	Fig 10	(D) x (D)	SNT 5-80	D .967742	T _{old} MATERN	T _{new} MATERN	(3) x (6)	(5) / (5)
16			.00357506	.00345774		4.94464		1429.194
17			.00462753	.00447826		4.88264		1090.298
18			.00676713	.0654884		4.80561		733.811
19	17.7644	6.1089	107.743		30.15631		3309.444	
20	14.4880	10.5915	153.450		10.05883		1543.527	
21	10.2672	11.4098	117.147		11.15461		1306.729	
22	6.4011	7.3251	46.889		25.89862		1214.360	
23	17.7644	1.0000	17.7644		16.31213		293.056	
24	14.4880	2.2320	32.3372		24.34389		787.213	
25	10.2672	4.0730	42.0236		6.58715		276.816	
26	6.4011	27400	17.5390		2.18515		38.325	



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TECHNICAL DEPARTMENT (Aircraft)

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AIRCRAFT

C-105

CENTER SECTION
WING

PREPARED BY

R.N. SHEARLY

DATE

July 19/55

CHECKED BY

DATE

$$(M_{11})_F = -15$$

$$(M_{12}) = .565753 \times 3309.444 = 1872.990$$

$$(M_{122}) = .463818 \times 1543.527 = 715.916$$

$$(M_{125}) = .339219 \times 1306.729 = 443.267$$

$$(M_{149}) = .193912 \times 1214.360 = 235.479$$

EQUILIBRIUM CHECK:

$$\begin{aligned} -1429.194 - 1090.298 - 735.811 - 15.000 + 1872.990 + 715.916 + \\ + 443.267 + 235.479 = \\ = -3268.303 + 3267.652 = -.651 \end{aligned}$$

2.0000
↓
.0171

RIB MOMENT CHECK:

$$M_{111} = -1 \times -15 - .164464 \times 1872.990 = -293.039$$

.0058

$$\begin{aligned} M_{112} = -.560716 \times 1857.990 - .660716 \times 715.916 + .439284 \times 678.746 = \\ = -777.110 \end{aligned}$$

.0131

$$\begin{aligned} M_{125} = -.225626 \times 2573.906 + .274374 \times 443.267 + .774374 \times 235.479 = \\ = -276.770 \end{aligned}$$

.0166

$$M_{149} = .162736 \times 235.479 = 38.321$$

.0104



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TECHNICAL DEPARTMENT (Aircraft)

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SHEET NO. 7-44 3

AIRCRAFT

C-105

OUTER WING
INNER WING

PREPARED BY

R.N. Searcy

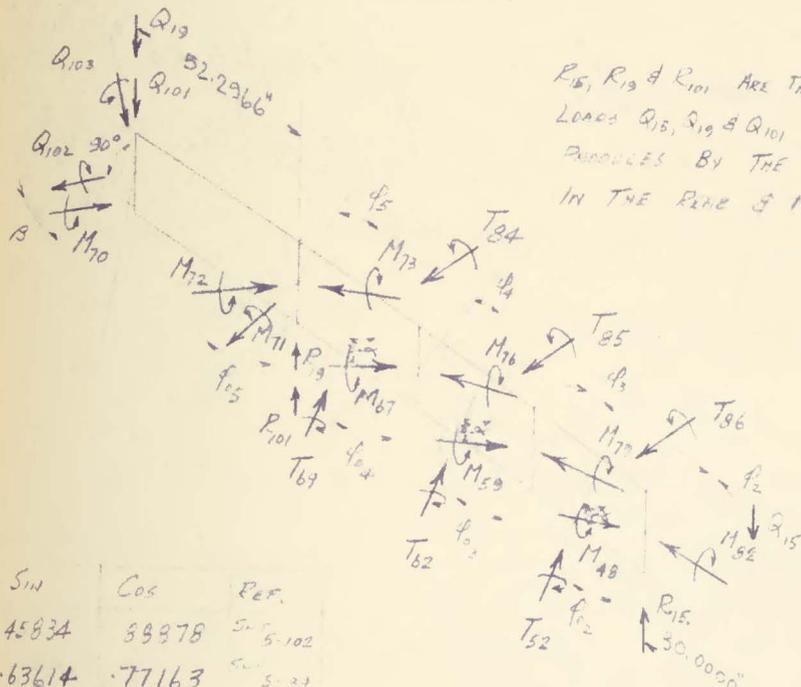
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THE TRANSPORT JOINT RIB CAN BE CHECKED BY CONSIDERING THE RIB ISOLATED AND APPLYING THE LOADS (SHEAR MOMENTS, CELL TORQUES, LOADS Q_{15} & Q_{19} , Q_{102} & Q_{103} .) TO IT AND OBTAIN MOMENTS AT STRESS POINTS 74, 75, 78 & 81 WHICH MUST CHECK WITH THE VALUE OBTAINED BY MULTIPLYING THE APPROPRIATE STRESS BY THE APPROPRIATE RIB AREA & HEIGHT. LOADS & INTERACTION LOADS EQUAL TO 1# & INTERACTION MOMENTS EQUAL TO 100" USED THROUGH OUT.



R_{15} , R_{19} & R_{101} ARE THE REACTIONS TO LOADS Q_{15} , Q_{19} & Q_{101} WHICH ARE PRODUCED BY THE SHEAR FORCE IN THE RIB & MAIN SPAR NEBS

ANGLE	Sin	Cos	REF.
β	.45834	.89378	Fig 5-102
α	.63614	.77163	Fig 5-31
ϕ_{15}	.81361	.58141	Fig 5
ϕ_{102}	.76503	.64399	"
ϕ_{103}	.69867	.715446	"
ϕ_{101}	.60752	.79430	"
ϕ_1	.565955	—	Fig 10
ϕ_2	.463818	—	"
ϕ_3	.339219	—	"
ϕ_4	.193712	—	"

SHEAR MOMENTS, RIB MOMENT, CELL TORQUES, LOADS, INTERACTION LOAD & INTERACTION MOMENTS ACTING ON T.J. RIB.



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/7 CHECK

SHEET NO. 7-41 h

AIRCRAFT

C-105

OUTER WING,
INNER WING

PREPARED BY

E.N. SIEGELI

DATE

JULY 15/53

CHECKED BY

DATE

EQUILIBRIUM CHECK :

$$\begin{aligned}
 & -52.2944(Q_{19} + Q_{101}) - \cos \beta Q_{102} - \sin \beta Q_{103} + M_{74}' + \sin \phi_{25} M_{32} - \\
 & - \cos \alpha M_{71} + \sin \phi_{64} M_{67} + \sin \phi_{63} M_{59} + \sin \phi_{62} M_{43} + \cos \alpha (T_{61} + T_{62} + T_{63}) + \\
 & + 30.0000 Q_{15} - \sin \phi_5 M_{73} - \sin \phi_4 M_{76} - \sin \phi_3 M_{79} - \sin \phi_2 M_{82} - \\
 & - (T_{84} + T_{85} + T_{86}) = 0
 \end{aligned}$$

OR
WHERE $M_{74}' = \frac{52.2944}{35.4527} M_{70} = 1.47505 M_{70}$

$$\begin{aligned}
 & (M_{74}')_A + (M_{74}')_B + (M_{75}) + (M_{78}) + (M_{81}) + \cos \alpha (T_{61} + T_{62} + T_{63}) + \\
 & + (M_{81})_R - (T_{84} + T_{85} + T_{86}) = 0
 \end{aligned}$$

WHERE $(M_{74}')_{FA} = -52.2944(Q_{19} + Q_{101}) - \cos \beta Q_{102} - \sin \beta Q_{103} + M_{74}'$

$$(M_{74}')_A = \sin \phi_{05} M_{72} - \cos \alpha (M_{71})_A - \sin \phi_5 M_{73}$$

$$(M_{75}) = \sin \phi_{64} M_{67} - \sin \phi_4 M_{76}$$

$$(M_{78}) = \sin \phi_{63} M_{59} - \sin \phi_3 M_{79}$$

$$(M_{81}) = \sin \phi_{62} M_{48} - \sin \phi_2 M_{82}$$

$$(M_{81})_R = 30.0000 Q_{15}$$

THE SUBSCRIPT A IN $(M_{74}')_{FA}$, $(M_{74}')_A$ & $(M_{71})_A$ ABOVE REFERS TO ONE METHOD (METHOD A) OF HANDLING THE INTERACTION MOMENTS Q_{102} & Q_{103} . IN THIS METHOD THE MOMENTS ARE APPLIED AT LOAD POINT $x=19$ CONSEQUENTLY THEIR EFFECT ON M_{71} MUST BE SUBTRACTED BEFORE IT IS INCLUDED IN THE EQUILIBRIUM CHECK.



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/2510/17 CHECK

SHEET NO. 7-44 i

AIRCRAFT

C-105

OUTER WING

INNER WING

PREPARED BY

E. N. SHEARLY

DATE

JULY 15/55

CHECKED BY

DATE

RIB MOMENT CHECK:

$$M_{74} = -1 \times (M_{74})_{F_B} - .347276 \times (M_{74})_B$$

$$M_{75} = \Delta T_F - .633101 \{ (M_{74})_{F_B} + (M_{74})_B \} - .133101 \times (M_{75}) + .366349 \{ (M_{78}) + (M_{81}) + (M_{81})_E \}$$

$$M_{78} = \Delta T_R - .287453 \{ (M_{74})_{F_B} + (M_{74})_B + (M_{75}) \} + .212547 \times (M_{78}) + .712547 \{ (M_{81}) + (M_{81})_E \}$$

$$M_{81} = .211137 \times (M_{81}) + 1 \times (M_{81})_E$$

THE SUBSCRIPT B IN $(M_{74})_{F_B}$, $(M_{74})_B$ & $(M_{81})_E$ REFERS TO ANOTHER METHOD (METHOD B) OF HANDLING THE INTERACTION MOMENTS Q_{102} & Q_{103} . IN THIS METHOD THE MOMENTS ARE NOT APPLIED AS MOMENTS AT LOAD POINT 2-19 BUT ARE APPLIED AS THE EQUIVALENT LOADS AT 2-19, 42 & 43. (REF. SHT 5-100) IN THIS METHOD M_{71} MUST INCLUDE THE EFFECT OF Q_{102} & Q_{103} .

$$\text{THEN } (M_{74})_{F_B} = -52.2744 (Q_{102} + Q_{103} + .027629 Q_{102} - .01954 Q_{103}) + M_{74}$$

$$(M_{74})_B = \sin \phi_{25} M_{72} - \cos \alpha (M_{71})_B - \sin \phi_{25} M_{73}$$

$$(M_{75}) = \sin \phi_{04} M_{67} - \sin \phi_{04} M_{76}$$

$$(M_{78}) = \sin \phi_{03} M_{59} - \sin \phi_{03} M_{79}$$

$$(M_{81}) = \sin \phi_{02} M_{43} - \sin \phi_{02} M_{82}$$

$$(M_{81})_E = 30.0000 Q_{15}$$

$$\Delta T_F = (T_{84})_C - \cos \alpha T_{84}$$

$$\Delta T_R = \cos \alpha T_{82} - (T_{86})_C$$

THE SUBSCRIPT C IN $(T_{84})_C$ & $(T_{86})_C$ ABOVE REFERS TO THAT PORTION OF THE TORQUE IN CELLS 84 & 86 RESPECTIVELY THAT ARE



AVRO AIRCRAFT LIMITED

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT:
C-105

Outer Wing
Inner Wing

REPORT NO. 7/1220/2 CHECK

SHEET NO. 7-44 J

PREPARED BY P. J. HEADLY	DATE JULY 5/15
CHECKED BY	DATE

To BALANCE THE COMPONENT - PERPENDICULAR TO THE T.J. RIB OF THE TORQUES IN CASE 52-62460.

1	2	3	4	5	6	7	8
h	As or Ar	AA ₂ or AA ₁	$\frac{L}{b}$ 1/8	σ	τ	M	T
18	50-859	50-551	$\frac{D \times D}{4}$ or $\frac{S \times S}{4}$ 7050/2 41	13.55397		36.789	
19				13.39314		27.056	
27				14.58445		71.916	
72				14.38163		47.889	
73	74312	6020	56.7852	12.43874		105.043	
74	73858	57035	53.5819	9.60486		59.166	
77	83414	58480	42.7825	9.13327		445.769	
80	64011	44141	26.2551	8.32310		235.170	
76				10.55725		467.3825	
71				12.70054		356.601	
70				11.24426		624.263	
62				102152		718.093	
61				45409		57.5718	
59				36031		30.6834	
54				335865		367.4432	
55				342732		345.7603	
56				348766		287.7708	
78	94312	106038	100.0066	3.54504		357.2277	
75	93258	77988	75.1041	1.17153		25.5473	
78	83414	67288	56.0076	1.62538		41.2287	
81	64011	62638	40.0152	1.62159		41.0046	

* 14.24106 + 1.64401 - 318.793 = 2.70054
 $M_{74} = 147575 - 467.3236 = 689.4142$

Total Torque in Cells 52-62460 = $T_{74} + 15 \left(\frac{3.11}{2} \times 2.0 \right) = 109.85770 + 30 = 139.85770$

Corr Ben To T.J. Rib, $T_0 = 2000 \times 139.85770 = 77165 \times 139.85770 = 107.9134$



AVRO AIRCRAFT LIMITED
TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT

C105

WING ANALYSIS

REPORT NO. 7/0510/7 CHECK

SHEET NO. 7-45

PREPARED BY

DATE

VF GAEHNER

MAY 26 '56

CHECKED BY

DATE

CHECK ON SELF CONTAINED REDUNDANCIES

LOADS OF +1.0 WERE APPLIED AT LOAD POINTS 13, 24, 23 & 21,
AND A LOAD OF 2.5333 AT LOAD POINT 20

THIS LOADING SYSTEM HAS A RESULTANT OF 6.9333 ACTING
AT LOAD POINT 22, SO THAT A LOAD OF -6.9333 WAS PLACED AT
POINT 22 TO BRING THE SYSTEM INTO EQUILIBRIUM

THE STRESSES ARISING FROM THE APPLICATION OF THESE LOADS WERE
THEN CALCULATED BY MEANS OF THE T₀ MATRIX, & THE RESULTS USED
TO CALCULATE THE MF SYSTEM NECESSARY TO PRODUCE ZERO STRESS
EVERYWHERE EXCEPT IN RIB 18

THE ACTUAL COMPUTATION IS SELF CHECKING IN THAT THERE ARE
MORE EQUATIONS OBTAINABLE FROM THE K₀ MATRIX THAN UNKNOWN

THE VALUES OF THE REDUNDANCIES ARE SHOWN ON p 7-46

REPORT No. 7/0510/77

SHEET No. 7-47

AIRCRAFT:

C105

Wing Analysis

PREPARED BY

DATE

J. J. Turner

4 July 65

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DATE

Errors

In the following pages an effort is made to determine the number of decimal places lost in the calculation of the elements of the T_{10} matrix through the use of the method of calculation outlined at the beginning of section 5 of this report.

It should be borne in mind that this work results in an estimate only. The results should give a fairly conservative estimate of the "probable" error, but will show a loss of decimal places that is less than the maximum error, due to averaging done in the estimate.

A table, similar to that shown on sht. 5-5 appears on sht. showing the results of this estimate. This table is based on the assumption (not strictly correct for all cases) that the possible error in the basic calculations is 5 in the fifth decimal place.

Error will be a function, primarily, of the size of the matrix, the number of non zero elements in the matrix, and the relative size of the elements of the matrix. This means that it is virtually impossible to determine a general solution for the "maximum" or "probable" error in any given matrix operation. The estimates calculated here apply only to the particular matrices considered, and are based on an averaging process, which means in effect that all non zero elements in each row (or column) are assumed equal, and that the row (or column) sums of the matrix are all equal to the average of the row (or column) sums for that matrix.

Values of the row & column sums used in the calculations are obtainable from the results given by the computing department. (see report 7/0510/77 Vol II -- "Computation of Preliminary Matrices")

TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0512/7

SHEET NO. 7-42

AIRCRAFT:

C105

Wing Analysis

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A. J. Turner

4 July 55

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ERRORS

Consider the matrix operation (multiplication)

$$T_{ia} G_{ab} = S_{ib}$$

which may be written

$$[T_{ia} + \Delta T_{ia}][G_{ab} + \Delta G_{ab}] = S_{ib} + \Delta S_{ib}$$

where ΔT_{ia} , ΔG_{ab} & ΔS_{ib} are the error matrices associated with T_{ia} , G_{ab} & S_{ib} respectively.

From this

$$T_{ia} G_{ab} + T_{ia} \Delta G_{ab} + \Delta T_{ia} G_{ab} + \Delta T_{ia} \Delta G_{ab} = S_{ib} + \Delta S_{ib}$$

neglecting the term $\Delta T_{ia} \Delta G_{ab}$ as small

$$\Delta_{ib} = T_{ia} \Delta G_{ab} + \Delta T_{ia} G_{ab}$$

If it be assumed that the error in each element of a given matrix is the same:

$$T_{ia} \Delta G_{ab} = |n_i| \Delta_G$$

$$\Delta T_{ia} G_{ab} = |m_a| \Delta_T$$

where $|n_i|$ is the sum of the absolute values of the non-zero elements in the i^{th} row of the T_{ia} matrix, and $|m_a|$ is the sum of the absolute values of the non-zero elements in the b^{th} column of the G_{ab} matrix.

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Wing Analysis

REPORT NO. 7/0510/7

SHEET NO. 7-52

PREPARED BY

DL Turner

DATE

4 July 55

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DATE

Errors

$$T_3' \times G_3$$

$$\Delta T_3' = 5 \times 10^{-7}$$

$$\Delta G_3 = 5 \times 10^{-3}$$

$$|n_i| \text{ for } T_3' = 0.017$$

$$|m_b| \text{ for } G_3 = 434.0$$

$$|n_i| \Delta G + |m_b| \Delta T = 0.017 \times 5 \times 10^{-3} + 434 \times 5 \times 10^{-7}$$

$$= 3.02 \times 10^{-4}$$

say 3 in the 4th decimal

$$H_1 \times G_1$$

$$\Delta H_1 = 5 \times 10^{-5}$$

$$\Delta G_1 = 5 \times 10^{-5}$$

$$|n_i| \text{ for } H_1 = 50.0$$

$$|m_b| \text{ for } G_1 = 99.0$$

$$|n_i| \Delta G + |m_b| \Delta H = 50 \times 5 \times 10^{-5} + 99 \times 5 \times 10^{-5}$$

$$= 7.45 \times 10^{-3}$$

$$T_2' \times H_1 \times G_1$$

$$\Delta T_2' = 5 \times 10^{-6}$$

$$\Delta(H_1 \times G_1) = 7 \times 10^{-3} \text{ (from above)}$$

$$|n_i| \text{ for } T_2' = 0.42$$

$$|m_b| \text{ for } (H_1 \times G_1) = 219.0$$

$$|n_i| \Delta(H_1 \times G_1) + |m_b| \Delta T_2' = 0.42 \times 7 \times 10^{-3} + 219 \times 5 \times 10^{-6}$$

$$= 4.05 \times 10^{-3}$$

say 4 in the 3rd decimal

TECHNICAL DEPARTMENT (Aircraft)

AIRCRAFT

C105

Wing Analysis

REPORT NO. 7/0510/7

SHEET NO. 7-53

PREPARED BY

DATE

J. L. Jensen

4 July 55

CHECKED BY

DATE

Errors

$$H_2 \times G_2$$

$$\Delta H_2 = 5 \times 10^{-3} \quad \Delta G_2 = 5 \times 10^{-4}$$

$$|n_c| \text{ for } H_2 = 120.0 \quad |m_b| \text{ for } G_2 = 71.0$$

$$|n_c| \Delta G_2 + |m_b| \Delta H_2 = 120 \times 5 \times 10^{-4} + 71 \times 5 \times 10^{-3} \\ = 4 \times 10^{-1}$$

$$T_3' \times H_2 \times G_2$$

$$\Delta T_3' = 5 \times 10^{-7} \quad \Delta(H_2 \times G_2) = 4 \times 10^{-1} \quad (\text{from above})$$

$$|n_c| \text{ for } T_3' = 0.0035 \quad |m_b| \text{ for } H_2 \times G_2 = 164.0$$

$$|n_c| \Delta(H_2 \times G_2) + |m_b| \Delta T_3' = 0.0035 \times 4 \times 10^{-1} + 164 \times 5 \times 10^{-7} \\ = 1.48 \times 10^{-3}$$

say 2 in the third decimal

A. V. ROE CANADA LIMITED
MALTON - ONTARIO
TECHNICAL DEPARTMENT (Aircraft)

REPORT NO. 7/0510/2

SHEET NO. 7-59

AIRCRAFT:

C105

Wing Analysis

PREPARED BY

J. L. Turner

DATE

4 July 58

CHECKED BY

DATE

Errors:

$$H_2 \times (H_1 \times G_1)$$

$$\Delta H_2 = 5 \times 10^{-3} \quad \Delta(H_1 \times G_1) = 7 \times 10^{-3} \quad (\text{sh. 1})$$

$$|n_i| \text{ for } H_2 = 53.0 \quad |m_b| \text{ for } H_1 \times G_1 = 219.0$$

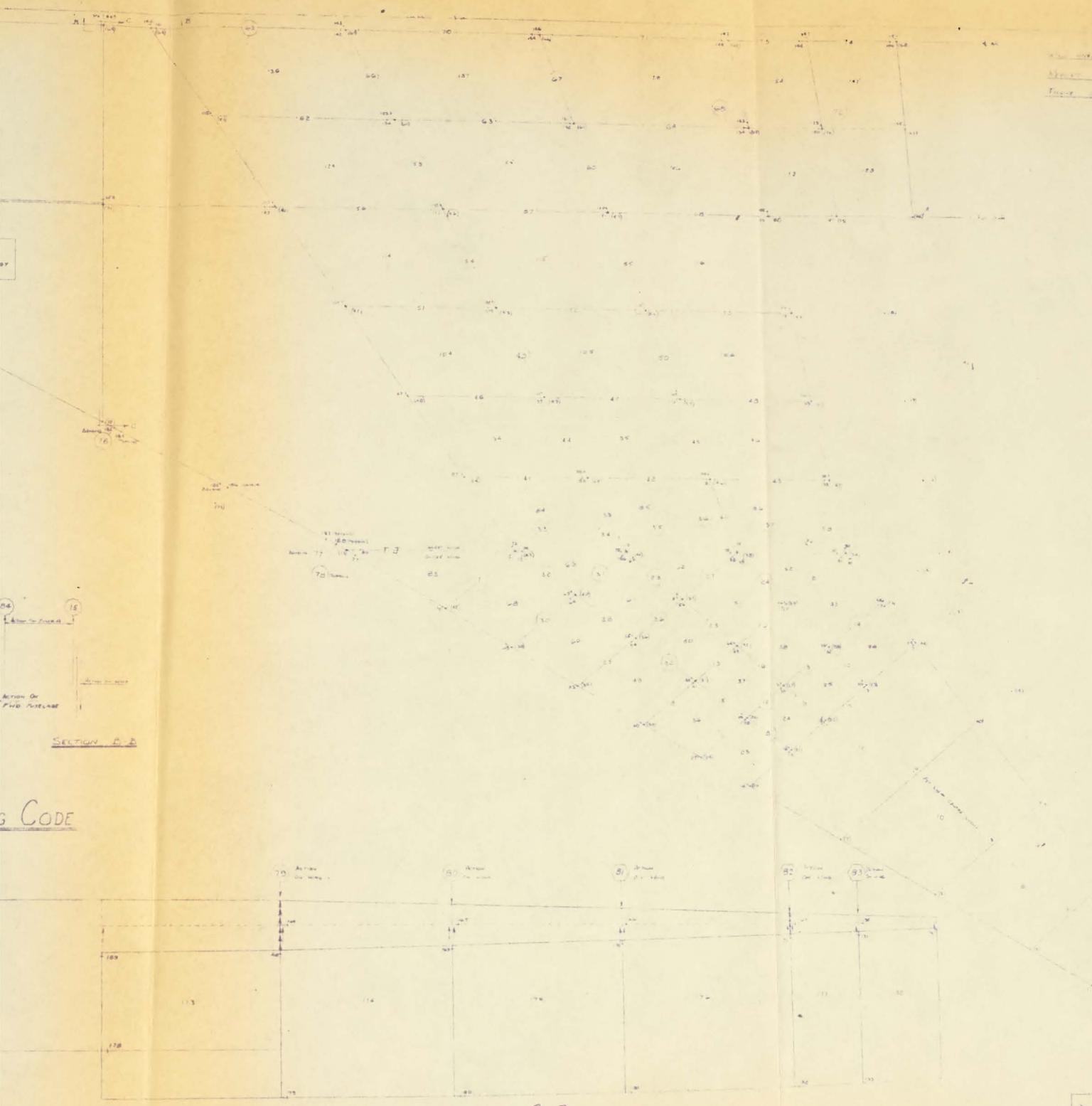
$$|n_i| \Delta_{H_1 \times G_1} + |m_b| \Delta H_2 = 53 \times 7 \times 10^{-3} + 219 \times 5 \times 10^{-3} \\ = 1.47$$

$$T_3' \times (H_2 \times H_1 \times G_1)$$

$$\Delta T_3' = 5 \times 10^{-7} \quad \Delta(H_2 \times H_1 \times G_1) = 1.5 \quad (\text{see above})$$

$$|n_i| \text{ for } T_3' = 0.0034 \quad |m_b| \text{ for } H_2 \times H_1 \times G_1 = 228.0$$

$$|n_i| \Delta_{H_2 \times H_1 \times G_1} + |m_b| \Delta T_3' = 0.0034 \times 1.5 + 228 \times 5 \times 10^{-7} \\ = 5.32 \times 10^{-3} \\ \text{say } 5 \text{ in the } 3^{\text{rd}} \text{ decimal.}$$



3 CODE

SECTION A-A

LOAD Pt	X	Y
1	00-1104	20-7519
2	00-2204	60-9053
3	91-010	12-2220
4	111-0211	36-7356
5	129-7774	17-2401
6	137-2570	17-2811
7	05-5825	40-7624
8	167-6703	1-755
9	87-7425	70-4793
10	121-3457	48-301
11	48-7931	26-8856
12	72-3380	9-4910
13	48-2457	9-2185
14	607-9389	10-4304
15	216-2574	2-2174
16	217-2922	17-1541
17	214-3150	22-1475
18	217-157	27-7546
19	218-2876	200-2678
20	44-4184	78-2187
21	253-4377	81-7793
22	13-2276	50-6514
23	73-1982	37-1677
24	87-3076	21-8005
25	87-4867	70-3747
26	43-7434	75-4071
27	78-0101	83-2408
28	152-8125	45-6702
29	20-5728	31-0
30	21-7018	67-9379
31	70-9285	91-6321
32	106-3211	78-2988
33	95-8176	62-6270
34	216-2810	49-6034
35	73-0093	83-5068
36	11-3708	113-4468
37	100-9288	95-4764
38	218-5576	77-7238
39	135-6172	149-2783
40	292-1182	129-511

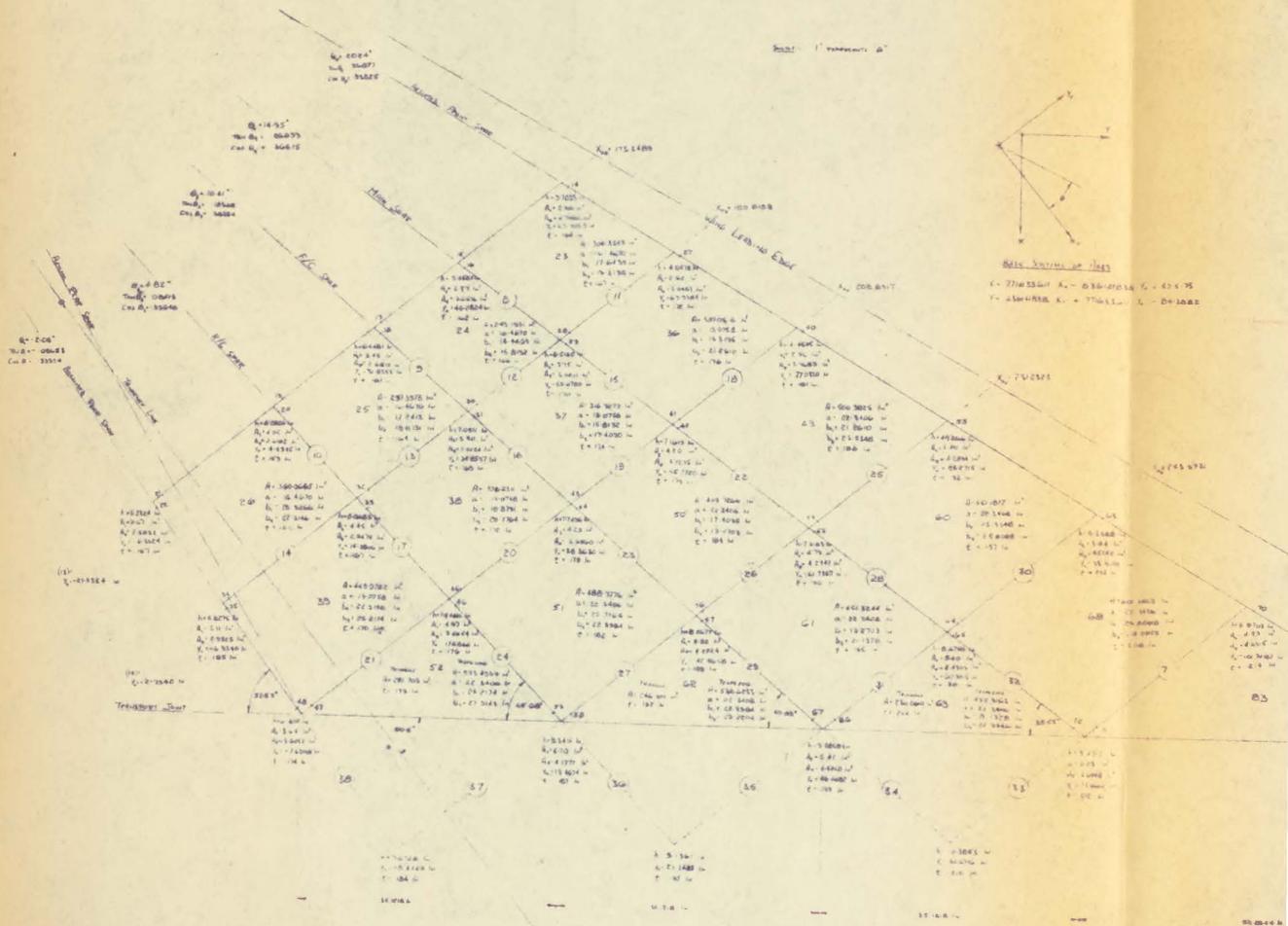
LOAD Pt	X	Y
41	218-6876	112-1532
42	197-6796	164-0448
43	018-8276	147-9754
44	238-8602	145-7613
45	258-5602	24-8349
46	238-5602	26-0168
47	238-8602	47-1548
48	264-0180	151-6383
49	264-0180	38-2214
50	264-0180	78-2088
51	264-0180	52-1863
52	292-1089	300-5774
53	292-1089	153-1418
54	310-857	108-3610
55	292-1089	97-7644
56	323-3622	67-2170
57	323-3622	116-8044
58	323-3622	17-2339
59	302-625	24-7447
60	302-625	74-2877
61	302-625	120-9111
62	302-625	60-1073
63	320-7427	24-8201
64	320-7427	173-4478
65	320-7427	97-3751
66	320-7427	78-3614
67	320-7427	80-3032
68	320-7427	276-5901
69	323-3622	426-9801
70	323-3622	409-1691
71	284-1981	276-8201
72	277-1753	141-1425
73	287-1877	342-1946
74	323-3622	27-1774
75	323-3622	43-1171

WING COORDINATE SYSTEM
Scale 1/16

THESE LINES INT
ORIGIN OF THE COOR
ORIGIN IS LOCATE
AND 380-9875 IN

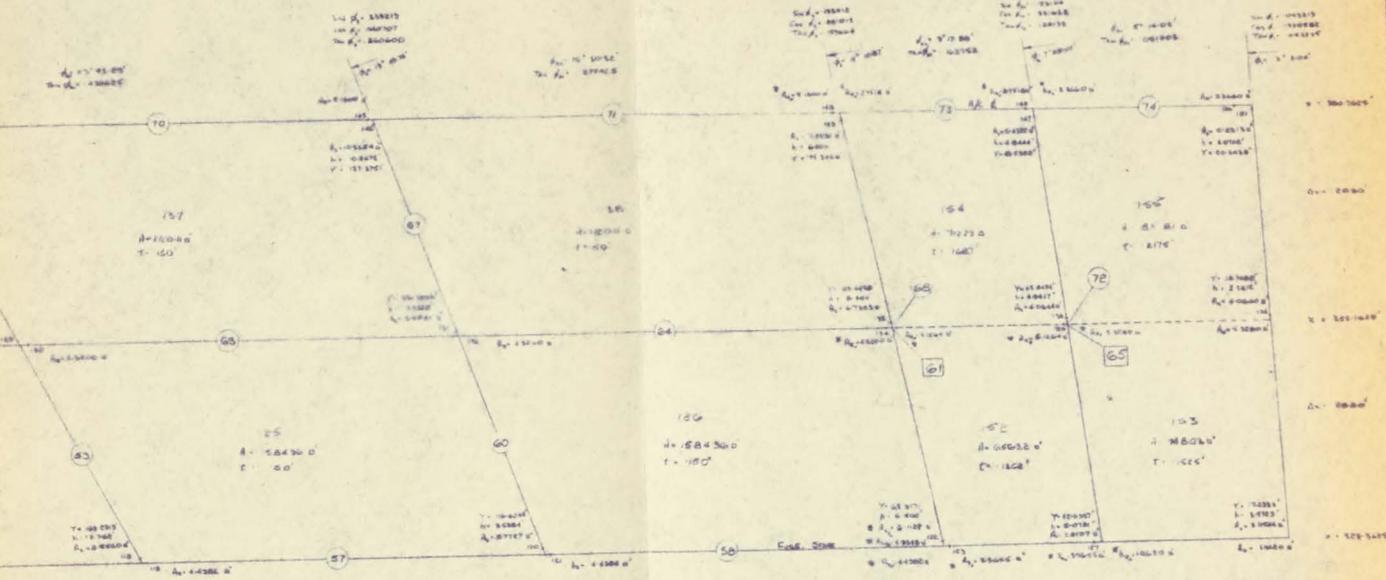
OUTER WING ASSUMED STRUCTURE

SECTION PROPERTIES



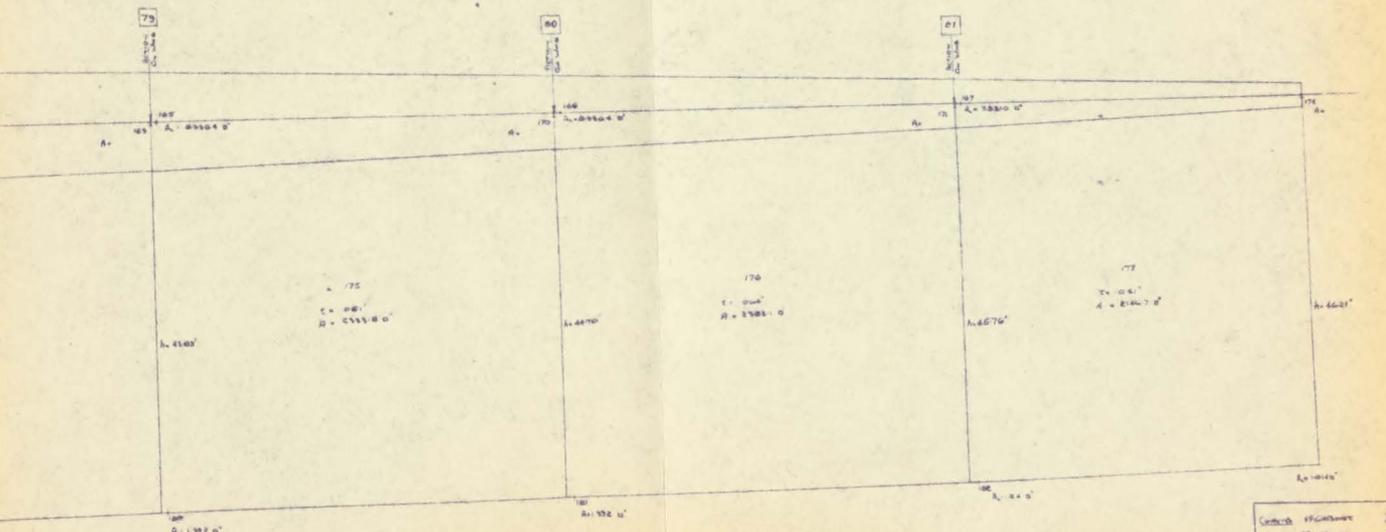
SECTION PROPERTIES

IDEALIZED STRUCTURE - CENTRE SECTION
 PRELIMINARY AREAS & THICKNESSES

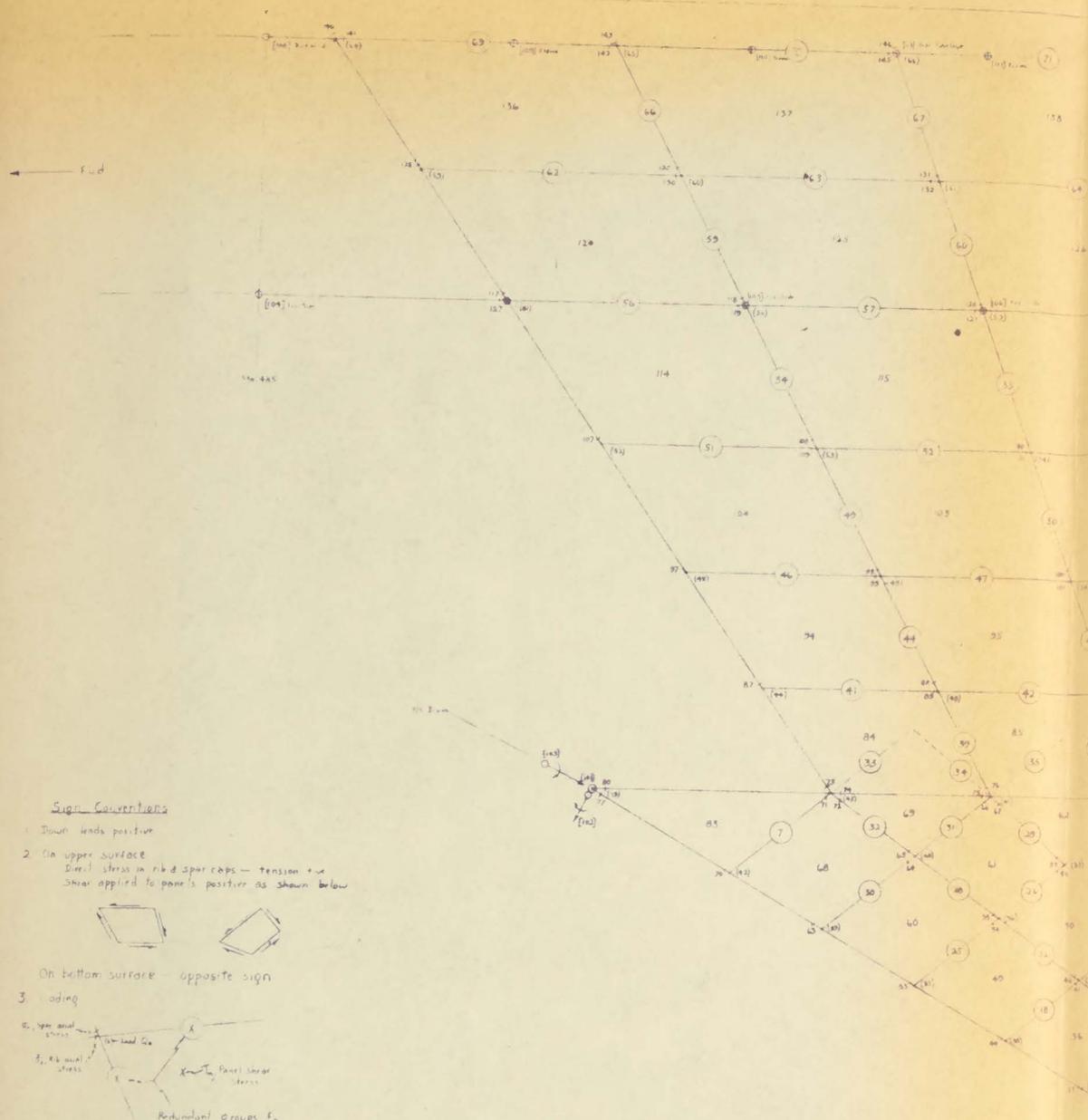


⊕ No Areas were taken for Total
 Plans for Street Calculations

IDEALIZED STRUCTURE - FUGLAGE SIDE BEAM



Checked	1/1/67	J.M.
Drawn	1/1/67	J.M.
Calculated	1/1/67	J.M.
Submitted	1/1/67	J.M.
Approved	1/1/67	J.M.



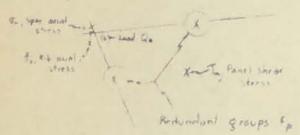
Sign Conventions

1. Down loads positive
2. On upper surface
Direct stress in rib & spar caps - tension +ve
Shear applied to panels positive as shown below



On bottom surface - opposite sign

3. Loading



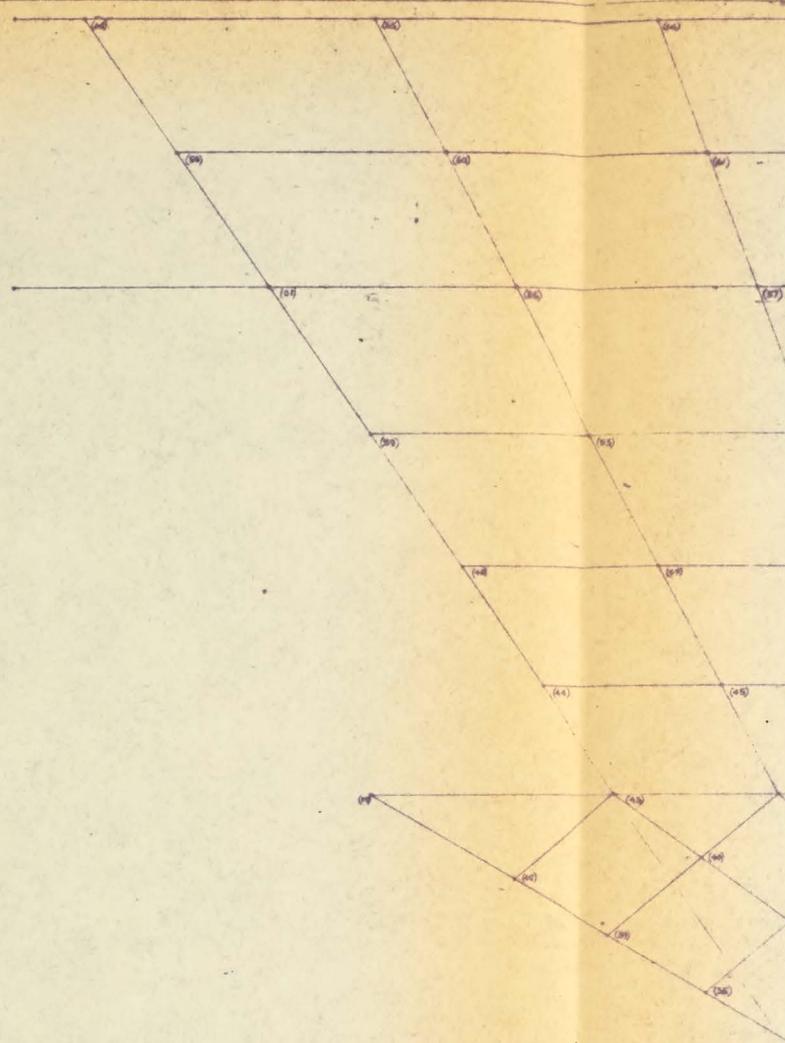
Exceptions to this loading occur at the transport joint, the wing tip & in the case of some interaction loads. Interpretation is self-evident.

Notes

- i,k Stress indices 6-147 except 128, 139 & 144
 - p,q Redundant group indices (1)-(14) except 6, 16 & 60
 - a,b Load indices (1)-(14) except 28 & 63 Also (a1) & (a2) at main reactions & (D1)-(D14) internal - loads
these latter include externally applied loads, designated by \ominus , numbered (a)
interaction loads, designated by \circ , numbered (a)
- Main reactions are designated by \bullet
 Outer wing and wing tip co-ordinate axes X, X, ϕ
 Inner wing & centre section co-ordinate axes X, X, ϕ
 Structure & loading symmetric about ϕ aircraft

LOAD PT.	X	Y
1	60-2204	-31-7519
2	60-2204	-60-9058
3	91-6100	-12-2292
4	111-6211	-36-7356
5	108-7974	-17-2461
6	187-2870	-17-1811
7	205-9828	46-7094
8	162-6989	-1-1755
9	187-2875	-72-4758
10	191-3692	-48-3101
11	166-7991	-28-0556
12	172-1360	-9-6200
13	196-8487	9-4255
14	209-9389	19-6366
15	218-8396	12-6074
16	218-8100	17-1541
17	264-0150	22-1688
18	272-1751	27-7546
19	218-8896	200-2698
20	162-6124	78-2257
21	193-8871	61-5799
22	163-0474	80-4816
23	178-9982	37-4177
24	187-3076	21-8000
25	191-9564	40-3742
26	163-7468	75-4671
27	173-6101	63-9685
28	168-6193	48-6928
29	210-3768	31-0111
30	161-7618	127-9379
31	178-2968	11-6321
32	186-3011	76-0968
33	199-8176	60-0570
34	218-8896	62-6086
35	173-6493	168-2060
36	188-6708	11-3448
37	200-9288	95-6764
38	218-5876	77-7808
39	185-6779	149-3789
40	202-1162	109-1608

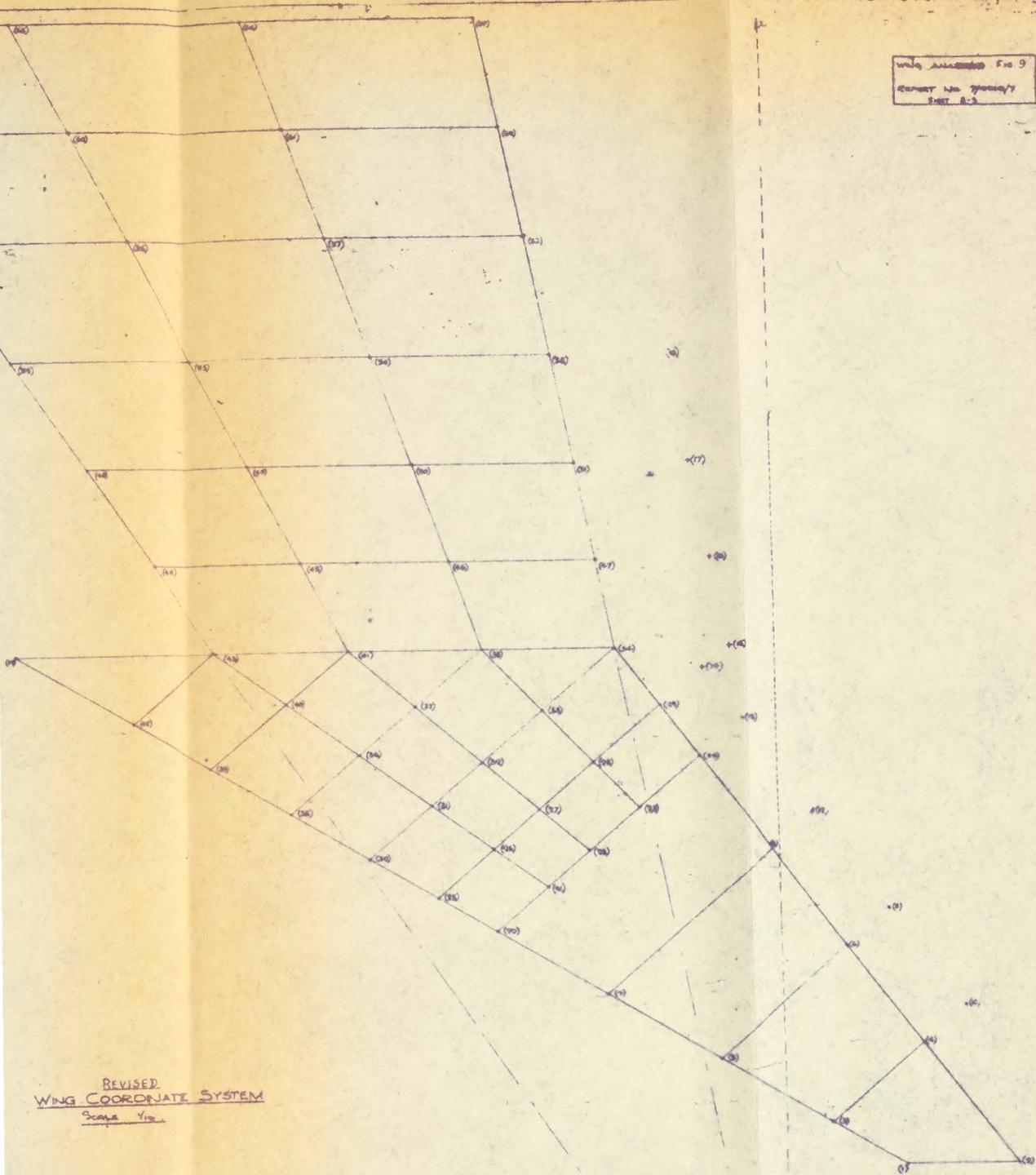
LOAD PT.	X	Y
41	218-8896	112-8532
42	197-6182	164-6448
43	218-8896	167-9784
44	228-8601	165-7645
45	238-8602	124-8849
46	238-8602	86-0246
47	238-8602	47-1548
48	264-0150	101-8389
49	264-0150	138-2014
50	264-0150	198-2026
51	264-0150	252-1843
52	242-1887	208-5776
53	242-1887	192-4618
54	242-1887	108-3628
55	242-1887	87-7546
56	302-3626	64-2420
57	323-3626	116-6046
58	352-1625	24-7447
59	352-1625	164-3627
60	352-1625	126-9898
61	352-1625	63-6086
62	380-3625	241-5201
63	380-3625	195-4476
64	380-3625	137-3751
65	380-3625	75-3026
66	323-3626	231-2754
67	323-3626	63-9171



REVISED
WING COORDINATE SYSTEM
Scale 1/4"

THESE
ORIGI
ORIGI
AND

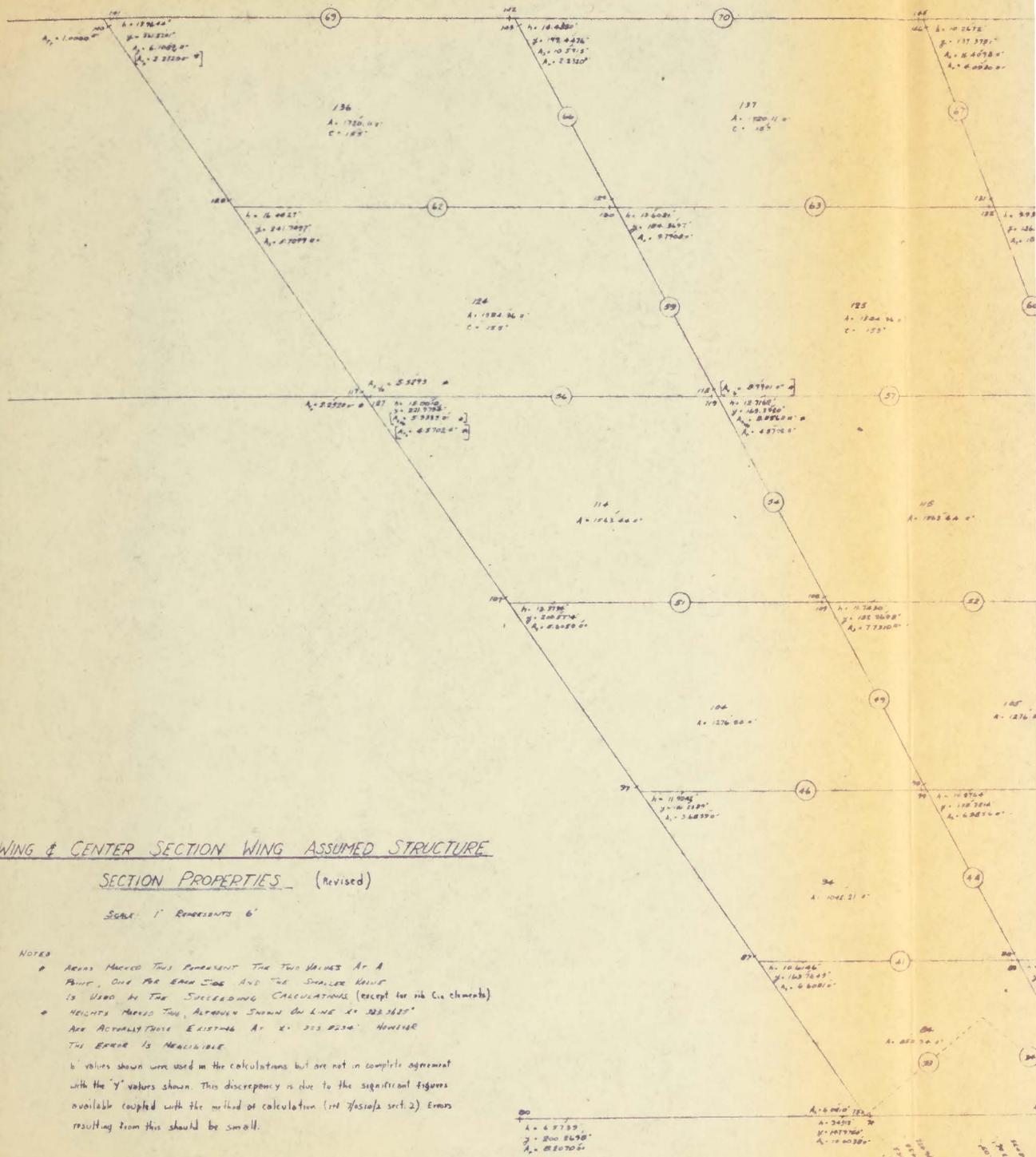
WING ANALYSIS FIG 9
 REPORT NO. 7845801
 PART 2-3



REVISED
 WING COORDINATE SYSTEM
 Scale 1/16"

THESE LINES INTERSECT AT THE
 ORIGIN OF THE COORDINATE SYSTEM.
 ORIGIN IS LOCATED AT F.S. 7845801
 AND 280-4628 MEAS FROM FUSELAGE 2

Drawn 23 June 55
 CHECKED BY [Signature]
 DESIGNED BY [Signature]
 APPROVED BY [Signature]



INNER WING & CENTER SECTION WING ASSUMED STRUCTURE
SECTION PROPERTIES (Revised)

Scale: 1" Represents 6'

- NOTES
- Areas Merged This Paragraph The Two Values At A Point, One For Each Side AND THE SMALLER VALUE IS USED IN THE SUCCEEDING CALCULATIONS (except for rib C/c elements)
 - HEIGHTS Merged Two, ALTHOUGH SHOWN ON LINE AS 282.3625" ARE ACTUALLY THOSE EXISTING AT 2" 282.8234" HOWEVER THE ERROR IS NEGLIGIBLE
 - b' values shown were used in the calculations but are not in complete agreement with the "y" values shown. This discrepancy is due to the significant figures available coupled with the method of calculation (see *WASA/SA* sect. 2) Errors resulting from this should be small.

Handwritten notes at the bottom right of the page, including calculations and possibly a signature or date.

1/10/7
Sheet 2
1/10/7
1/10/7

INNER WORK

ELASTIC INFLUENCE MATRIX (SYMMETRIC) Zone 3

Project No. 7/0510/7
Sheet 2 of 15

Circular Row & Column Numbers Run For L.M. USE ONLY

485 Non Zero Elements

Continued in the next or this Table For Use With Input KIP Units (Outputs in 10⁻³ For Use with Input LB. Units)

OUTER WING

REPORT No. 7/0410/7
SHEET 8-16

K_s STRESS TO REDUNDANT MOMENT [ZONE 1]

CIRCLED ROW & COLUMN NUMBERS ARE FOR L.B.M. LINE ONLY

104 NON ZERO ELEMENTS

CHECKED: *[Signature]* 12/11
DRAWN: *[Signature]* 12/11
CALCULATED: *[Signature]* 12/11
APPROVED: *[Signature]* 12/11

